# 國立交通大學

電子工程學系 電子研究所碩士班

# 碩 士 論 文

應用於三維積體電路之

電路分層與成本估計

# Cost Evaluation and Circuit Partitioning for 3D IC

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# 應用於三維積體電路之電路分層與成本估計 Cost Evaluation and Circuit Partitioning for 3D IC

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#### 摘 要

近年來,隨著半導體製程的不斷進步,電晶體大小已微縮至奈米等級且電晶 體數目已達到數千萬顆,使得如何提升效能成為一項重大的目標,此外,新一代 製程的製造成本急遽上升,在成本和效能為考量目的之下,工程師們試著將晶片 堆疊起來,使面積縮小、線長縮短,進而使晶片效能提升。這些堆疊的晶片便是 所謂的三維積體電路。其中,負責層與層之間訊號與電源連線的矽穿孔技術扮演 著極為重要的角色,利用矽穿孔技術可以大幅縮短線長,提升晶片效能。

由於三維積體電路可以提供許多的好處,因此,估計要用多少成本來換取這 些好處便是我們的目的。在此篇論文中,我們提出一個以成本為導向的 multilevel 的三維積體電路分層方法,可以自動決定最佳的層數使三維積體電路的成本是最 低的並且將電路做分層。

我們的實驗使用了工業界提供的八個 gate-level netlists。此外,我們為了三維 積體電路提出一個修正的 Rent's rule,來說明分層與 TSV 用量的關聯性,實驗結 果證實利用 Rent's rule 的確可以準確的預估所需層數與 TSV 的用量。

## **Cost Evaluation and Circuit Partitioning**

## **for 3D IC**

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## **Abstract**

In the billion transistor era, 3D stacking offers an attractive solution against the difficulties resulting from large-scale design complexity. In addition, it potentially benefits performance, power, bandwidth, footprint, and heterogeneous technology mixing. Before adopting the 3D design strategy, we need to understand how much cost is required to trade these benefits. In this thesis, hence, we propose a cost-driven multilevel 3D IC partitioning framework. It can automatically partition a gate-level netlist to fit a *k*-layer 3D IC and also can determine the value of *k* to minimize the total cost. Experiments are conducted on eight industrial testcases to show the cost efficiency and effectiveness. Moreover, our results prove Rent's rule, indicating the correlation between the number of layers and through-silicon via usage.

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Cheng-Chi Chan

*National Chiao Tung University June 2010*

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## **CHAPTER 1**

## **INTRODUCTION**

#### **1.1. Background**

In the billion transistor era, 2D integration can hardly handle such a design complexity anymore. (According to the forecast of ITRS (International Technology Roadmap for Semiconductor), the tera-era is coming in 2014 [1].) Therefore, the efficiency of the algorithm is the main concern in the future. Hence, 3D stacking technology becomes a promising alternative because it can potentially offer higher system performance (shorter interconnect delay), lower power, wider bandwidth, smaller footprint, easier heterogeneous technology integration, and shorter time-to-market against conventional 2D implementation [2][3][4][5][6]. Moreover, the increasing cost for the more advanced process also makes industry try hard to find alternative solutions. Therefore, 3D IC technology is one possible solution and becomes one hot topic in the semiconductor industry.

A 3D IC is an integrated circuit that contains multiple dies vertically stacked together. Each die has an active device layer as well as several metal layers. Through-silicon vias (TSVs) are used to connect the nets across several dies. Fig. 1.1 shows a 3-layer 3D IC with TSVs for connecting each die. TSV IO is used to connect the primary inputs and outputs to the package pins. TSV cell is used to connect signal nets between two internal adjacent layers. TSV through combines a TSV cell and a TSV land and is used to connect a signal from the upper layer through the middle layer to the lower layer. TSV IO is placed in the bottom layer, while TSV cell and TSV through are placed in other layers. TSVs offer benefits of the reduction in global interconnects and the number of metal layers per die [6]. However, unlike a conventional via used in 2D IC, a TSV occupies a relatively large area, possibly introduces yield degradation, and adds extra cost. Therefore, TSV usage should be well-controlled. TSV-usage-aware methods have been proposed, e.g., [3][5][7][8][9][10][11]. They successfully deliver solutions when the number of layers *k* is specified.

## **1.2. Previous Works**

Most of existing 3D IC researches are focused on the performance which 3D IC takes, like power, bandwidth, footprint and heterogeneous integration [2][3][4][5][6]. However, the cost of a product is one important concern for a company. Evaluating the cost of a new 3D IC is the important stage of the design cycle. Before adopting the 3D design strategy, we need to understand how much cost should be paid to trade the benefits mentioned above. In [7], the authors propose the TSV-driven partitioning with balanced-area of 3D ICs. However, they must give *k* for their program. Furthermore, TSV-driven partitioning is not equal to cost-driven partitioning. Therefore, their work



Fig. 1.1. A 3-layer 3D IC with TSVs for connecting each die [10].

does not guarantee that the cost of 3D IC is better. In other words, determining the value of *k* is not trivial, and TSV usage is not enough to reflect the real chip cost of a 3D IC.

