

國立交通大學

網路工程研究所

碩士論文



在耐延遲網路上利用時間與空間資訊的叢集式路由機制

A Cluster-Based Routing in DTN with Space and Time
Information

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中華民國 九十七 年 六月

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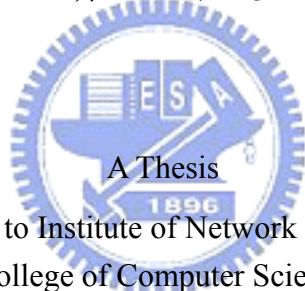
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中文摘要

耐延遲網路因為高延遲的因素而與傳統網路在路徑尋找的方法有所不同，其差別是耐延遲網路中封包在空間上沒有路徑可以傳遞，因此利用空間與時間的資訊將未來的連線狀況加以考慮而形成一個具空間連結與時間連結的圖形，並用最短路徑演算法在此圖形中尋找延遲最小的封包傳遞路徑。此圖形因為具有時間連結，因此圖形大小與考慮的時間成正比。而在耐延遲網路中，因其高延遲而導致考慮的時間增大，形成的圖形與計算最短路徑的複雜度亦因此過高。本篇即是假設節點之間的未來連線狀況可由知識庫得知的情形下，提出一個減小計算圖形，同時接近最小延遲路徑的繞徑演算法。我們的方法是將節點利用叢集的方式分群，並利用叢集形成具空間連結與時間連結的圖形即叢集拓撲，然後利用此叢集拓撲來找尋最短路徑。根據模擬實驗結果顯示，此方法使圖形減小而計算複雜度也因此降低，同時可以找到接近最小延遲路徑。而利用叢集以減少複雜度的方法，由於節點會透過叢集管理者來傳遞封包，導致叢集管理者負擔過重，因此我們提出叢集負載平衡選擇較低負擔的節點當作叢集管理者和開道節點來減少壅塞。

關鍵字：空間與時間的資訊，耐延遲網路，知識庫，叢集拓撲，叢集負載平衡，叢集管理者，開道節點

A Cluster-Based Routing in DTN with Space and Time Information

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Abstract

Routing in *Delay Tolerance Network (DTN)* is different from that in conventional networks because of high delivery delay. The main difference is that packets in *DTN* do not have end to end paths in the space domain. Therefore, we use space and time information to form a graph with links in the space and time domain, and apply the Dijkstra algorithm to find the shortest routing path. Because the graph contains links in time domain, the graph size is proportional with time. In *DTN*, the high delay leads to a larger graph, so the complexity of finding the shortest path becomes large. In this thesis, we assume the connections between nodes can be known by a *knowledge oracle*, and propose a cluster-based algorithm to reduce the size of the space and time graph needed by finding the shortest routing path with minimal delivery delay. Our proposed method is using clustering to group the nodes into clusters, and using the clusters to form a *cluster topology* with links in the space and time domain. Then, we can use the cluster topology to find the routing path. Through simulation, the complexity of cluster-based routing is decreased, and the routing path is also close to the path with minimal delivery delay. However, the load of cluster heads becomes heavier because packets will be sent through cluster heads in cluster-based routing. So we propose *load balance clustering* to choose nodes with

lower loads to be *cluster heads* and *gateway nodes* in order to avoid congestion of nodes with higher loads.

Keyword: space and time, Delay Tolerance Network (DTN), knowledge oracle, cluster topology, load balance clustering, cluster head, gateway node;



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List of Equation

$$X = (N \times T)^2 \quad \text{Equation 1 16}$$

$$Y = (total_deg \times t_ref - \sum_{i=1}^{t_ref-1} avg_deg) + (n \times T)^2 + T \quad \text{Equation 2 16}$$

$$Z = \frac{X}{Y} = O\left(\frac{N^2}{n^2}\right) \quad \text{Equation 3 17}$$

$$Node_pri_i[t] = \alpha \times \frac{deg}{N} + (1 - \alpha) \times \frac{1}{Node_load_accu_i[t-1]} \quad \text{Equation 4 18}$$

$$Node_pri_i[0] = \alpha \times \frac{deg}{N}$$

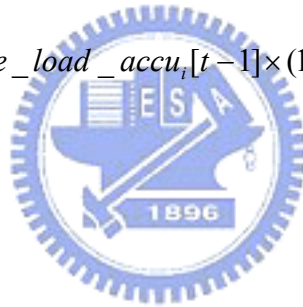
$$node_load_i[t] = \begin{cases} 1 + \#member & , \text{node} \in \text{cluster head.} \\ 1 + \#member \times \frac{OutDeg_i}{\sum_{x=0}^{\#member-1} OutDeg_x} & , \text{node} \in \text{member} \quad \dots\dots\dots \end{cases}$$

Equation 5 19

$$Node_load_accu_i[t] = Node_load_accu_i[t-1] \times (1 - \gamma) + Node_load_i[t] \quad \dots\dots\dots$$

$$Node_load_accu_i[0] = 0$$

Equation 6 20



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Chapter 1: Introduction

The conventional routing protocols applied to the wireless ad-hoc network always assume that nodes are mostly connected with each other. But in some special environments, ex. Terrestrial mobile networks, as Figure 1, buses can be used to store and forward messages, but the mobility of buses makes the network become intermittent connected; Exotic media networks, as in Figure 2, contain satellite networks, long-distance wireless network, or underwater networks, hence we can predict this will result in intermittent connection, high delay, and broken cause of the environment; Military Ad-Hoc Networks, routing in this kind of network may be in hostile environments where mobility, environmental factors, or intentional jamming may cause for disconnection; Sensor network, these networks are frequently characterized by extremely limited end-node power, memory, and CPU capability. In addition, they are envisioned to exist at tremendous scale, with possibly thousands or millions of nodes per network. Communication within these networks is often scheduled to conserve power, and sets of nodes are frequently named only in aggregate. The challenges of routing in the network are high delivery delay, intermittent connection, large queuing delay, and buffer limitations at intermediate nodes. This kind of network is the so-called delay tolerance network (DTN) [1][2]. Messages need to be stored and forwarded at another time.

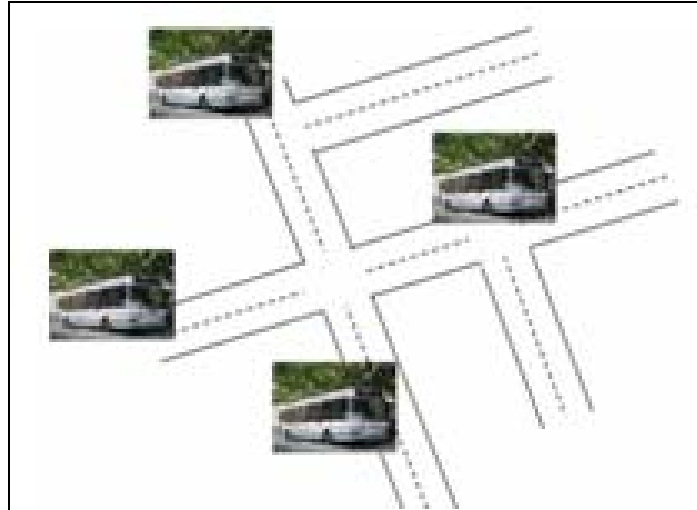


Figure 1: Terrestrial mobile networks

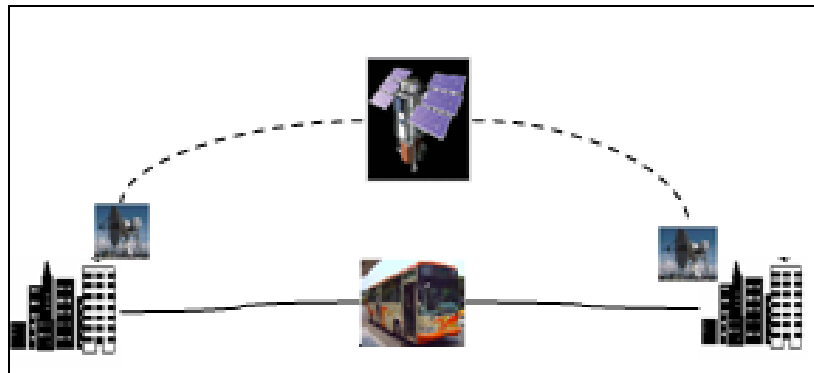


Figure 2: Exotic media network

Although messages can be sent to the destination by storage and forwarding of relayed nodes, we cannot promise that messages will have the minimal delivery delay. For example, Figure 3, messages from node A to node B are routed through node A at time=0, node C at time=0, node C at time=1, node C at time=2, node C at time=3, finally node B at time=3. But the second path through node A to node B at time=2 has smaller delivery delay.

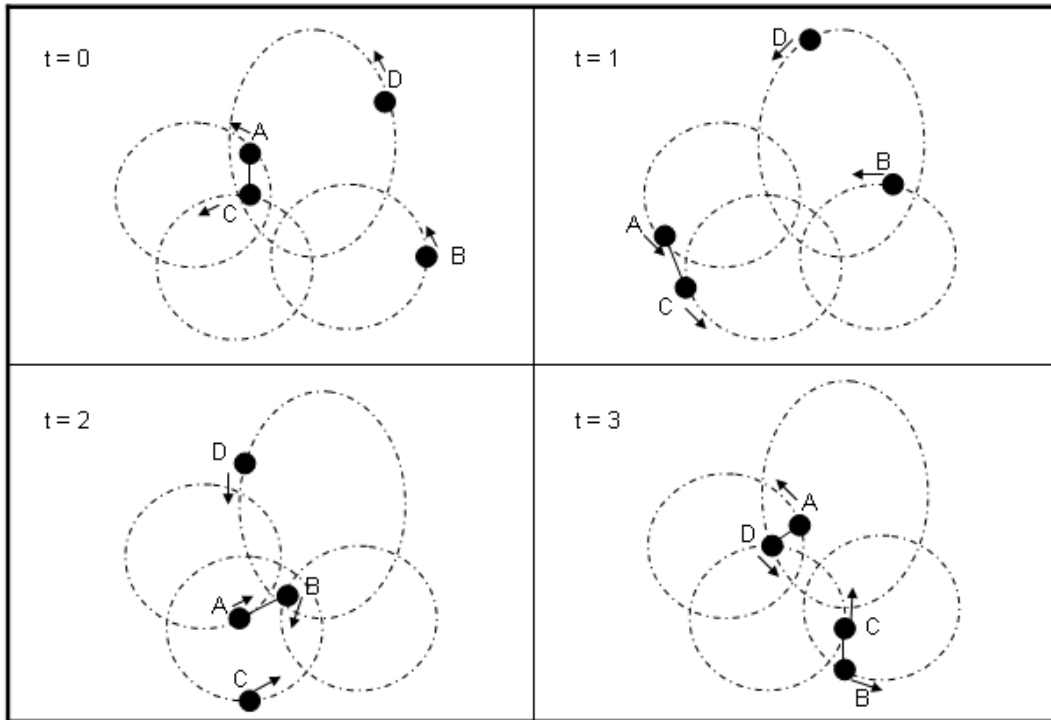


Figure 3: Can not promise that messages will have the minimal delivery delay

Hence, we use space and time information to generate graph with links in space and time domain. And the links in the time domain are connections between the same nodes in different time intervals. For example, we transfer Figure 3 to Figure 4. In Figure 4, the lines between nodes mean that the nodes are in the same transmission range in the same time interval. The dotted lines connect the same nodes in different time intervals. The shortest path from node A to node B is $A_0 \rightarrow A_1 \rightarrow A_2 \rightarrow B_2$, so we will adopt the second path in Figure 3 to send the message from node A to node B. Routing in space and time can be applied to GPS (global positioning system); the information of dynamic position, time, speed, and schedule of the path to destination can be known by GPS. The navigation center displays the trajectory of the vehicles' mobility, and vehicles can also get the information needed from the navigation center, for example, who data needed from other vehicles has to be relayed from whom. [3] proposes to find the path with minimal delivery delay with space and time

information. [4] also uses a knowledge oracle to obtain the connection between nodes.

