Analysis of anomalous traps measured by charge pumping technique in HfO2/metal gate n-channel metal-oxide-semiconductor field-effect transistors

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This letter investigates anomalous traps measured by charge pumping technique in high voltage in HfO₂/metal gate n-channel metal-oxide-semiconductor field-effect transistors. N-$V_{high\ level}$ characteristic curves with different duty ratios indicate that the electron discharge time dominates the value of N for extra traps. By fitting ln (N ($t_{base\ level} = 2.5 \mu s$)-N ($t_{base\ level}$))-$\Delta t_{base\ level}$ at different temperatures and computing the equation $t = \tau_0 \exp (\alpha_{e,SiO2} d_{SiO2} + \alpha_{e,HfO2} d_{HfO2,trap})$, results show that these extra traps measured by the charge pumping technique at high voltage can be attributed to high-k bulk shallow traps. © *2012 American Institute of Physics.*
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With the scaling down of metal-oxide semiconductor field-effect transistors (MOSFETs), conventional SiO₂-based dielectric is only a few atomic layers thick, causing gate current to rise, power dissipation to increase, and performance to degrade. In addition, conventional SiO₂-based dielectrics have approached their physical limits. Consequently, replacing SiO₂-based dielectrics with high-k based dielectrics is a valid solution to these problems. Furthermore, high-k/metal gates can be integrated with techniques such as silicon on insulator (SOI),[1–3] strained-silicon,[4,5] and multi-gate to improve device characteristics. As recommended in the International Technology Roadmap for Semiconductors, Hf-based dielectrics have been heavily studied to replace SiO₂-based dielectrics in recent years.[6–9] However, with changes in Hf-based dielectrics, many measurement techniques must be corrected, especially charge pumping techniques. For instance, with a decrease in frequency, charge pumping current (I_{cp}) decreases in conventional SiO₂-based dielectrics since carriers have enough time to discharge from interface shallow traps. Conversely, with a decrease in frequency, I_{cp} increases in Hf-based dielectrics since carriers have enough time to tunnel into high-k bulk traps.[10] Charge pumping techniques play an important role to inspect defect. Thus, this study mainly focuses on anomalous traps measured by the charge pumping technique at high voltage, with the devices used in this study HfO₂ dielectrics n-MOSFETs. The causes of the anomalous traps are explained in this letter.

The HfO₂/metal gate n-MOSFETs used in this study were fabricated by the gate first process. First, a high quality 1 nm-thick thermal oxide was grown as an interfacial layer. Second, 3 nm of HfO₂ dielectrics were sequentially deposited by atomic layer deposition. Third, 10 nm of Ti$_x$N$_{1-x}$ was deposited by radio frequency physical vapor deposition, because metal gates can eliminate gate depletion and resist remote phonon scattering.[11,12] Next, poly-Si was deposited as a low resistance gate electrode. Finally, the dopant activation was performed at 1025 °C. The n-MOSFETs are measured by the charge pumping technique with different duty ratios at different temperatures. A pulse train with low-voltage of −0.6 V, high-voltage from 0 V to 1.8 V, and frequency of 200 kHz was applied on the gate terminal. I_g-V_g transfer curves were measured with the source, drain, and body terminals all grounded, with V_g given from 0 V to 1.8 V. Then through body floating (BF), source/drain floating (SDF), and source/drain/body all grounded (SDB) process, the current path and carrier polarity can be confirmed. Next, the I_g-V_g curve is fitted by Frenkel-Poole current and tunneling current. All experimental curves were measured using an Agilent B1500 semiconductor parameter analyzer.