## **1.3. Our Contribution**

To conquer these issues, an efficient cost analyzer is desired. Dong and Xie proposed a system-level cost analyzer in [6]. On the contrary, to validate the cost estimation, we devise a circuit partitioning framework based on a given gate-level netlist. Unlike the existing TSV-aware methods, we also determine the number of layers *k* to minimize the chip cost. If 2D IC is cheaper, *k* will be set to 1. First of all, we evaluate the total cost when *k* is 1 and determine the possible range of *k* with a low cost (see Fig. 1.2). Secondly, we iteratively move cells between two neighboring layers using a multilevel scheme to minimize TSV usage. Finally, we apply multilevel cost-driven cell movement to reduce the total cost. After the three stages, a desired value of *k*, the



Fig. 1.2. The cost evaluation of 2D and 3D ICs. Except the netlist, all parameters are given by the process information file.

chip cost and TSV usage are obtained. Moreover, we reformulate Rent's rule to facilitate the determination of *k*, and our results prove the correlation between Rent's rule and TSV usage.

## **1.4. Organization**

The rest of this thesis is organized as follows. Chapter 2 gives the problem formulation. In Chapter 3, we detail the proposed algorithms. Experimental results are present in Chapter 4. Finally, we briefly summarize the benefits of our algorithm in Chapter 5.



## **CHAPTER 2**

## **PRELIMINARIES AND PROBLEM FORMULATION**

In this Chapter, we will introduce terminology for 3D IC, partitioning techniques, and Rent's rule, and finally give the problem formulation.

## **2.1. Stacking approaches of 3D ICs**

Fig. 2.1 shows that there are three approaches for stacking two dies. The face-to-face bonding, as shown in Fig. 2.1(a), is the best method due to it provides the short, tiny vias to connect dies. However, it is only suitable for two dies. To stack more than two dies, it must require face-to-back or back-to-back bonding method, as shown in Fig. 2.1(b) and Fig. 2.1(c). In our case, we apply the approach of face-to-back bonding to stack our 3D ICs.





Fig. 2.1. Three stacking die approaches: (a) face-to-face, (b) face-to-back, and (c) back-to-back.

## **2.2. TSV types**

There are two types of TSVs to connect dies, as shown in Fig. 2.2. Since the diameter of TSV is positive correlated to the etched depth and technique, the diameter of via-last TSV is larger than that of via-first TSV. In this work, the TSV area is defined in the cell library. Table 2.1 shows the average cell area and TSV area in each benchmark. A typical size of via-first TSVs ranges from 1µm to 10µm, whereas that of via-last TSVs ranges from 10 $\mu$ m to 50 $\mu$ m [14]. Fig. 2.3 shows the TSV size versus the inverter size. To simulate the real case, we modify the cell library for bench6 and bench7, as shown in Table 2.1(b).



Fig. 2.2. TSV types: (a) via-first TSV, (b) via-last TSV Table 2.1. (a) The average cell area vs. TSV area









Fig. 2.3. TSV size versus inverter size (unit:  $\mu$ m) [19]

## **2.3. The manufacturing cost**

The manufacturing cost of 3D IC can be divided into three terms:

- 1. Wafer manufacturing cost: It depends on the process of making products. Since the cost of a deep sub-micron process is very expensive, it occupies the most majority part of IC cost.
- 2. Testing cost: The testing cost is determined by the circuit complexity and testing time. Both of them can be compensated by an advanced testing methodology [16]. Hence, testing cost is not included in this thesis.
- 3. Assembly and packaging cost: Since the package of 2D chip is same as 3D chip, only the 3D bonding cost is considered.

Symbol	Description	Symbol	Description								
$\boldsymbol{k}$	The number of layers	$F_{TSV}$	TSV failure rate								
$C_{total}$	Total cost	$Y_{die}$	Yield of dies								
$C_{die,i}$	Die cost of layer i	$Y_{stacking}$	Yield of die stacking								
$C_{bonding}$	Bonding cost, 0 for 2D IC	$A_{die}$	Die area								
$C_{stacking}$	Stacking cost for single layer	$A_{cell}$	Area occupied by cells and macros								
$C_{TSV}$	TSV cost, 0 for 2D IC	$A_{TSV}$	Area occupied by TSVs								
$P_{\text{waper}}$	Single wafer price	γ	Coefficient for routing area overhead								
$N_{\text{gdie}}$	The number of gross dies	$d_{\text{waper}}$	Wafer diameter								
$N_{TSV}$	The number of TSVs	$D_0$	Defect density								

Table 2.2. The parameters used in the cost model.