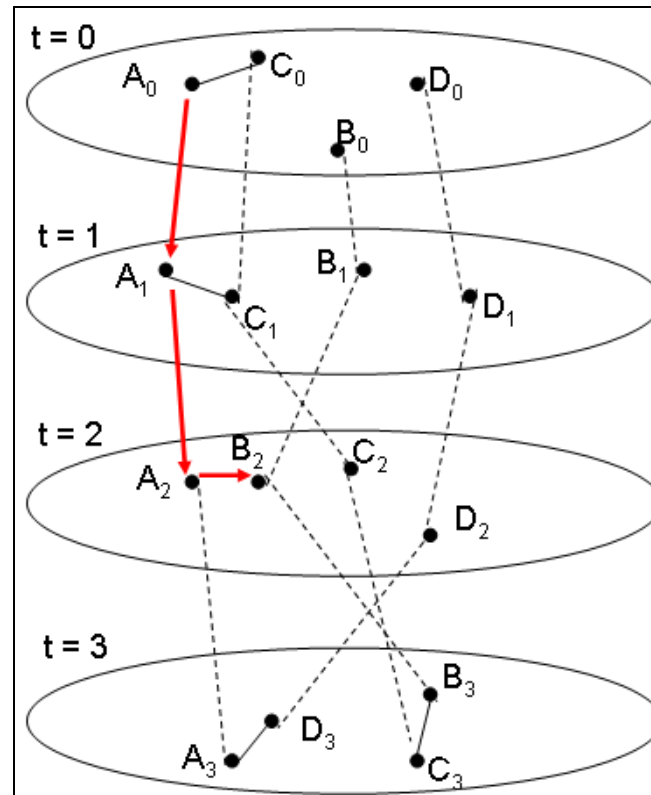


Figure 4: Finding the path with minimal delivery delay in space and time

The complexity of applying the Dijkstra algorithm to find the routing path using space and time information is $(N \times T)^2$ where N is the number of nodes, T is total time, and $(N \times T)$ is the graph size. Hence, the complexity is proportional with the number of nodes and the total time considered of finding the routing path. In DTN, the high delay between nodes will lead to larger total time intervals needed by finding the routing path, so the complexity becomes large. For example, Figure 5 shows that if the number of nodes is 50 and the total time intervals are 20, the complexity will be $(50 \times 20)^2$. Our purpose is to decrease the complexity of routing with space and time information in DTN, we focus on reducing the topology by using cluster topology to get the routing path. We propose the cluster-based routing with space and time

information to group the nodes into clusters, thus the topology is reduced.

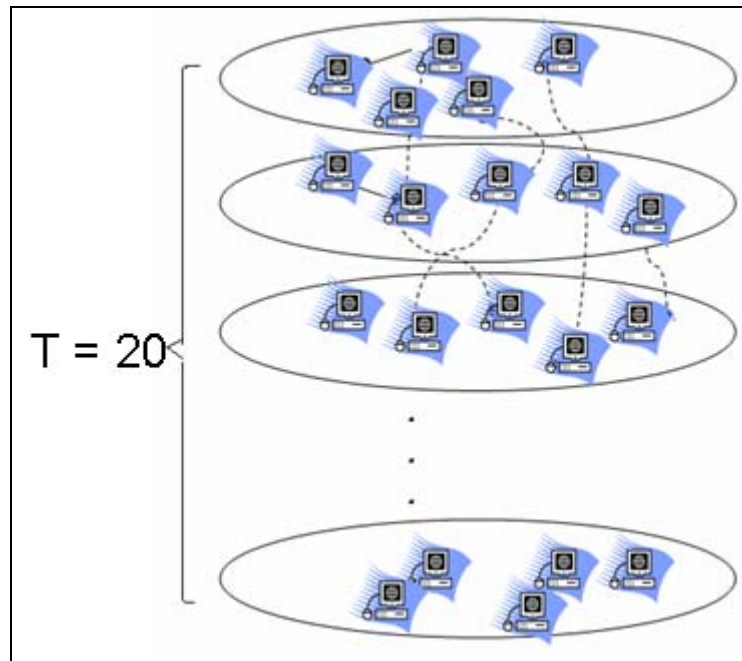


Figure 5: High delay lead to higher complexity

The topology of finding the routing path in cluster-based routing is cluster topology. Every node in cluster topology is a cluster, and the weight of edges is the time cost by sending messages between two clusters, and the links between clusters are formed by deploying the members of each cluster as the gateway node, like Figure 6, the links between clusters are $A_0 \rightarrow B_0 \rightarrow B_1 \rightarrow C_1$, and $A_0 \rightarrow B_0 \rightarrow B_1 \rightarrow B_2 \rightarrow C_2$. B_0 , B_1 and B_2 are gateway nodes. If we ignore the delay in the same time interval, we can obtain that $\overline{A_0 C_1} = 1$, and $\overline{A_0 C_2} = 2$ in the cluster topology. Compared to the original topology, which uses all the nodes to find the routing path, cluster topology is less complex. However, using cluster-based routing to decrease the complexity will lead to two problems. The first one is the additional space delay because messages will be sent to cluster head first, but the space delay is much smaller compared to the total delivery delay in DTN, so it can be ignored. The second one is the heavier load

of cluster head, and we use load balance clustering by choosing nodes with lower loads to be cluster heads and gateway nodes to avoid congestion.

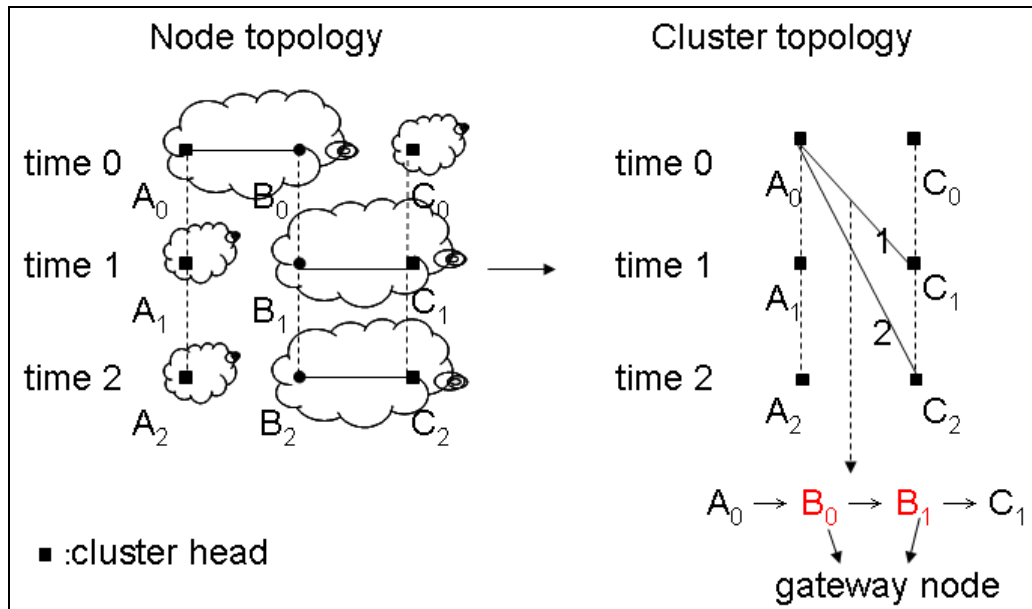
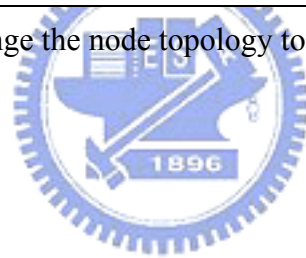


Figure 6: Change the node topology to cluster topology



Chapter 2: Related Work

In terms of routing in DTN, we can divide it into two cases. The first one is the deterministic case, which sends packets by predicting future connections. The second one is the stochastic case, which sends packets to any encountered node. We will discuss the deterministic case and the stochastic case in the following two sections.

2.1 Deterministic case

In order to adapt the network with mobility, the space and time routing comes into existence by using predictable mobility to find the routing path with minimal delivery delay[3]. This kind of algorithm involves links in time domain into graph, and modifying Floyd-Warshall algorithm to find the routing path. The complexity is $(N^3 \times T)$. In terms of predicting the path, [4] mentions that a node's mobility in DTN can usually be predicted, and proposes using knowledge oracles to support the situations of nodes in the future. Exploiting the oracles derives five algorithms, and the five algorithms individually use the oracle to predict the connection between nodes, the sending and receiving of buffer of nodes, and the flow in the network, and then raise delivery success rate according to the oracles; [5] [6] assume that each node knows every node's position at anytime completely, and builds the tree diagram to search for the routing path. Therefore, it can build connections in wireless network and even in intermittent connected network.

2.2 Stochastic case

With “epidemic routing”, mentioned in [7][8], the source node broadcasts the messages continuously, and the node that receives the messages will also broadcast

the messages as the source node. The routing method also uses the timer mechanism to delete the messages to reduce the load of nodes. When messages are successfully sent to the destination, “epidemic routing” uses a passive cure to remove the successfully relayed messages from the buffer of nodes which help relay the messages.

“PROPHET”[9] defines the transmission probability between nodes and updates the probability when nodes encounter each other. Using the probability to decide whether the packet needs to be relayed by encountered node or not can reduce the load of network efficiently and can obtain acceptable delivery success rate.