Figure 1 shows the N-$V_{high\ level}$ characteristic curves at different duty ratios. N is the number of traps, and duty ratio = ($t_{high\ level}/t_{cycle}$). Clearly, N-$V_{high\ level}$ characteristic curves are the same in the $V_{high\ level} < 1.1$ V with an increase in duty ratio. This information implies that interface traps detected by the charge pumping technique are not dependent on $t_{base\ level}$. This is because the time for electrons in the interface traps to recombine with holes is very short. Hence, the numbers of interface traps measured by I_{cp} are not sensitive to duty ratio. On the contrary, N decreases with a rise in duty ratio in $V_{high\ level} > 1.1$ V. Furthermore, only interface traps can be measured with a duty ratio value of 98%. In other words, extra traps nearly disappear. The detrap time ($t_{base\ level}$) of electron dominates the value of N such that N becomes smaller with a decrease in detrap time. This demonstrates that electrons need time to discharge. Thus, it is necessary to know the relationship between N and the detrap time ($t_{base\ level}$) in $V_{high\ level} > 1.1$ V. The inset of the Fig. 1
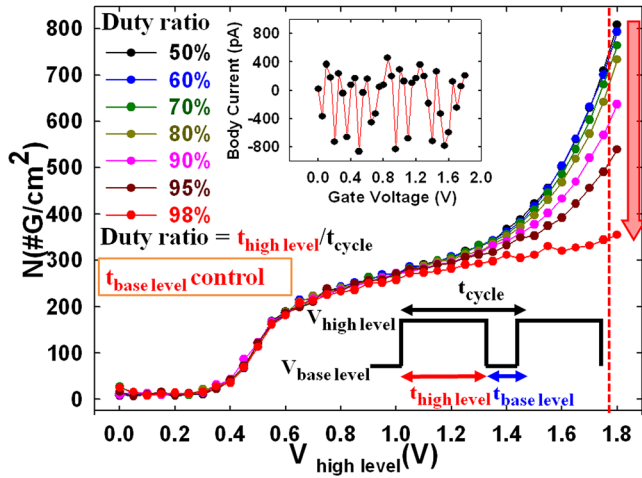
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FIG. 1. N-$V_{high\ level}$ characteristic curves at different duty ratios by charge pumping measurement. Inset shows I_{sub}-V_g curve with source, drain, and body all grounded.

shows I_{sub}-V_g curves with source, drain, and body all grounded. It can be first observed that body current is small. In addition, N (I_{cp}) is dependent on the detrap time. Hence, these results mean that N measured by the charge pumping technique is not caused by gate leakage current, but rather high-k bulk traps that have been detected, as shown in the energy band diagram of Fig. 2.

The inset of Figure 2 shows N-$t_{baselevel}$ curve at 30 °C, for $V_g = V_t$ (0.67 V) + 1.1 V, as shown by the dotted red line in Fig. 1. Since N can also represent the numbers of electrons discharged from high-k bulk traps, N ($t_{base\ level}$ = 2.5 μs)-N ($t_{base\ level}$) is the number of electrons still charged in the high-k bulk traps at $t_{base\ level}$, an important parameter. Figure 2 shows ln (N ($t_{base\ level}$ = 2.5 μs) − N ($t_{base\ level}$)) − $\Delta t_{base\ level}$ curves fitted from the inset of Figure 2. $\Delta t_{base\ level}$ is $t_{base\ level}$ − $t_{base\ level}$ (0.1 μs). $\Delta t_{base\ level}$ is the time for electrons to discharge from traps. Clearly, fitting these curves can be accomplished with straight lines even for different temperatures. In addition, slopes are also similar at these temperatures. The
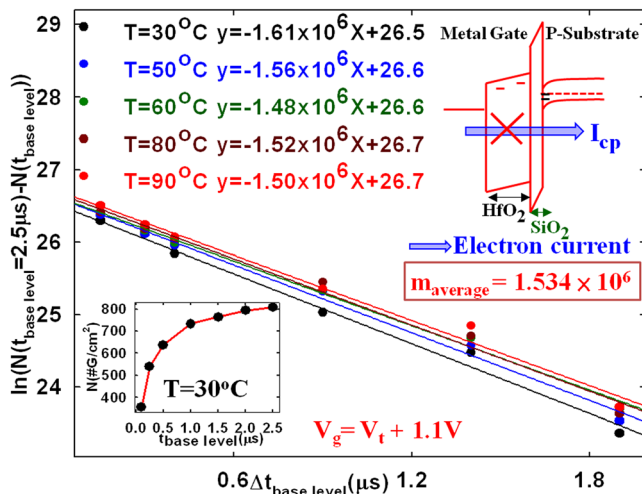
discharge equation can be described by $dQ(t)/dt = -\Delta Q(t)/\tau_p = -e_p \Delta Q(t)$, $\Delta Q(t) = \Delta Q(0) \exp(-e_p t)$,[13] where e_p is the escape probability and τ_p is the average escape time. Thus, slope is indicated by e_p or $1/\tau_p$ with e_p not dependent on temperature. Hence, e_p may be the tunneling probability. The average value of the slope at different temperatures ($m_{average}$) is 1.534×10^6, and $\tau_{p,average}$ is 6.52×10^{-7} (s). Now the value of tunneling distance can be determined by using $\tau_{p,average}$ and can verify that the traps are actually in the high-k bulk. The relationship between tunneling time and distance can be approximated by $t = \tau_0 \exp (\alpha_e x)$, $\alpha_e = 2(2m_e q\phi_0/\hbar^2)^{0.5}$,[14,15] where τ_0 is an electron tunneling characteristic time, m_e is electron effective mass for SiO$_2$, and $q\phi_0$ is an effective tunneling barrier height. However, because electrons are tunneling through two layers, SiO$_2$ and HfO$_2$, this equation can be described by $t = \tau_0 \exp (\alpha_{e,SiO2} d_{SiO2} + \alpha_{e,HfO2} d_{HfO2,trap})$, $\alpha_{e,SiO2} = 2(2 m_{e,SiO2} q\phi_{0,SiO2}/\hbar^2)^{0.5}$, and $\alpha_{e,HfO2} = 2(2m_{e,HfO2} q\phi_{0,HfO2}/\hbar^2)^{0.5}$, where d_{SiO2} is the thickness of SiO$_2$, $d_{HfO2,trap}$ is the distance from traps to interlayer between SiO$_2$ and HfO$_2$, $m_{e,SiO2}$ and $m_{e,HfO2}$ are effective mass in SiO$_2$ and HfO$_2$, respectively, and $q\phi_{0,SiO2}$ and $q\phi_{0,HfO2}$ are effective tunneling barrier height in SiO$_2$ and HfO$_2$, respectively. τ_0, $m_{e,SiO2}$, and $m_{e,HfO2}$ can be obtained from other research.[14,16,17] Thus, only one parameter ($\phi_{0,HfO2}$) is unknown.