## **2.4. Cost formulae**

Table 2.2 lists the related parameters indicated in Fig. 1.2 and Table 2.3 lists the values of five process information files; the reduced cost formulae [18] are as follows:

**SALLE** 

$$
C_{total} = \sum_{i=1}^{k} C_{die,i} + C_{bonding}, \tag{1}
$$

$$
C_{die,i} = \frac{P_{waper} + C_{TSV}}{N_{gdie}Y_{die}};
$$
\n(2)

$$
C_{\text{bonding}} = \frac{(k-1) \times C_{\text{stacking}}}{Y_{\text{stacking}}^{k-1} \times (1 - N_{\text{TSV}} \times F_{\text{TSV}})},
$$
\n(3)

$$
N_{\text{gdie}} = \frac{\pi d_{\text{waper}}^2}{4A_{\text{die}}} - \frac{\pi d_{\text{waper}}}{\sqrt{2A_{\text{die}}}};
$$
\n<sup>(4)</sup>

$$
Y_{\text{die}} = e^{-A_{\text{die}}D_0};\tag{5}
$$

$$
A_{die} = (1 + \gamma) \times A_{cell} + A_{TSV}.
$$
\n<sup>(6)</sup>

In  $(1)$ ,  $C_{total}$  is the total cost. It includes the cost of each die in 3D ICs and the bonding cost. In (2), the die cost is the cost of a good die in a wafer and the cost of a wafer includes the cost of processing TSVs for 3D ICs. In (3), the bonding cost correlates with *k* and the number of TSVs. The number of TSVs and k are larger, the bonding cost is more expensive. In (4), the number of good dies in a wafer is the total number of dies minus the number of cut dies in a wafer. In (5), the yield of a die correlates with the area of a die and the defect density of the process. In (6), the area of a die is the area of total cells in a die with considering routing overhead and the area of TSVs. Due to TSVs are directly connected with metal layers, we consider no congestion for TSVs while processing routing. Except  $k$ , N<sub>TSV</sub>, and C<sub>total</sub>, the values of other parameters are defined in the process file. The cost model will be incorporated into our framework.

#### **2.5. Fiduccia-Matteyses min-cut Algorithm**

The FM (Fiduccia-Matteyses) min-cut algorithm [13] provides an efficient approach to solve the problem of partitioning a circuit into 2 parts to minimize the number of cut nets. It calculates the gain of all cells and heuristically moves cells. We utilize FM to reduce TSVs with area constraint.

	Value of	Value of	Value of	Value of	Value of
Symbol	Process 1	Process <sub>2</sub>	Process 3	Process 3m	Process <sub>4</sub>
$C_{stacking}$	0.01	0.01	0.25	0.025	0.05
$C_{TSV}$	150	150	250	250	150
$P_{\text{waper}}$	4,000	8,000	8,000	8,000	8,000
$F_{TSV}$	0.000001	0.000001	0.00001	0.00001	0.0001
$Y_{stacking}$	0.99	0.99	0.985	0.985	0.98
$\gamma$	0.3	0.3	0.33	0.33	0.33
$d_{\text{waper}}$	8	12	12	12	12
$D_0$	5.0	4.0	1.0	0.5	1.0

Table 2.3. The process information files.

#### **2.6. Coarsening technique**

There are two kinds of hierarchical coarsening techniques, hyperedge coarsening (HEC) and edge coarsening (EC). Both are modified as modified hyperedge coarsening (MHEC) and FirstChoice (FC) [15]. We choose FC as our coarsening technique. FC coarsens cells based on the strength of connectivity by net weights. The weight of a net  $e_i$  is set as  $1/(\deg(e_i) - 1)$ , where  $deg(e_i)$  represents the degree of net  $e_i$ . Each cell chooses the strong connectivity cell to merge together.

### **2.7. Initial partitioning technique**

In the initial partitioning phase, we modify Loose net Removal (LR) algorithm [8] as our initial partitioning technique. LR focuses on the free cells of a loose net. Its goal is to prevent the loose net from being cut. According to the increased gain values, the highest priority cell moves to the locked region. The weight of loose net *e<sup>i</sup>* increase by  $deg(F_e)$  $deg ( L_{e} )$  $deg(e_i)$  $(e_i) = \frac{\max_{i} net_{i}}{\sum_{i} c_{i}}$ *i i e e i*  $deg(e_i)$   $deg(F_i)$ *L e*  $incr(e_i) = \frac{max\_net\_size}{1-(E_i)} \times \frac{deg(L_{e_i})}{1-(E_i)}$ , where deg(*e<sub>i</sub>*) is the degree of net *e<sub>i</sub>*, deg(*L<sub>ei</sub>*) is

the number of locked cells in  $e_i$ , deg( $F_{ei}$ ) is the number of free cells in  $e_i$ . The modified LR algorithm is shown as Fig. 2.4.