“Message Ferrying” [10] [11] [12] [13] [14] [15] [16] uses gateway nodes (which gather data at each area and exchange data with ferry nodes) and ferry nodes (which move around in every area and exchange data with gateway nodes) to transmit data in different areas. [12] divides the decision of gateway node used to contact with ferry nodes into three cases: stochastic, proportional, and the node close to the source node. The ways to transmit data between ferry nodes and gateway nodes are also divided into three types, outgoing first, incoming first, and round robin. It exploits different configurations in different networks to achieve best performance.

Chapter 3: Cluster-based Routing with Space and Time Information

In order to find the routing path, we find the cluster which involves the source node and the cluster which involves the destination node. Apply the Dijkstra algorithm with cluster topology to find the routing path between the two clusters. Then, use the routing path between clusters to find the mapped path between nodes to get the complete path between the source node and the destination node. The routing method is divided into two steps.

- (1) Construct cluster: Exploit greedy method to find the node which covers the most nodes to be the cluster head, and turn the covered nodes into a cluster.
- (2) Links between clusters: Exploit the members of clusters to connect to other clusters to form the links between clusters.

Detailed discussions are in the following two sections.

3.1 Construct cluster

We divide the cluster construction into two parts. One is that cluster will have two-hop member at most. The other is that connected nodes will be a cluster. Detail discussion is as following two sections.

3.1.1 Two-hop cluster

Exploit greedy method to find the node which covers the most nodes to be the cluster head, and the covered nodes become a cluster. Then, remove the nodes in the cluster from the graph. Keep finding the cluster head until all nodes are removed from the graph or the remaining nodes are isolated nodes which are not connected to other

nodes. The isolated nodes may be unconnected with other nodes or originally connected with other nodes, but will become isolated because of the removing act, as in Figure 7. So the isolated node will be checked to see if it is connected with any other cluster or not. If the isolate node is connected with another cluster, it will become the member of a connected cluster. Otherwise, the isolated node will be formed to be a cluster itself because of the necessity of all nodes being deployed to find the routing path. If the isolate node is not formed to be a cluster, it will not be considered in the cluster topology, and this will lead to the absence of some routing paths. Therefore, the isolated node will also be formed to be a cluster. Hence, the members are at most two hops away from the cluster head. The members that are three hops away will not exist because if there are two connected nodes which do not belong to any cluster, the two nodes will be a cluster.

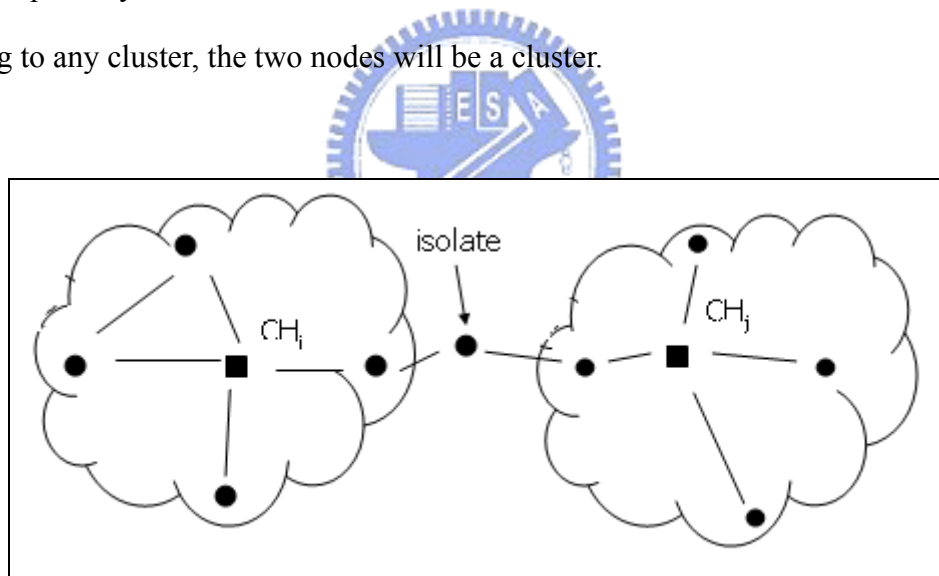


Figure 7: Becomes isolated because of the removing act

3.1.2 Connected cluster

Exploit greedy method to find the node which covers the most nodes to be the cluster head. Then make all connected node be involved into the cluster. Remove the nodes in the cluster from graph. Keep finding the cluster head until all nodes are removed from graph.

3.2 Links between clusters

Deploy the nodes of each cluster to connect to other clusters. Links in the space domain are only in the same time interval, and links in the time domain are deploying clusters of nodes to check if any cluster can be connected in other time intervals, and the number of time intervals being checked is t_ref . Here we set the value of t_ref to be 2 to discuss links in space and time in the following two sections.

3.2.1 Links between clusters in space domain

Deploy the members of each cluster to connect to other clusters in the same time interval. There are two cases. The first one is that if a member's neighbor is a cluster head, the two clusters are connected, as in Figure 8, node d is cluster a's member, and node f is node d's neighbor, so clusters a and f are connected by node d. The second one is that if the member's neighbor belongs to other clusters, the two clusters are connected, like Figure 9, node d is cluster a's member, and node d's neighbor, node i, is cluster f's member, so clusters a and f are connected by node d and node i.

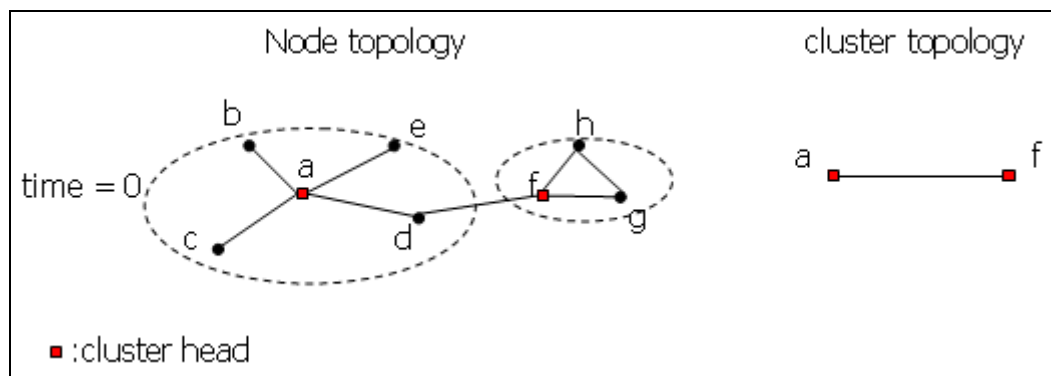


Figure 8: Links between clusters in space domain, case 1

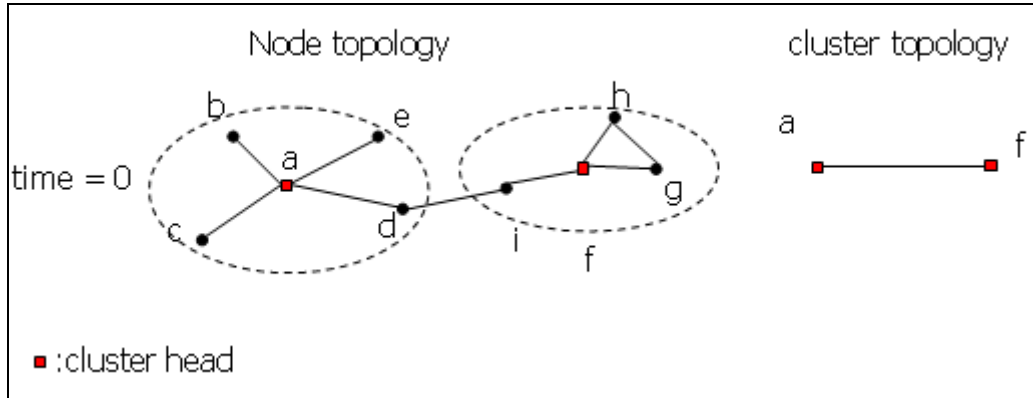


Figure 9: Links between clusters in space domain, case 2

3.2.2 Links between clusters in time domain

Connect the clusters in time domain to make a message that can not only route in space but also in time. Six situations will be discussed as following.

The first two cases are deploying cluster head to build the links, and the first one is that the node is a cluster head now and is also a cluster head in the next time interval. The second one is that the node is a cluster head now but is not a cluster head in the next time interval. In the first case, we can directly connect two nodes and set the weight to be the time as an interval. In the second case, we need to check which cluster the node belongs to in order to connect them. For example, in Figure 10, the first case is that node f is cluster head at time=0 and time=1, directly connect the two clusters, cluster f at time=0 and cluster f at time=1, and the weight is 1. The second case is that node a is a cluster head at time=0, but it's not a cluster head at time=1, connect cluster a at time=0 to cluster c at time=1 which contains node a.

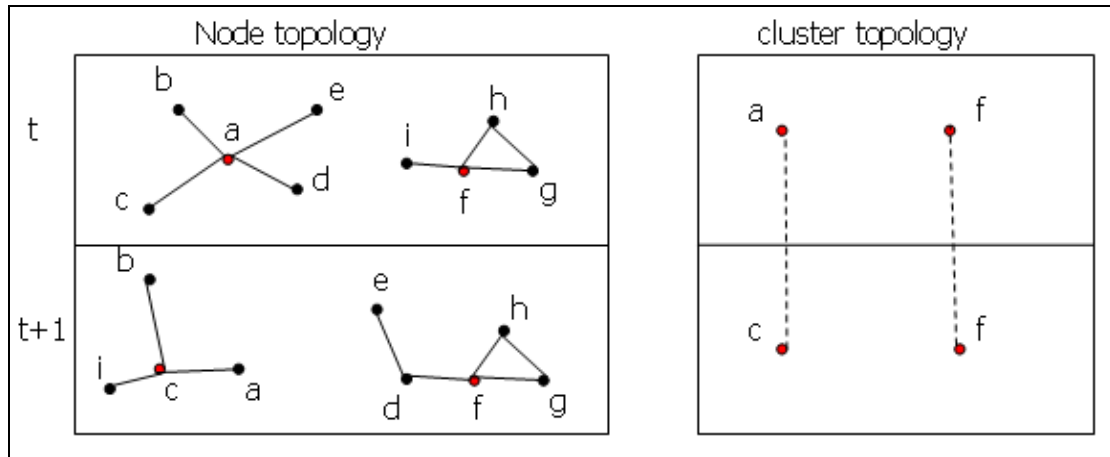


Figure 10: Links between clusters in time domain, case 1 and 2

The third case is that if a member is a cluster head in the next time interval, the two clusters are connected, as in Figure 11, node d belongs to cluster a, and node d is a cluster head at next time, so cluster a at time=0 and cluster d at time=1 are connected.