The inset in Figure 3(a) shows I_g-V_g characteristic curves with BF, SDF, and SDB for distinguishing gate current at 30 °C. Clearly, the I_g-V_g characteristic curve in BF is similar to that in SDB, and the I_g-V_g characteristic curve in SDF is much smaller than either. These results indicate that electrons transfer from source/drain to the gate, rather than holes transferring from gate to body. Clearly, section A indicates the tunneling current in Fig. 3(b), from $V_g = 0.35$ V to $V_g = 0.75$ V, while section B is Frenkel-Poole current, shown in the inset of Fig. 3(d), from $V_g = 1.1$ V to $V_g = 1.8$ V. $\varphi_B = 0.49$ eV can be obtained by fitting the Frenkel-Poole mechanism in the inset in Fig. 3(d).[18–20] Figure 3(c) shows the N-$V_{high\ level}$ characteristic curves at different duty ratios. It can be observed that when $V_g < 1.1$ V, N is interface traps (N_{it}) only. On the contrary, when $V_g > 1.1$ V, N is both high-k bulk shallow traps (N_{hkst}) and N_{it}. A comparison of Fig. 3(c) with Fig. 3(a) shows that N is only N_{it} when gate current is tunneling current and Frenkel-Poole current is very small. Conversely, N is both N_{it} and N_{hkst} when gate current is Frenkel-Poole current. This indicates that bulk traps charging electrons via the Frenkel-Poole mechanism and the traps discharging electrons through I_{cp} may be the same. In order to confirm this theory, $\varphi_B = \phi_{0,HfO2} = 0.49$ eV is substituted into the equation $t = \tau_0 \exp (\alpha_{e,SiO2} d_{SiO2} + \alpha_{e,HfO2} d_{HfO2,trap})$, with $\alpha_{e,SiO2} = 2(2 m_{e,SiO2} q\phi_{0,SiO2}/\hbar^2)^{0.5}$, and $\alpha_{e,HfO2} = 2(2 m_{e,HfO2} q\phi_{0,HfO2}/\hbar^2)^{0.5}$, where $m_{e,SiO2}$ is $0.95 m_0$, $m_{e,HfO2}$ is $0.03 m_0$, $\tau_0 = 6.6 \times 10^{-14}$ (s), d_{SiO2} is 10 Å, and $\phi_{0,SiO2} = 1.6$ eV + $\phi_{0,HfO2}$. Finally, it can be acquired that $d_{HfO2,trap}$ is 13 Å. This is a reasonable value. While V_g transits from $V_{high\ level}$ to $V_{base\ level}$, electrons in the high-k bulk shallow traps near the gate and substrate discharge to gate and source/drain, respectively. Hence, only traps in the middle of the high-k bulk shallow traps can be measured by the charge pumping technique. In addition, the falling time is 1×10^{-7} (s), which matches the time at duty ratio of 98%,