**LR**():

**while**(free cell exist)  $c = pick$  cell with max. gain; move and lock cell c; **for** (each net  $e_i$  incident to cell c) **if** ( $e_i$  is loose net) **for** (each free cell *f* of net)  $f$ .gain =  $f$ .gain + incr(e<sub>i</sub>); **endwhile**

Fig. 2.4. The modified loose-net removal algorithm

## **2.8. Problem Formulation**

As shown in Fig.1.2, the problem formulation of this thesis is given the gate-level netlist of a design, the cell library, and the cost models for 2D and 3D ICs, find the minimum cost and the corresponding number of layers *k*, partition the design into *k* layers and insert TSVs accordingly.

## **CHAPTER 3**

## **COST EVALUATION AND CIRCUIT PARTITIONING**

Before proposing the algorithm, we show our observations. Secondly, our framework is proposed. As shown in Fig. 3.1(a), the major steps of framework are *k* definition, multilevel TSV- and cost-driven partitioning. The general view of multilevel partitioning is shown in Fig. 3.1(c). Since low TSV usage usually leads to low cost, we use TSV-driven partitioning to obtain a fast initial solution and then adopt cost-driven partitioning to further refine the cost.

## **3.1. Observations**

According to the cost formula (1), we try to simulate the impact of TSVs. Fig. 3.2 illustrates the curves of die cost, bonding cost and total cost if the impact of TSVs can be negligible and the die area keeps the same for all layers. For a real case—Bench 1, as shown in Fig. 3.3, with area balance for each layer, the curves are similar to the simulated ones except that the cost growth with TSV consideration is faster than that excluding TSV. Therefore, the simulated ones are reasonable and can simulate the impact of the number of TSVs for *k*.

**ATTELLITY** 

As shown in Fig. 3.4, we can clearly see that the optimum *k* will be shrunk if the impact of TSVs is severe. According to Fig. 3.4, we can determine the maximum possible *k* without considering TSVs and without partitioning the design into *k* layers (*k* >2) if the cost of 2 layers is larger than the cost of 2D IC.



Fig. 3.1. (a) The cost evaluation and partitioning framework of 2D and 3D ICs. Cost evaluation is detailed in Fig. 1.2. Automatic determination of *k* is based on the reformulated Rent's rule. (b) The framework of multilevel TSV- or cost-driven partitioning. (c) Multilevel TSV- and cost-driven partitioning cycles.



Fig. 3.2. The curves of bonding cost, die cost and total cost.



Fig. 3.3. The curves of bonding cost, die cost and total cost by Bench\_1.



Fig. 3.4. The impact of the number of TSVs

Traditional Rent's rule [12] is based on recursive bi-partitioning. It is observed that the relationship between the numbers of external signal connections with the number of logic gates in the logic block, as shown in Fig. 3.5. The formula is  $T = tG^{\alpha}$ , where T is the terminals and G is the number of logic gates. t and  $\alpha$  are solved by the statistic data of partitioning. In our experiments, we observe that the number of TSVs is directly proportional to the number of dies with similar number of cells in log-log graph, as shown in Fig. 3.6. Inspired by Rent's rule, we replace the number of gates by the number of layers. Therefore, we utilize the equation of TSV-estimation,  $T = t k^{\alpha}$ , where T is the number of total TSVs,  $k$  is the number of layers, the parameter of t and  $\alpha$  are solved by the data of  $k = 2$  and  $k_{\text{max}}$ .

Fig. 3.7 shows that the TSV distribution is evenly distributed over all layers except the base layer because the base layer is designated for inputs and outputs. According to Fig. 3.6 and Fig. 3.7, we can also estimate the bonding cost and die cost. Therefore, the total cost can be estimated.



Fig. 3.5. # of terminals connected vs. # of gates (SLIP-2000) [17]. It is observed that the relationship between the numbers of external signal connections with the number of logic gates in the logic block. The formula of Rent's rule is  $T = tG^{\alpha}$ , where T is the terminals and G is the number of logic gates. t and  $\alpha$  are solved by the statistic data of partitioning.



Fig. 3.6. The number of layers vs. the number of TSVs in log-log graph.



Fig. 3.7. TSV usage in each layer versus *k* in Bench\_1.