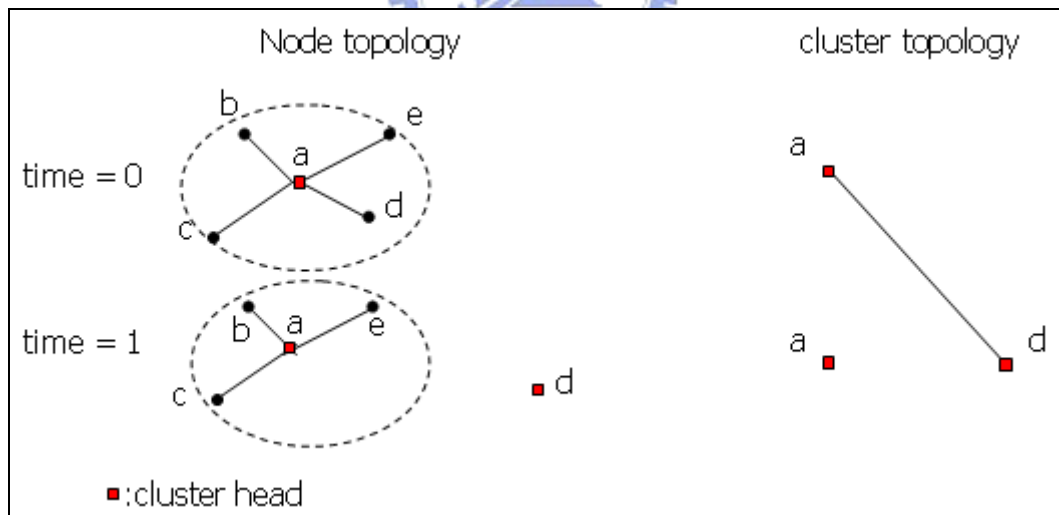


Figure 11: Links between clusters in time domain, case 3

The fourth case is that if a member belongs to another cluster in the next time interval, the two clusters are connected, as in Figure 12, node d belongs to cluster a at time=0 and belongs to cluster f at time=1, so cluster a at time=0 and cluster f at

time=1 are connected by node d.

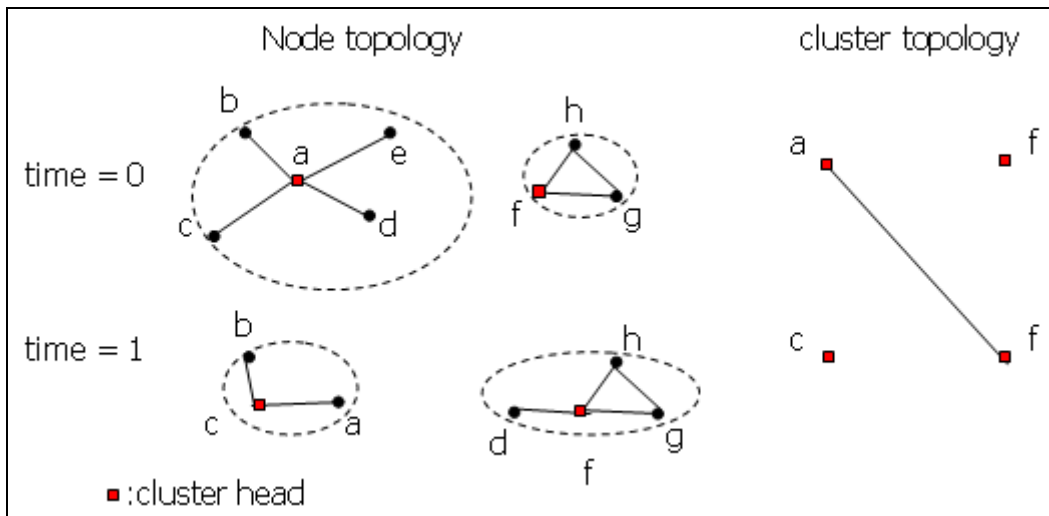


Figure 12: Links between clusters in time domain, case 4

The fifth case is that if a member's neighbor is a cluster head in the next time interval, the two clusters are connected, as in Figure 13, node d belongs to cluster a at time=0 and node d's neighbor, node f, is a cluster head at time=1, so cluster a at time=0 and cluster f at time=1 are connected by node d.

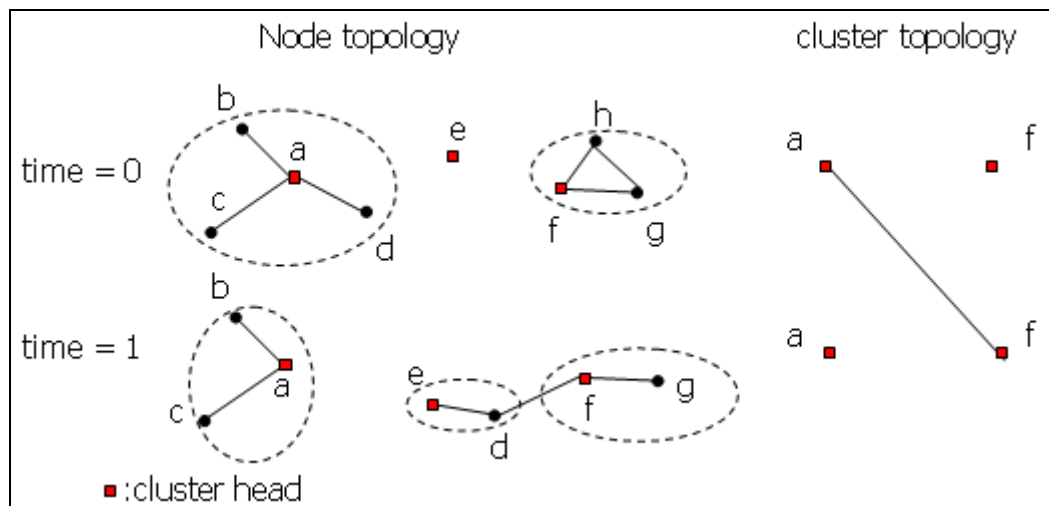


Figure 13: Links between clusters in time domain, case 5

The sixth case is that if a member's neighbor belongs to another cluster in the

next time interval, the two clusters are connected, as in Figure 14, node d belongs to cluster a at time=0, and the neighbor of node d, node h, belongs to cluster f at time=1, so cluster a at time=0 and cluster f at time=1 are connected by node d and node h.

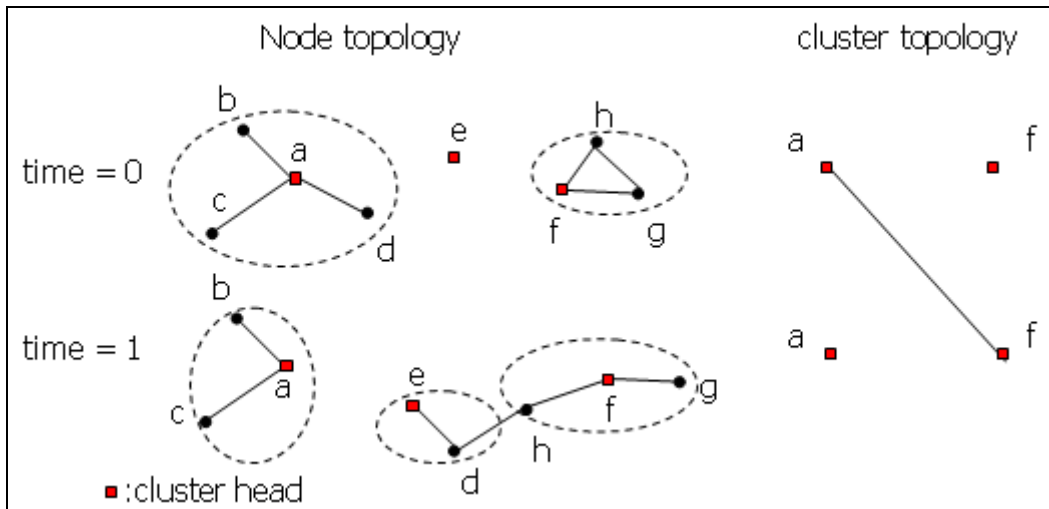


Figure 14: Links between clusters in time domain, case 6



Chapter 4: Complexity analysis

The graph size without clustering is the number of nodes plus the total time intervals, $\#node \times T$ (T : total time intervals), and the complexity of finding the shortest path by Dijkstra algorithm is $(total\ nodes)^2$, so the complexity of finding the routing path with space and time without clustering is X , as in Equation 1.

$$X = (N \times T)^2 \quad \text{Equation 1}$$

The meanings of the mathematical symbols in Equation 1 are as follows:

1. N : The number of nodes
2. T : Total time intervals
3. $N \times T$: Graph size in non-clustering



The total complexity of finding the routing path with cluster-based routing is Y , as in Equation 2.

$$Y = (total_deg \times t_ref - \sum_{i=1}^{t_ref-1} avg_deg) + (n \times T)^2 + T \quad \text{Equation 2}$$

The meanings of the mathematical symbols in Equation 2 are as follows:

1. n : Number of clusters
2. T : Total time intervals
3. $total_deg$: Sum of every node's degree
4. avg_deg : $\frac{total_deg}{T}$
5. $n \times T$: Graph size in clustering

$total_deg \times t_ref$ comes from the fact that nodes will check all of their neighbors in the time intervals, t_ref . And $\sum_{i=1}^{t_ref-1} avg_deg$ means that when a node is

at the time= t , the node does not need to check the time interval, $t + t_ref - 1$ if the time $t + t_ref - 1$ is larger than T . The complexity of applying Dijkstra to find the routing path is $(n \times T)^2 + T$, where T is result from the destination node belongs to different clusters in different time intervals.

The analysis of the complexity in the two methods of non-clustering and clustering is as Equation 3.

$$Z = \frac{X}{Y} = O\left(\frac{N^2}{n^2}\right) \quad \text{Equation 3}$$

The cluster topology is smaller than node topology because $n < N$, so Z will be larger than 1. It means that topology with clustering will reduce the complexity of finding the routing path.



Chapter 5: Load Balance Clustering Method

Cluster-based routing will lead to a heavy load of the cluster head, so we propose load balance clustering to avoid congestion of nodes with heavy load. Load balance clustering is divided into two steps: choosing nodes with lower load to be cluster heads and choosing nodes with lower load gateway nodes. We discuss the two aspects as following.