FIG. 2. ln (N ($t_{base\ level}$ = 2.5 μs) − N ($t_{base\ level}$)) - $\Delta t_{baselevel}$ curves at different temperatures at $V_g = V_t$ + 1.1 V. Inset shows N-$t_{baselevel}$ curve in 30 °C at $V_g = V_t$ (0.67 V) + 1.1 V. The energy band diagram shows I_{cp} is caused by bulk trap, not gate leakage current.
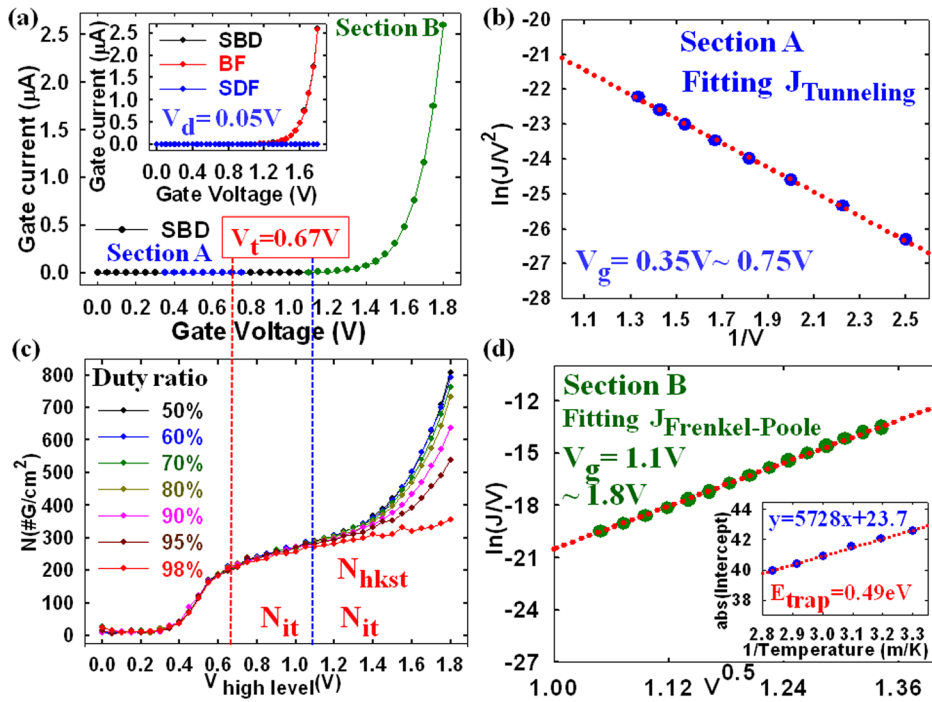
FIG. 3. (a) I_g-V_g characteristic curves with SDB. Inset shows I_g-V_g characteristic curves with BF, SDF, and SDB. (b) Gate current in section A is fitted by tunneling model. (c) N-$V_{high\ level}$ characteristic curves with different duty ratios for charge pumping measurement. (d) Gate current in section B is fitted by Frenkel-Poole model.

that of 1×10^{-7} (s). This implies that electrons in the middle of the high-k bulk shallow traps have no time to tunnel to the substrate in the accumulation area. Thus, only interface traps can be measured by I_{cp} at a duty ratio value of 98%.

Combining the results above, the energy band diagram of the model for charge pumping measurement with anomalous traps can be acquired, as shown in Fig. 4. Figures 4(a) and 4(b) show the energy band diagram when pulses are applied to gate with the charge pumping technique at the high and base levels, respectively. When $1.1\,V > V_{high\ level} > V_t$, gate current is tunneling-path dominated, leading to high-k bulk shallow traps not charging electrons. Electrons merely charge to interface traps, as shown in Fig. 4(a). Subsequently, holes recombine with electrons in the interface

traps at $V_{base\ level}$, as shown in Fig. 4(b). Thus, I_{cp} only detects N_{it}. On the contrary, when $V_g > 1.1\,V$, the gate current is dominated by the Frenkel-Poole mechanism, causing high-k bulk shallow traps to charge electrons. Next, electrons charge in interface traps and high-k bulk shallow traps, as shown in Fig. 4(c). Then holes recombine with electrons in the interface traps at $V_{base\ level}$, and electrons discharge from high-k bulk shallow traps to the body by the tunneling mechanism. Therefore, I_{cp} measures not only interface traps but also high-k bulk shallow traps.