### **3.2. Cost Evaluation and Partitioning Framework**

## **3.2.1. Multilevel TSV-driven partitioning**

The flow chart of multilevel TSV-driven partitioning is shown in Fig. 3.1(b). TSV-driven partitioning is used to obtain an initial partitioned netlist with low TSV usage. First of all, we execute multilevel coarsening to reduce the problem size. Secondly, according to the connectivity, we assign the coarsened cells to the layer under the area constraint. Then the FM algorithm is executed between the two neighboring layers by the order shown as Fig. 3.8(a) to further minimize the number of TSVs. Finally, at the uncoarsening phase, and *k*-layer partitioning is executed iteratively until the declutered circuit is the original one. In the Chapter 4, we will take comparison for TSV usage by the different orders as shown in Fig. 3.8.

## **3.2.1.1. Multilevel coarsening**

We utilize FC technique to coarsen the design iteratively until the number of new



(a) After processing the FM in upper layer, we then execute it downwards until the bottom (UB)



(b) After processing the FM upwards to the top layer, we then execute it downwards until the bottom (BTB)



(c) Execute FM from the top layer downwards to the bottom layer (T2B)



(d) Execute FM from the bottom layer upwards to the top layer (B2T) Fig. 3.8. The right arrow is the step of the order of executing the FM in each approach. The double-headed arrow points the two layers executing the FM.

nets and cells are close to the previous one; the factors for nets and cells are set by 0.7 and  $0.753/\sqrt{k}$  separately. FC coarsening technique is modified, where each group consists of at most three vertices. In this phase, the area of groups is smaller than  $A_{max}$  =  $\sum A_{cell}/(50k)$ , where  $\sum A_{cell}$  is the total area of the original design.

#### **3.2.1.2. Initial partitioning**

The inputs and outputs of a circuit are placed at the base layer. To assign the coarsened cells to the appropriate layer, we did it with FC, original LR, the strength of connectivity and modified LR. The results show the modified LR is the best one for initial partitioning. Therefore, we iteratively apply modified LR algorithm to choose the appropriate cell and then place the cell to the lowest layer which area is not larger than  $A_{\text{thr}} = \Sigma A_{\text{cell}}/k$  until no free cells exist.

## **3.2.1.3.** *k***-layer TSV-driven partitioning**

If the cell is moved with a positive gain toward one side, it will be moved with a negative gain toward the opposite side. Therefore, we simplify the *k*-layer partitioning into two-layer partitioning with FM algorithm and balance area iteratively toward both sides.

#### **3.2.1.4. Multilevel uncoarsening**

There are two parts at this phase: local uncoarsening and global uncoarsening. For local uncoarsening, we decluster the coarsened cells connected with the cut nets; for global uncoarsening, we decluster all coarsened cells. Due to the FM cannot distinguish between the cells with same gain but different types, i.e. the gain of -3 plus 1 and the gain of -2 are same, we utilize local uncoarsening to reduce break-tie conditions. Therefore, we execute both uncoarsening techniques iteratively with *k*-layer TSV-driven partitioning iteratively until the uncoarsed design is the original one.

# **3.2.2. The Coarsening at The Same Layer and Multilevel Cost-Driven Partitioning**

Before processing the cost-driven partitioning, we apply FC algorithm to coarsen the cells at the same layer iteratively until the depth of coarsening is reached. During coarsening, each group consists of at most three vertices. Once the coarsening phase is done, the cost-driven *k*-layer partitioning is executed. In cost-driven partitioning phase, the uncoarsening technique is only global uncoarsening. At the cost-driven partitioning, the gain on cut size (TSV usage) is used to select the cell to be moved during FM, but cost is re-evaluated and recorded after each movement. At the end, the cost is used to determine the movements that should be applied.

#### **3.3.** *k* **Definition**

According to our observations, we develop two approaches to find the appropriate *k* for the optimum cost of 3D ICs as follows.

### **3.2.1. Rent's Rule (RR)**

First of all, if the cost of  $k = 2$  is better than that of  $k = 1$ , k will be  $k_{\text{max}}$  in the second iteration. Based on the reformulated Rent's rule, we interpolate the number of TSVs and the cost for an unsolved *k*. Moreover, our results show the strong correlation between the estimated and real TSV usages. (see Table 4.6)

#### **3.2.2. Fast RR (FRR)**

As shown in Table 3.1, the numbers of TSVs in the middle layer of different *k* are close. Therefore, we can save time by assuming the number of TSVs In the middle layer of  $k_{\text{max}}$  as the results of  $k = 2$ . First of all, if  $k_{\text{max}}$  is even, we start with  $k = k_{\text{max}}$ , otherwise, we start with  $k = k_{\text{max}} + 1$ . Secondly, the number of TSVs in middle layers is approximated by the results of  $k = 2$ . Finally, reformulated Rent's rule is used to evaluate *k*. We take the evaluated *k* to execute the TSV- and cost-driven partitioning for 3D ICs.