5.1 Choosing a proper cluster head

Change the decision of choosing cluster head from only caring about the node's degree to also take the past load into consideration. The purpose here is to choose the node with a higher degree and lower load. Higher degree will lead to less number of clusters because chosen nodes will cover more nodes, and lower load will decrease the load of cluster head. Therefore, we use a priority function to choose the node with a higher degree and lower load to be cluster head. The priority of being chosen to be the cluster head is shown in Equation 4. The higher the priority, the higher the degree and the lower the load in the past, hence, it can decrease congestion in the network.

$$\begin{aligned} Node_pri_i[t] &= \alpha \times \frac{deg}{N} + (1 - \alpha) \times \frac{1}{Node_load_accu_i[t-1]} \\ Node_pri_i[0] &= \alpha \times \frac{deg}{N} \end{aligned} \quad \text{Equation 4}$$

The meanings of the mathematical symbols in Equation 4 are as follows:

- 1 · α : Ratio of degree and load
- 2 · deg : The number of nodes connected

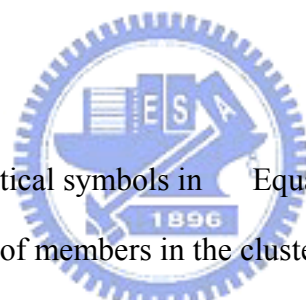
$3 \cdot N$: The number of nodes

The value of α affects the proportion of degree and load. If α is too high, nodes may congest easily, and it will lead to a lower delivery success rate because messages will be delayed in heavy load nodes and miss the possible routing path. If α is too low, it will lead to more clusters because the range covered by a cluster becomes small. We discuss the value in our simulation. And the load's definition is as

Equation 5,

$$node_load_i[t] = \begin{cases} 1 + \#member & , \text{node} \in \text{cluster head.} \\ 1 + \#member \times \frac{OutDeg_i}{\sum_{x=0}^{\#member-1} OutDeg_x} & , \text{node} \in \text{member} \end{cases}$$

Equation 5



The meanings of the mathematical symbols in Equation 5 are as follows:

- 1 · #member : The number of members in the cluster
- 2 · OutDeg : The degree of nodes excluding the members of the self cluster

Because messages will be sent to the cluster head first, the load of cluster head involves the member of self cluster and itself. The load of member takes how many nodes will transmit messages from itself into consideration. Therefore, if the out degree (the degree of nodes excluding the member of self cluster) of the node is large, the probability of helping relay data will also increase, and the load becomes high. And the load of nodes will be accumulated and also will decay with time, the definition is as Equation 6,

$$\begin{aligned}
 Node_load_accu_i[t] &= Node_load_accu_i[t-1] \times (1 - \gamma) + Node_load_i[t] \\
 Node_load_accu_i[0] &= 0
 \end{aligned}$$

Equation 6

The meanings of the mathematical symbols in Equation 6 are as follows:

γ : Decay ratio

The value of γ will effect decay of the load, if γ is high, it means messages will be sent quickly and load will decay right away. And we will discuss the value of γ in our simulation.

5.2 Choosing a proper gateway node

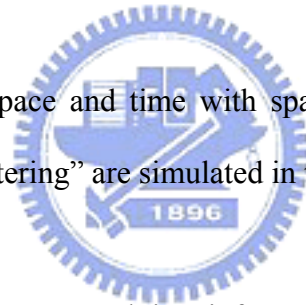
The main purpose is to choose a node with a lower load to help relay in order to avoid congestion. We assume that if a node is often chosen to be gateway node, it will have a higher load. Therefore, if the node is often chosen to be a gateway node, it is not proper to be the gateway node between clusters. It means that if two more nodes can be used to connect the two clusters, we choose the node which is seldom chosen to help relay to be the gateway node between two clusters in order to decrease the load of the node and also to not affect the connections between clusters.

Chapter 6: Simulation

Because of the difficulty of developing a delay tolerance network, the experiments are made through simulation, and deploy ns2 network simulation environment to generate patterns of the connections between nodes. The mobility model uses a random method. The sparse nodes and movement with high speed are used to simulate an intermittent connected and rapid varying network.

The DTN simulator is an event-driven simulator written in C and links are attached to nodes by patterns with finite propagation delay and finite bandwidth. Its main purpose is to simulate DTN-like store and forwarding of messages over long period of time.

“Cluster-based routing space and time with space and time”, additional space delay, and “Load balance clustering” are simulated in the following.



6.1 Cluster-based routing with space and time information

We use simulation to compare the performance of the algorithms with two-hop clustering, connected clustering and without clustering in different environments and discuss with the three merits, time complexity, average delivery delay, and path not found. In order to observe the difference of delivery delay obviously, the weight of space link is set to be 0.1. Before the discussion of different algorithms, we need to know the influence of the parameter, t_{ref} , which is the time interval checked when exploit members to find the routing path between clusters in our simulator. The influence of t_{ref} and the performance of cluster-based routing are discussed in the following two sections.

6.1.1 Influence of t_{ref}

Figure 15 shows that the complexity will increase with the value of t_{ref} increasing. It's because the more time intervals are checked, the more edges be found in the cluster topology. Figure 16 shows that the delivery delay is almost the same in different value of t_{ref} except for the value of t_{ref} is 1. If the value of t_{ref} is 1, this means that members only find the neighbors in space with a lack of time, so the delivery delay will become higher. Hence, we use 3 to be the value of t_{ref} .

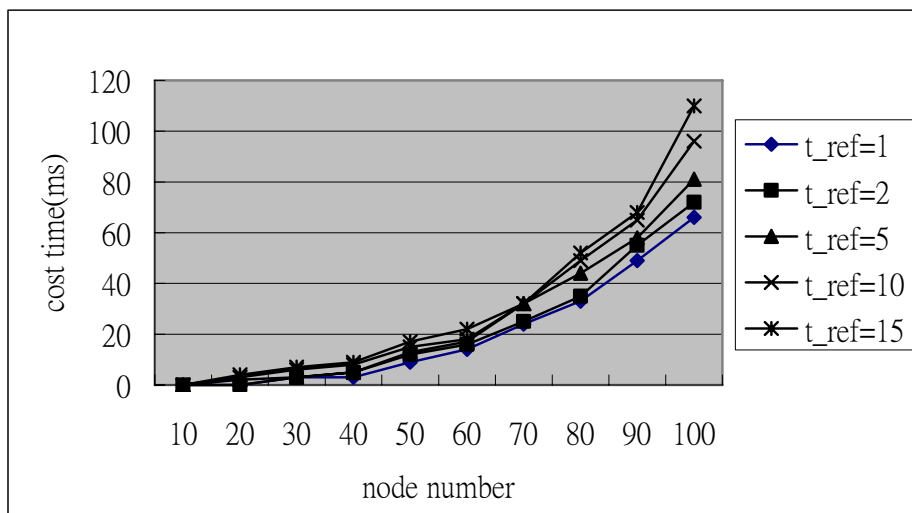


Figure 15: Complexity of different t_{ref}

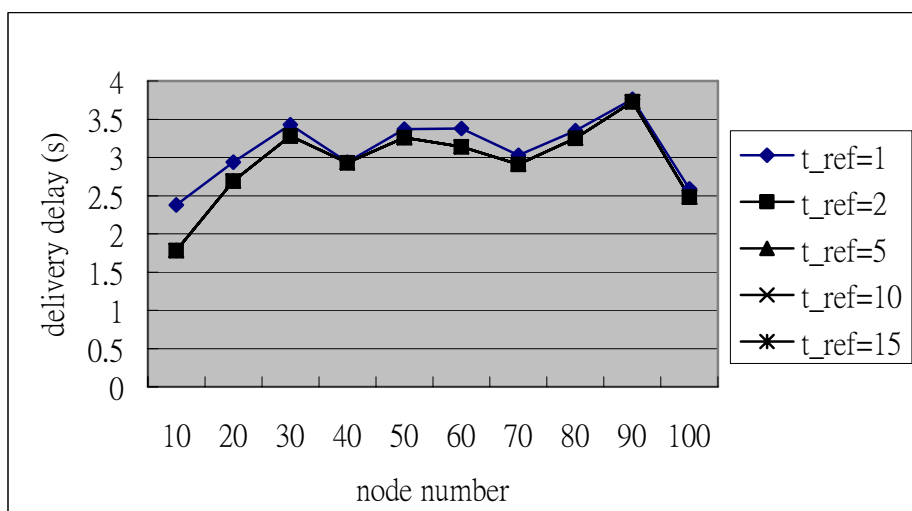
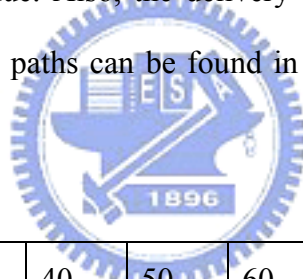


Figure 16: Delivery delay of different t_{ref}

6.1.2 Performance of cluster-based routing

The simulation is performed with two scenarios, static node density and static graph diameter. In the scenario of the static node density, the graph's diameter is set to be $250 \times \sqrt{\text{node_number}}$, and the node degree is like Table 1 which shows that every node has about 4 to 6 links. The number of clusters is 20% of the number of nodes in two-hop clustering and 10% of the number of nodes in connected clustering as Table 2. Therefore, the time complexity of two-hop clustering and connected clustering should be $(0.2)^2 = 4\%$ and $(0.1)^2 = 1\%$ of non-clustering's theoretically. Figure 17 and Table 3 show that the complexity of two-hop clustering and connected clustering are individually almost 4% and 1% of non-clustering's and the result matches to the theoretical value. Also, the delivery delay of clustering is increased slightly as Figure 18. And all paths can be found in the scenario by using the three algorithms.



| #node | 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 |
|--------|-----|------|------|------|------|------|------|------|------|------|
| Degree | 4.6 | 4.26 | 4.75 | 5.62 | 5.96 | 6.08 | 6.08 | 6.27 | 6.73 | 6.35 |

Table 1: Graph's diameter : $250 \times \sqrt{\text{node_number}}$, node's average degree

| Algo \ #node | 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 |
|--------------|------|------|------|------|------|-------|------|------|-------|-------|
| two-hop | 2.1 | 4.85 | 7.35 | 9.15 | 11.4 | 13.15 | 15.4 | 18.1 | 20.45 | 22.25 |
| Connect | 1.75 | 2.85 | 4.15 | 4.55 | 6.1 | 6.3 | 7.2 | 9 | 10.3 | 10.55 |