In summary, N-$V_{high\ level}$ characteristic curves are nearly the same in value for $V_{high\ level} < 1.1\,V$ with a rise in duty ratio. However, N decreases with an increase in duty ratio for $V_{high\ level} > 1.1\,V$. This indicates that the electron discharge
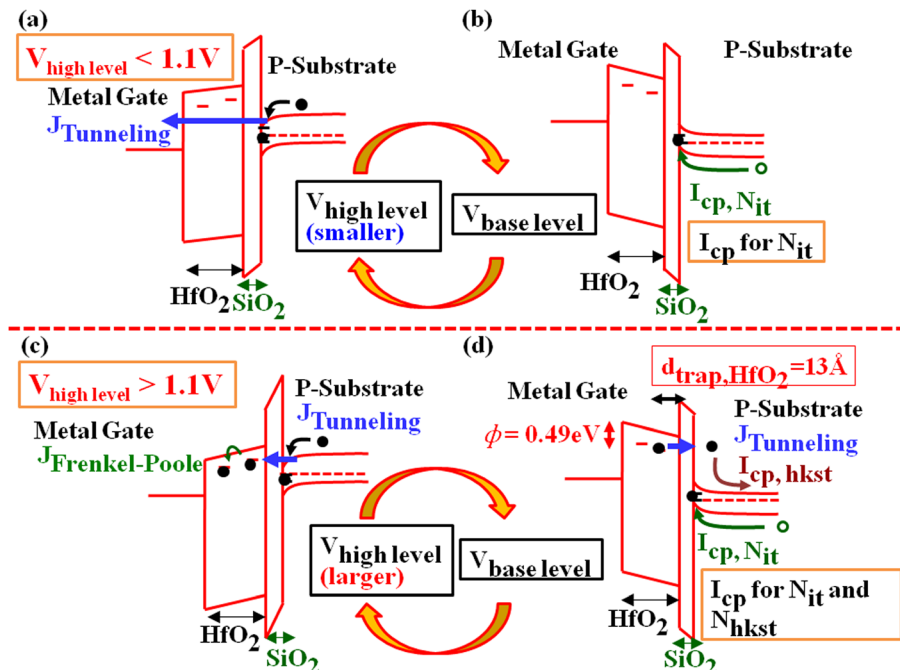

FIG. 4. The energy band diagram of high-k/metal gate MOSFETs with charge pumping measurement (a) in $V_{high\ level}$ and (b) in $V_{base\ level}$, when $V_{high\ level} < 1.1\,V$. The energy band diagram of high-k/metal gate MOSFETs with charge pumping measurement (c) in $V_{high\ level}$ and (d) in $V_{base\ level}$, while $V_{high\ level} > 1.1\,V$.

time dominates the value of N. In addition, the values of e_p obtained by the slope of ln (N ($t_{\text{base level}} = 2.5\,\mu$s)-N ($t_{\text{base level}}$))-$\Delta t_{\text{base level}}$ are independent of temperature. Hence, electrons discharge from high-k bulk shallow traps via the tunneling mechanism. The distance of traps can be acquired by the equation $t = \tau_0 \exp (\alpha_{e,\text{SiO2}} d_{\text{SiO2}} + \alpha_{e,\text{HfO2}} d_{\text{HfO2,trap}})$ and $\phi_{0,\text{HfO2}} = 0.49$ eV, and $\phi_{0,\text{HfO2}}$ can be obtained from fitting the gate current with the Frenkel-Poole mechanism. From this, $d_{\text{HfO2,trap}}$ can be calculated to be 13 Å, a reasonable value. This result is proof that traps are actually located in the high-k shallow bulk. This study shows that anomalous traps measured by the charge pumping technique in a HfO$_2$/metal gate at high gate voltage can be attributed to high-k bulk shallow traps.

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