#TSV $\boldsymbol{k}$	$\overline{2}$	$\overline{4}$	6	8	10	12	14	16	18	20
Bench 1	25	27	27	27	27	27	25	25	25	25
Bench 2	261	261	261	261	261	261	261	261	261	261
Bench 3	1,597	1,612	1,617	1,879	1,648	2,177	1,637	1,654	1,728	1,628
Bench 4	1,146	1,143	1,143	1,143	1,148	1,150	1,151	1,143	1,151	1,151
Bench 5	1,066	1,068	1,066	1,070	1,177	1,066	1,236	1,253	1,241	1,236
Bench 6	339	2,029	1,430	1,430	1,430	1,430	1,433	1,430	1,434	1,431
Bench 7	1,079	1,079	1,088	1,079	1,169	1,087	1,557	1,437	1,089	1,675
Bench 8	1,265	1,297	1,297	1,297	1,297	1,297	1,305	1,298	1,298	1,359

Table 3.1. TSV usage in the middle layer of different *k*

## **CHAPTER 4**

## **EXPERIMENTAL RESULTS**

#### **4.1. Benchmark**

Totally 10 industrial benchmarks [18] are used. Table 4.1 lists the benchmark statistics, where Circuit 1, Circuit 2, and Circuit 3 are used in [7]. Others are newly added. Table 2.3 lists the values of five process information files. Bench\_1 uses Process 1, Bench 6 uses Process 3m, Bench 2, Bench 4 and Bench 7 use Process 2 and others use Process\_3.

#### **4.2. Experimental setting**

Our framework is written by  $C/C++$  language and executed on a platform with Intel Xeon CPU E5420 of 2.5 GHz frequency and of 32 GB memory.

## **4.3. Experimental methodology**

To show that the approach of Rent's rule is effective and efficient, we also proposed four approaches for comparison.

<b>Benchmark</b>	#Cells	#Nets	2D cost (USD/chip)
Circuit 1	6,290	6,512	Table $4.4(a)$
Circuit 3	9,155	8,627	Table $4.4(b)$
Bench 1	85,013	89,187	0.920740
(a.k.a. Circuit 2)			
Bench 2	90,124	90,717	0.837453
Bench 3	399,048	401,426	3.195320
Bench 4	202,815	203,756	2.075460
Bench 5	482,189	484,738	5.457680
Bench 6	900,307	906,404	8.901710
Bench 7	468,536	472,278	8.635300
Bench 8	484,456	488,296	4.716000

Table 4.1. Benchmark Information

#### *4.3.1. Linear Increment/Decrement (LI)*

Initially,  $k = 1$ . We start with  $k = 2$ , increase k by one if the cost of k is better than the previous one. Otherwise, we decrease k by one as the number of layers for 3D ICs.

#### *4.3.2. Linear decrement (LD)*

First of all, the costs of  $k = 1$  and 2 are evaluated. If  $k = 2$  with a smaller cost, it means that it is possible to get lower cost by partitioning the design into more dies. Secondly, the maximum possible  $k$  ( $k_{\text{max}}$ ) is determined by the cost function with omitting the impact of TSVs. We start with  $k_{\text{max}}$  and decrease k by one if the cost of k is better than that of  $k+1$  or larger than  $k = 2$ . Finally, we can choose the best k as the number of layers for 3D IC.

#### *4.3.3. Quadratic Equation (QE)*

Since the cost function w.r.t.  $k$  is convex, we use a quadratic equation to fit this curve. At least three points are required. Initially, the three points are  $k = 1, 2, k_{\text{max}}$ . If the cost of  $k = 2$  is larger than that of  $k = 1$ , then  $k$  is set to as 1. Otherwise, we utilize the better *k* and its neighboring two points to get new *k* for lowering the cost. We iteratively confine the range of  $k$  until  $k$  is selected. Then we use LD and LI to check if  $k$  is fit.

## *4.3.4. Binary Search (BS)*

Since the cost function is convex, binary search can be used in possible range of *k* to redefine *k*.

#### **4.4. Discussion**

Table 4.2 shows the comparison for TSV usage of the different orders of executing FM in Fig. 3.8. Due to the primary input and output are placed in the bottom layer, it is a good starting point for executing FM from the bottom to the top layer. Therefore, the method of B2T is better than the one of T2B. While processing the FM with B2T, the lower layer is different and the previous step cannot be guaranteed to be the best. The B2T is modified as the UB and the BTB. While processing the FM in the upper layer, only the UB can guarantee that the lower layers are the best. Therefore, the UB is the

<b>Benchmark</b>	<b>UB</b>	<b>BTB</b>	T <sub>2</sub> B	B <sub>2</sub> T
Bench 1	245	245	245	240
Bench <sub>2</sub>	2,273	2,273	2,273	2,273
Bench <sub>_3</sub>	12,490	12,489	12,568	12,681
Bench 4	11,122	11,887	16,077	13,117
Bench 5	9,334	9,522	10,878	9,456
Bench <sub>6</sub>	11,385	11,385	11,395	11,587
Bench 7	9,726	9,726	10,633	9,731
Bench 8	9,703	9,703	10,305	9,759
Total	66,278	67,230	74,374	68,844

Table 4.2. TSV usage vs. the order of executing the FM in Fig. 3.8 while *k* is 10

Table 4.3. Multilevel multilayer TSV-driven partitioning comparison.