Table 2: Ratio of #cluster

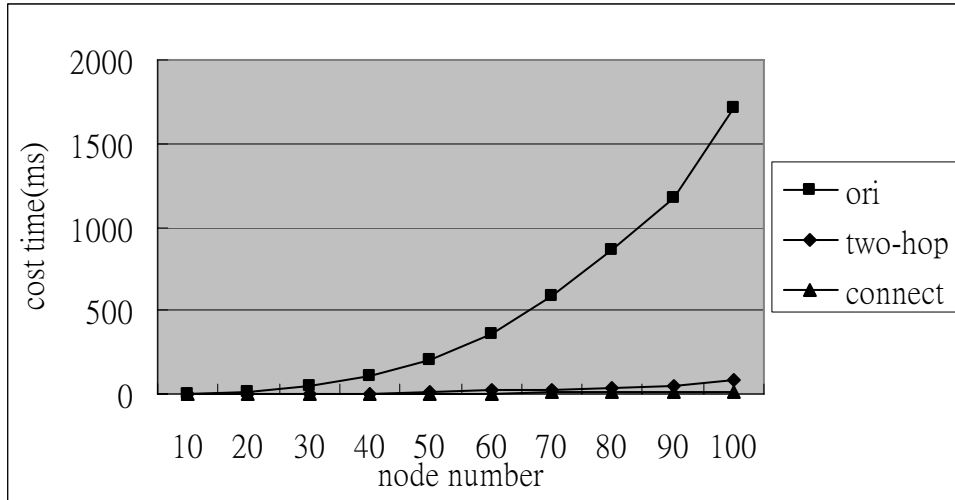


Figure 17: Diameter: $250 \times \sqrt{\text{node_number}}$, time complexity

| #node Algo | 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 |
|-----------------|----|------|------|------|-------|------|------|-------|-------|-------|
| Original | 0 | 10 | 46 | 108 | 202 | 354 | 586 | 858 | 1170 | 1712 |
| Two-hop | 0 | 1 | 3 | 4 | 6 | 19 | 28 | 41 | 53 | 81 |
| Ratio | 0 | 10.0 | 15.3 | 27.0 | 33.7 | 18.6 | 20.9 | 20.9 | 22.1 | 21.1 |
| Connect | 0 | 1 | 2 | 2 | 2 | 4 | 4 | 6 | 6 | 9 |
| Ratio | 0 | 10.0 | 23.0 | 54.0 | 101.0 | 88.5 | 83.7 | 107.3 | 117.0 | 114.1 |

Table 3: Diameter: $250 \times \sqrt{\text{node_number}}$, the analysis of time complexity

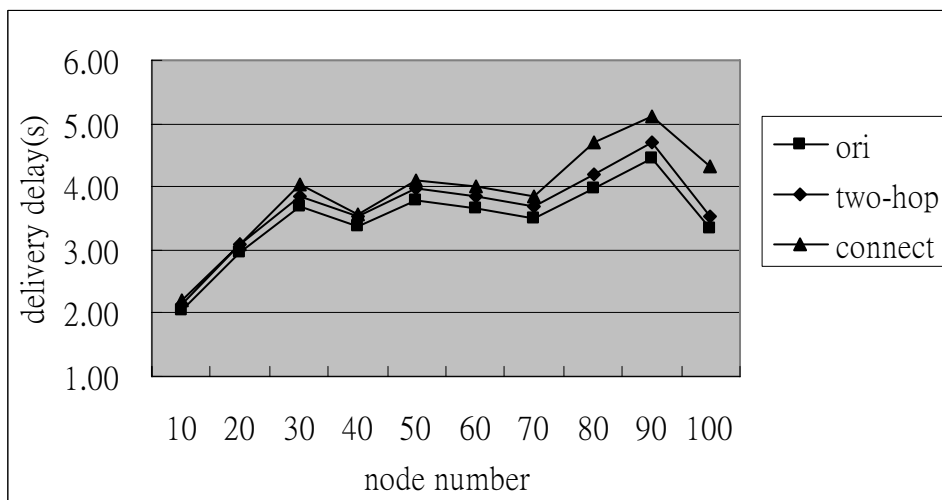


Figure 18: Diameter: $250 \times \sqrt{\text{node_number}}$, delivery delay

In the scenario of the static graph diameter, the graph diameter is set to be 2500. Time complexity, average delivery delay, and path not found are discussed. Figure 19 shows that the complexity of clustering is smaller than the non-clustering's and the ratio is as shown in Table 4. The delivery delay of clustering is increased slightly as in Figure 20.

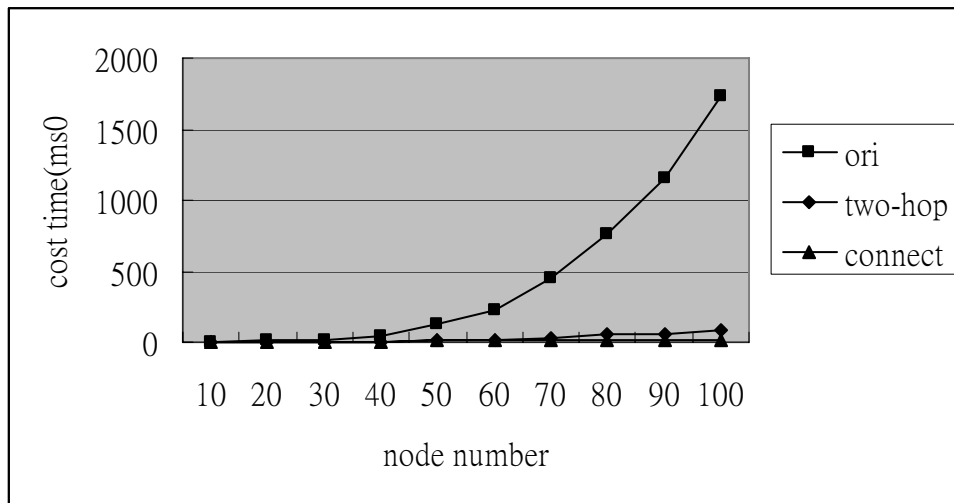


Figure 19: Diameter:2500, time complexity

| Algo \ #node | 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 |
|-----------------|------|------|------|------|-------|-------|-------|-------|-------|--------|
| Original | 0 | 10 | 16 | 38 | 122 | 228 | 454 | 764 | 1154 | 1730 |
| Two-hop | 0 | 1 | 4 | 6 | 18 | 20 | 34 | 50 | 56 | 90 |
| Ratio | 0.00 | 3.33 | 4.00 | 6.33 | 6.78 | 11.40 | 13.35 | 15.28 | 20.61 | 19.22 |
| Connect | 0 | 1 | 4 | 4 | 12 | 14 | 14 | 14 | 14 | 16 |
| Ratio | 0.00 | 5.00 | 4.00 | 9.50 | 10.17 | 16.29 | 32.43 | 54.57 | 82.43 | 108.13 |

Table 4: Diameter:2500, the analysis of time complexity

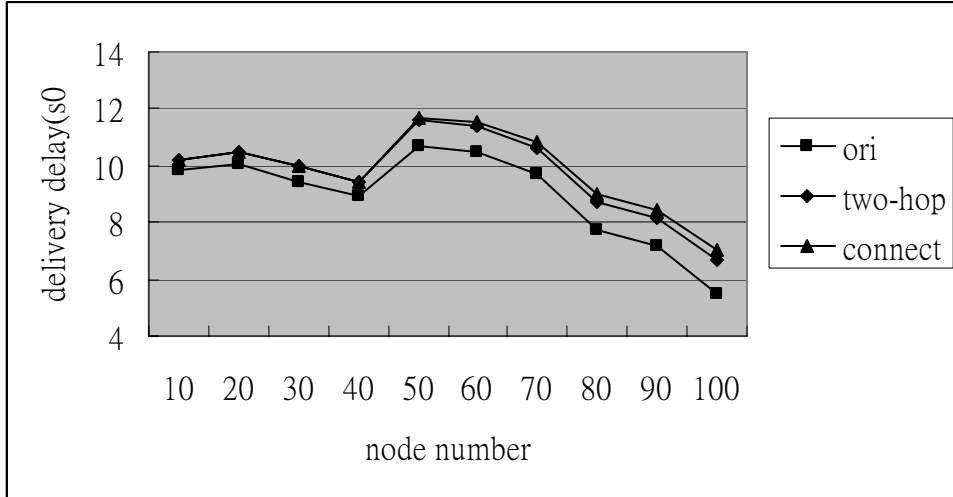


Figure 20: Diameter:2500, delivery delay

6.2 Additional delay

The graph diameter is $250 \times \sqrt{\text{node_number}}$ for the same node density, data rate is 54 M bit as the max data rate in 802.11a and packet size is 2304 octets as the maximum packet size in 802.11. Table 5 shows that The ratio $\left(\frac{\text{complexity of cluster}}{\text{complexity of original}}\right)$ is ranged from 0.012% to 0.024%, the additional space delay results from cluster-based routing can be ignored because the total delivery delay is larger than it.

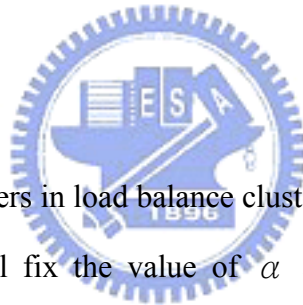
| node Algo | 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 |
|--------------|--------|--------|--------|--------|--------|--------|--------|--------|--------|--------|
| Cluster | 1.7789 | 2.6933 | 3.2844 | 2.9249 | 3.2552 | 3.1383 | 2.9036 | 3.2452 | 3.7254 | 2.4778 |
| Original | 1.7786 | 2.6929 | 3.2840 | 2.9244 | 3.2547 | 3.1377 | 2.9031 | 3.2446 | 3.7247 | 2.4772 |
| Ratio | 0.019% | 0.012% | 0.013% | 0.016% | 0.016% | 0.017% | 0.018% | 0.018% | 0.020% | 0.024% |

Table 5: Additional delay in different environments

6.3 Load balance clustering

To simulate the load balance clustering, the four cases as being without

balancing (cluster), improving choosing the cluster head (imp_CH), improving choosing the gateway node (imp_gate), and improving both (combine) are deployed in the DTN-simulator. And when node wants to send a message, it will send a request and then send the message until it receives a reply. The request size is 1Kb, reply message size is 1Kb, and message size is 10Kb. The queue size is infinite here. The data rate is 1Mb and the connection in every time interval will exist for half an interval. We define delivery success rate of a routing algorithm as the ratio of the number of messages that are successfully delivered to the total number of messages that are forwarded. The discussion of the simulation is divided into three parts as the influence of the parameters used in the load balance clustering, the improvement of delivery success rate, and the influence of the cluster head's rise by load balance clustering.



6.3.1 Influence of the parameters in load balance clustering

The simulation here will fix the value of α and γ individually to see the influences of the two values. The graph diameter is $250 \times \sqrt{node_number}$, the number of nodes is 50, messages are sent from every node to every other node, and γ is fixed to be 0.5 to see the influence of α with different loads. Figure 23 shows that the influence of α to the ratio of clusters is below 5%. Figure 21 and Figure 22 show that if α is 1, the delivery success rate is the lowest at different message sizes. This is because the load is not taken into consideration when choosing the cluster head. Therefore, we set α to be 0.7 to be performed in our DTN simulator.