		Ours	7
Circuit 1	# of TSV	560	579
$(4$ layers)	Chip area	223,096.0	211,196.0
Circuit 2	# of TSV	119	157
$(5 \text{ layers})$	Chip area	1,465,465.0	1429,665.0
Circuit 3	# of TSV	378	285
$(3 \text{ layers})$	Chip area	269, 577.0.	273,211.5

best order for reducing TSV usage.

Comparison with [7] is listed in Table 4.3. It can be seen that we can generate competitive even better results than [7]. (The results of [7] are quoted from their paper. Since the platform is different, the runtimes are not shown here.) In Table 4.4, Circuit 1 and Circuit 3 are determined to be implemented by 1 layer, i.e., 2D IC, using five process information files. It can be seen that 3D IC is not always suitable for all designs, and we shall evaluate cost before adopting it.

Tables 4.5 list the cost comparison over all approaches of *k* definition. It shows that the steps of the definition of  $k$  and the cost corresponding to  $k$  during TSV-driven partitioning and the cost of the best *k* of 3D ICs by cost-driven partitioning in each approach. Determined *k* is *k* of the lowest cost between 2D and 3D ICs. All approaches can successfully find the appropriate value of *k*. It can be seen that runtime is directly proportional to the iterations of *k* definition. The numbers of iterations of the approaches of LI and LD depend on the design and the process. The approaches of QE and BS can have small numbers of iterations if the appropriate value of *k* is close to neither 2 nor *k*max. The approaches of RR and FRR can find *k* within three iterations. Therefore, the runtimes are stable.

Table 4.6 shows the strong correlation of TSV usages estimated by Rent's rule and the real number. It can be seem that the estimated TSV usage by Rent's rule is close to the real one. Therefore, we can utilize Rent's rule to estimate the TSV usage and bonding cost in different *k*. Since Bench\_3 is suitable for 2D IC, it is not included here. Even when the estimated TSV number is biased, the trend could be accurate so that the bias would not affect the determination of *k*.

Table 4.7 shows that the TSV distribution is evenly distributed over all layers except the base layer in each benchmark. According to Table 4.6 and 4.7, we can also estimate the TSV usage and die cost in each layer. Once bonding cost and die cost are estimated, *k* of the best cost can also be determined.

		tur Univum T			
				Process 1   Process 2   Process 3   Process 3 m   Process 4	
	0.030421	0.026914	$\big  0.027261$	0.027227	0.027261
	0.041854	0.037737	0.053843	0.053825	0.079807
Determined $k$					

Table 4.4. *k* for Circuit 1 and Circuit 3 (cost unit: USD/chip)  $(a)$  Circuit 1





Table 4.8 shows our results of Rent's rule compared with other participants' results [20]. *k* is the number of dies of the lowest cost for 3D ICs in each participants and the best k is the number of dies of the lowest cost for 3D ICs from each participants. We can see that we overcome them in most cases and our *k* is accurate.

Table 4.9 shows the results of simulated real cell library for Bench\_6 and Bench\_7. It shows that 3D cost is not lower than 2D cost in real cases of our designs and 3D ICs are suitable for larger designs.