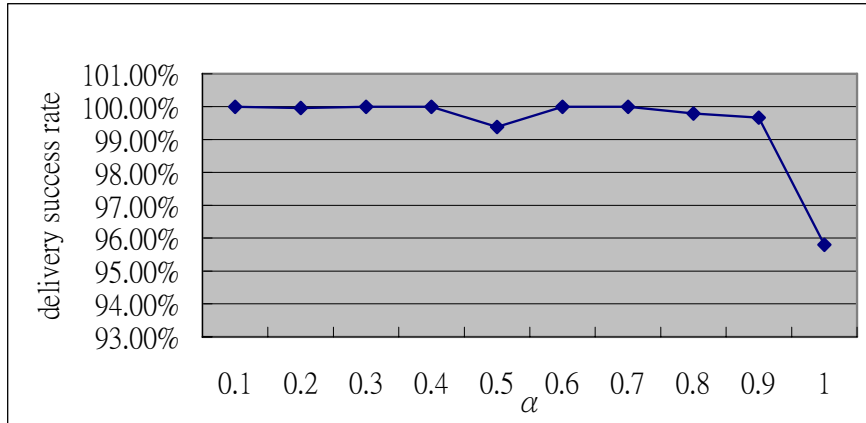


Figure 21: Message size:10, delivery success rate in different value of α

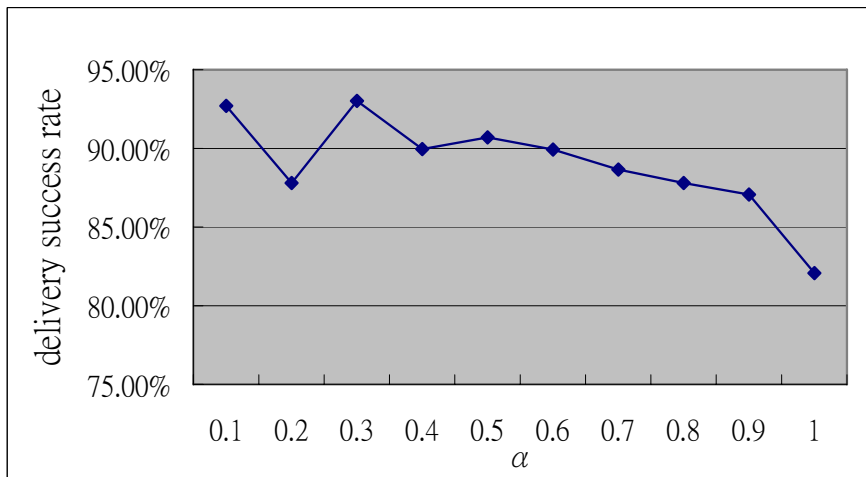


Figure 22: Message size:15, delivery success rate in different value of α

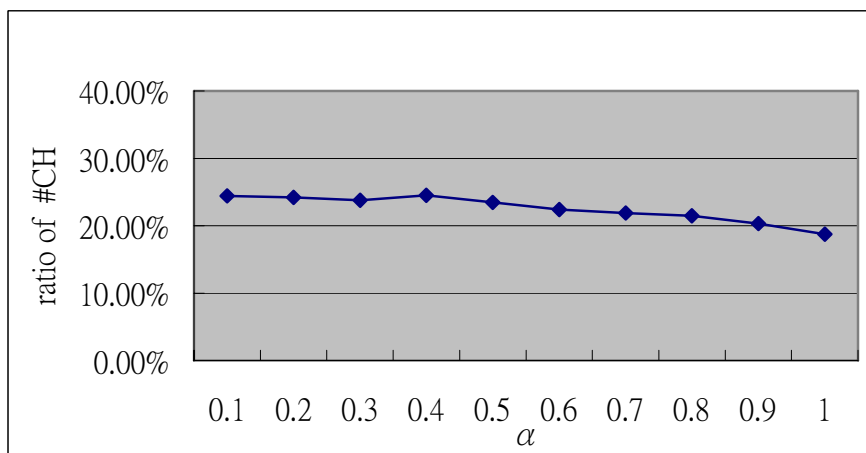


Figure 23: Ratio ($\frac{\#cluster}{\#node}$) in different value of α

Fix α to be 0.7 to see the influence of γ with different loads (The number of message every node send to any other node). Figure 26 shows that the influence of γ to the ratio of clusters is below 5%. Figure 24 and Figure 25 show that if γ is 1, the performance is the worst with different loads. This is because when γ is 1, just consider the load at a previous time instead of the load in the past while choosing the cluster head. Therefore, we set γ to be 0.5 to be performed in our DTN simulator.

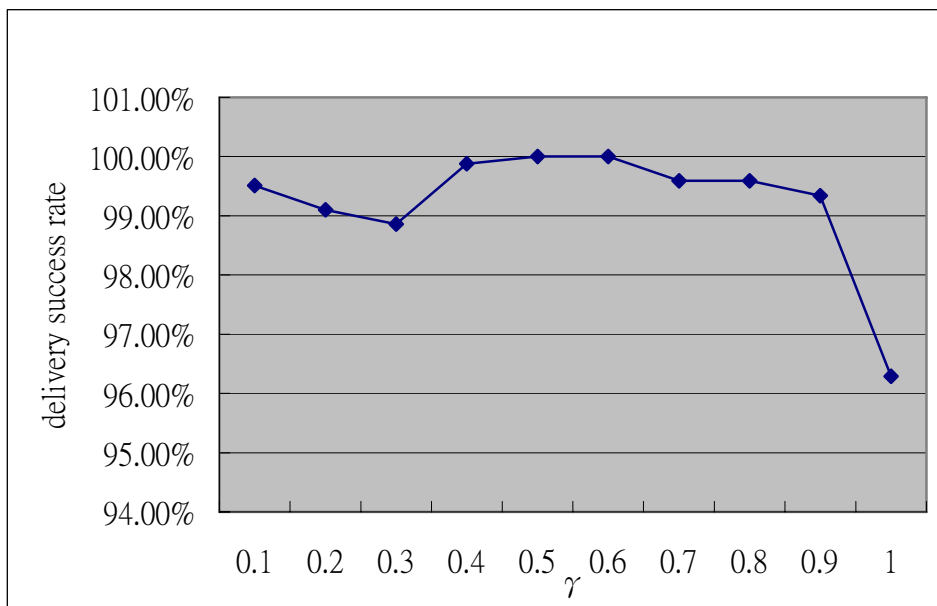


Figure 24: Message size:10, delivery success rate in different value of γ

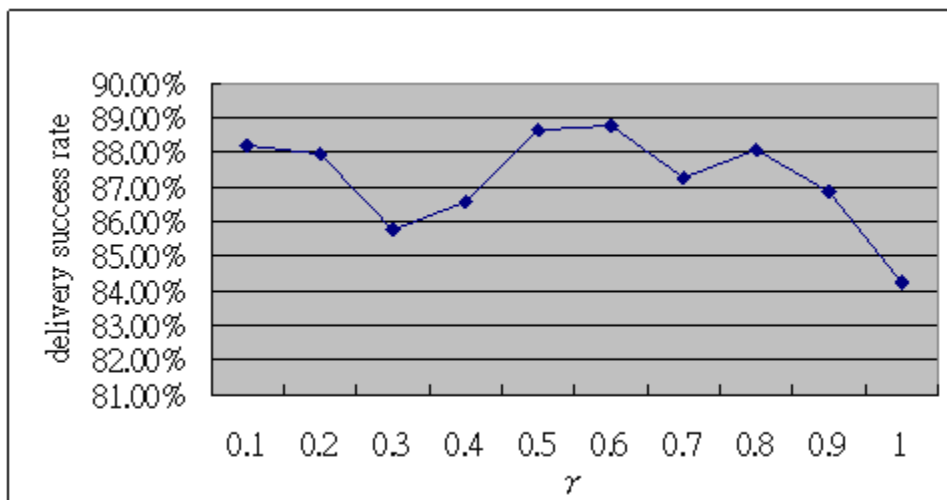


Figure 25: Message size:15, delivery success rate in different value of γ

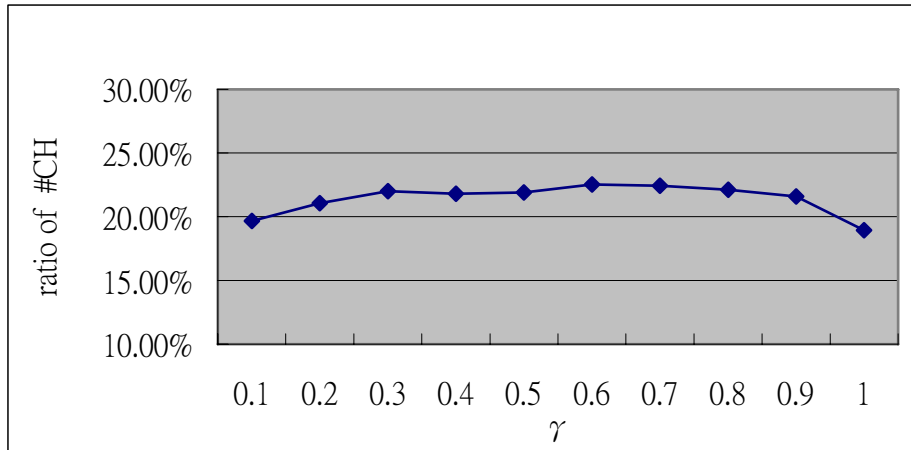


Figure 26: Ratio ($\frac{\#cluster}{\#node}$) in different value of γ

6.3.2 Improvement of delivery success rate

We observe the improvement with different loads in the scenario of the static node density (graph's diameter is $250 * \sqrt{node_number}$) and static number of nodes. When the number of nodes is 50 and messages are sent from every node to every other node, Figure 27 shows that improving choosing cluster head and gateway node can improve the delivery success rate about 5% to 10%. Also, the delivery delay is increased slightly as shown in Figure 28.

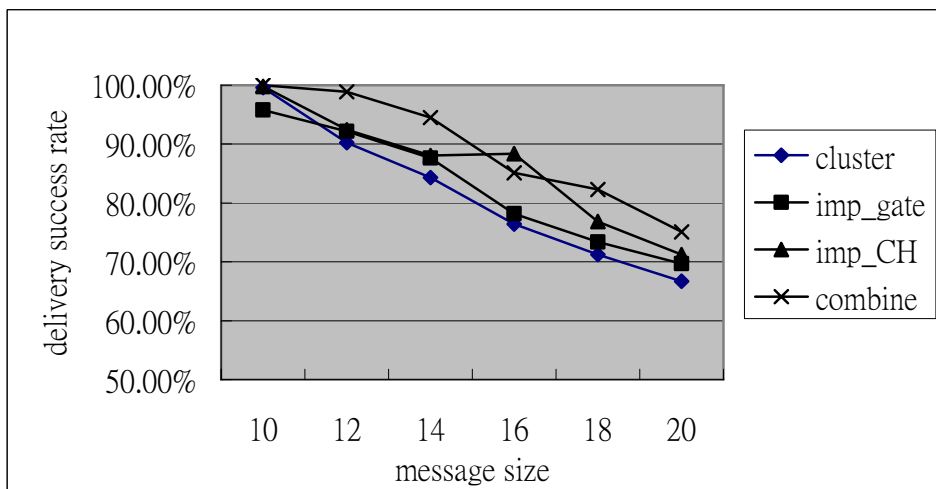


Figure 27: Number of nodes is 50, delivery success rate.

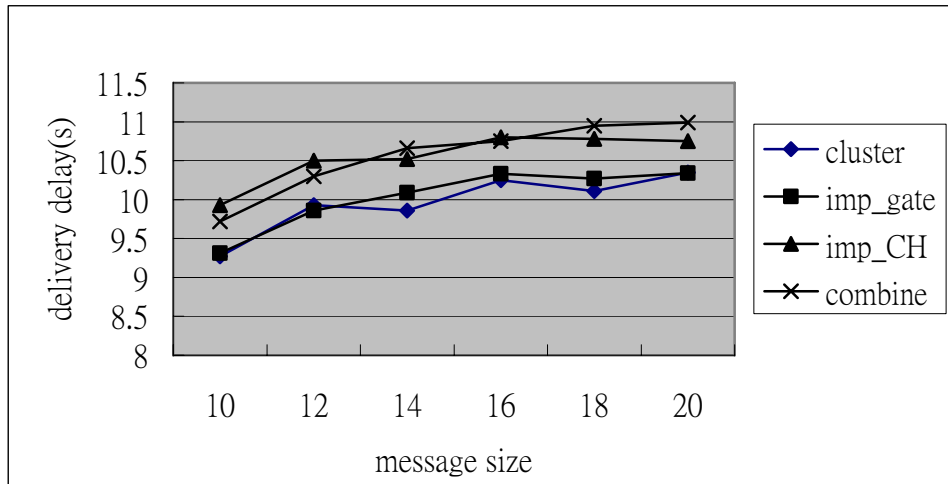


Figure 28: Number of nodes is 50, delivery delay.

When the number of nodes is 100 and messages are sent from half nodes to other half nodes, Figure 29 shows that improving the choosing of the cluster head and gateway node can improve the delivery success rate by about 5% to 10%. Also, the delivery delay is increased slightly as shown in Figure 30.

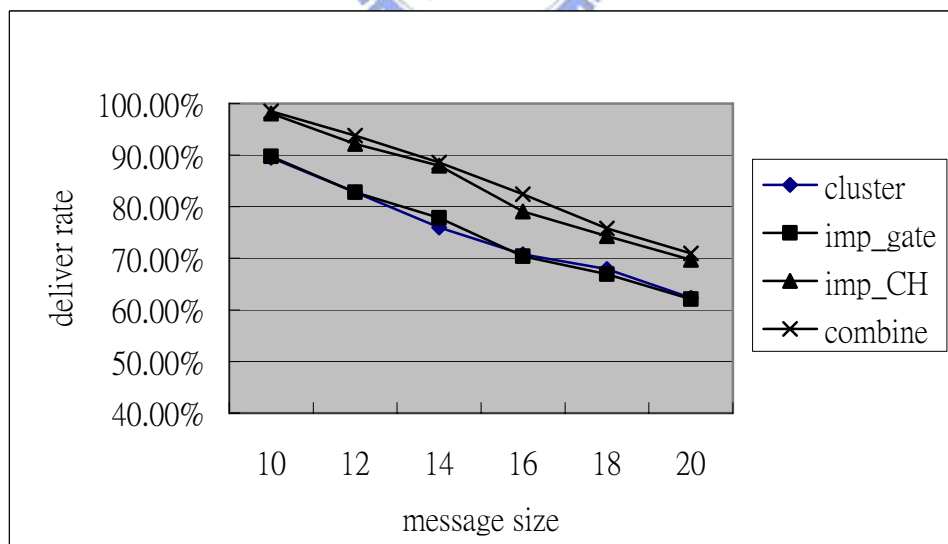


Figure 29: Number of nodes is 100, delivery success rate

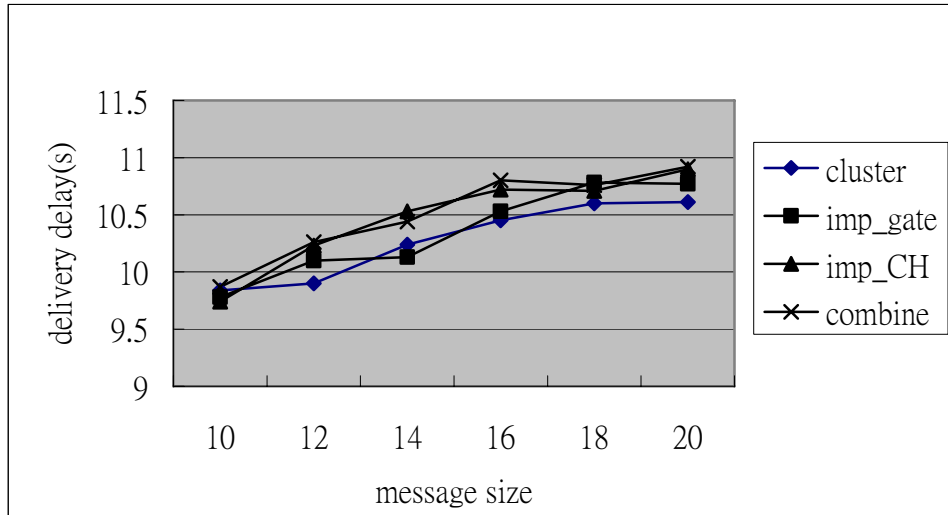


Figure 30: Number of nodes is 100, delivery delay

6.3.3 Influence of the number of clusters after improving cluster choosing

We observe the influence in the scenario of the static node density (the graph's diameter is $250 * \sqrt{node_number}$). Improving cluster choosing will lead to the increase of clusters as Table 6, so the time complexity will also increase. Figure 31 shows that the influence is slight, and the result matches to the theoretical value as Figure 32 counted by the number of clusters $(n \times T)^2$ and the number of nodes $(N \times T)^2$.

| Algo \ #node | 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 | 100 |
|--------------|-----|-----|-----|------|------|------|------|------|------|------|
| CH | 2.1 | 4.9 | 7.4 | 9.2 | 11.4 | 13.2 | 15.4 | 18.1 | 20.5 | 22.3 |
| Imp_CH | 2.3 | 5.0 | 8.0 | 10.0 | 12.9 | 14.8 | 18.7 | 21.5 | 24.0 | 26.3 |

Table 6: Average number of clusters in each time interval

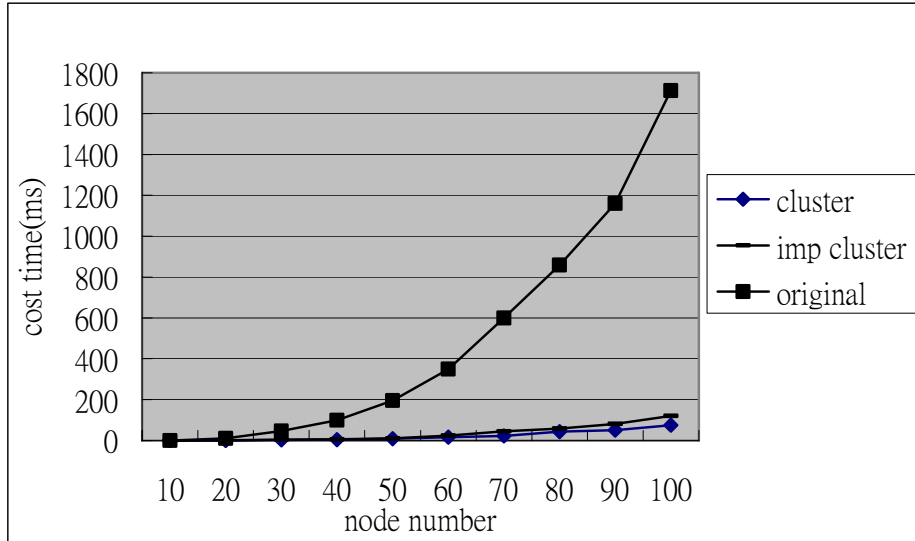


Figure 31: Time complexity

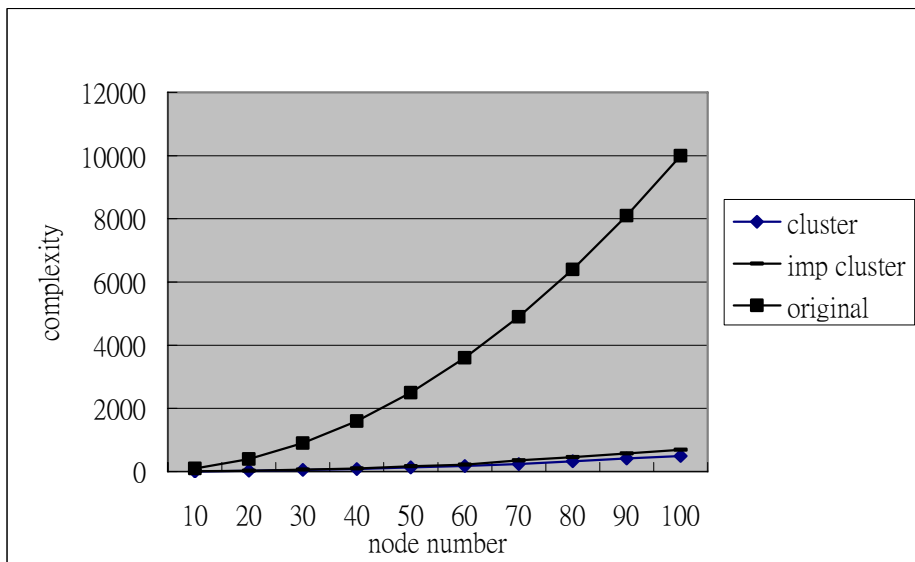


Figure 32: Time complexity theoretically

Chapter 7: Conclusion

In this thesis, because messages delivered by storing and forwarding can't have minimal delay, we adopt the method of predictable mobility to find the routing path. We focus on reducing the topology by using cluster-based routing. Using the cluster topology will reduce the graph needed by finding the routing path, and this will lead to lower complexity. The first one of the extended problems is the additional space delay because messages will be sent to cluster head first, but the additional space delay is much smaller compared to the total delivery delay. And the second one of the extended problems is the heavy load of cluster heads. It is improved by load balance clustering, and simulation shows that load balance clustering can improve the delivery success rate.



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