	${\rm LI}$		${\rm LD}$		QE		$\mathbf{B}\mathbf{S}$		RR		<b>FRR</b>	
	TSV-driven		TSV-driven		TSV-driven		TSV-driven		TSV-driven		TSV-driven	
$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	
$\overline{2}$	0.835175	$\overline{2}$	0.835175	$\overline{2}$	0.835175	$\overline{2}$	0.835175	2	0.835175	6	0.799776	
$\mathfrak{Z}$	0.806017	6	0.799776	6	0.799776	$\overline{4}$	0.796999	6	0.799776	5	0.796180	
$\overline{4}$	0.796999	5	0.796180	$\overline{4}$	0.796999	5	0.796180	5	0.796180			
5	0.796180	$\overline{4}$	0.796999	$\overline{3}$	0.806017	6	0.799776					
6	0.799776			5	0.796180							
Cost-driven												
cost	0.796088		0.796088		0.796088		0.796088		0.796088		0.796088	
runtime $(s)$	74.12		58.03		74.19		58.15		46.45		30.40	
2D cost						0.920740						
Determined	5		5		5		5		5		5	
$\boldsymbol{k}$												
					$(b)$ Bench 2							
	${\rm LI}$		${\rm LD}$		QE		<b>BS</b>		RR		<b>FRR</b>	
$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	
	cost		cost		cost		cost		cost		cost	
$\overline{2}$	0.766992	$\overline{2}$	0.766992	$\overline{2}$	0.766992	$\overline{2}$	0.766992	2	0.766992	6	0.759070	
$\overline{3}$	0.748961	5	0.751824	5	0.751824	$\overline{\mathbf{4}}$	0.747337	5	0.751824	4	0.747337	
$\overline{\mathbf{4}}$	0.747337	$\overline{\mathbf{4}}$	0.747337	$\mathfrak{Z}$	0.748961	5	0.751824	$\overline{\mathbf{4}}$	0.747337			
5	0.751824	$\overline{3}$	0.748961	$\overline{\mathbf{4}}$	0.747337	$\overline{3}$	0.748961					
Cost-driven	0.747337		0.747337		0.747337		0.747337		0.747337		0.747337	
cost												
runtime (s)	22.65		22.71		22.70		22.66		18.24	13.84		
$2\mathrm{D}\ \mathrm{cost}$						0.837453						
Determined	$\overline{4}$		$\overline{4}$		$\overline{4}$		$\overline{4}$		$\overline{4}$		$\overline{4}$	
$\boldsymbol{k}$												

Table 4.5. Cost comparison for different approaches of *k* definition (cost unit: USD/chip) (a) Bench\_1

	LI		LD		QE		<b>BS</b>		RR		<b>FRR</b>
	TSV-driven		TSV-driven		TSV-driven		TSV-driven		TSV-driven		TSV-driven
$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost	$\boldsymbol{k}$	cost
$\overline{2}$	3.319730	$\mathbf{2}$	3.319730	$\boldsymbol{2}$	3.319730	$\boldsymbol{2}$	3.319730	$\mathbf{2}$	3.319730	6	4.242050
										$\mathbf{2}$	3.319730
Cost-driven cost	3.318180		3.318180		3.318180		3.318180		3.318180		3.318180
runtime (s)	81.12		81.17		82.80		81.73		81.42		137.09
2D cost						3.195320					
Determined $\boldsymbol{k}$	$\mathbf{1}$		$\mathbf{1}$		1		$\mathbf{1}$		$\mathbf{1}$		$\mathbf{1}$
					$(d)$ Bench 4						
LI			${\rm LD}$		QE		<b>BS</b>		RR		<b>FRR</b>
$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost
$\overline{2}$	2.012910	$\mathbf{2}$	2.012910	$\mathbf{2}$	2.012910	$\mathbf{2}$	2.012910	$\mathbf{2}$	2.012910	10	3.874090
$\overline{\mathbf{3}}$	2.167450	9	3.880730	9	3.880730	$\overline{4}$	2.349040	9	3.880730	$\overline{2}$	2.012910
		8	3.213080	$\mathfrak{Z}$	2.167450	3	2.167450	3	2.167450		
		$\overline{7}$	3.798270								
		6	2.760260								
		5	2.559090								
		$\overline{4}$	2.349040								
		3	2.167450								
Cost-driven cost	2.012700		2.012700		2.012700		2.012700		2.012700		2.012700
runtime $(s)$	66.51		250.14		97.15		93.77		98.04		71.94
2D cost						2.075460					
Determined $\boldsymbol{k}$	$\overline{2}$		$\overline{2}$		$\sqrt{2}$		$\sqrt{2}$		$\overline{2}$		$\sqrt{2}$

Table 4.5. Cost comparison for different approaches of *k* definition (cost unit: USD/chip) cont. (c) Bench\_3

					$(e)$ Bench 5								
	LI		LD		QE		<b>BS</b>		<b>RR</b>		<b>FRR</b>		
$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven		
	cost		cost		cost		cost		cost		cost		
$\overline{2}$	4.991380	2	4.991380	$\overline{2}$	4.991380	$\overline{2}$	4.991380	$\overline{2}$	4.991380	8	5.746010		
$\mathbf{3}$	4.956400	8	5.746010	$\,8\,$	5.746010	$\overline{4}$	5.057330	8	5.746010	$\mathbf{3}$	4.956400		
$\overline{4}$	5.057330	$\overline{7}$	5.845840	$\overline{4}$	5.057330	$\mathbf{3}$	4.956400	3	4.956400				
		6	5.283700	$\mathbf{3}$	4.956400								
		5	5.105560										
		4	5.057330										
		3	4.956400										
Cost-driven	4.956280		4.956280				4.956280		4.956280				
cost					4.956280						4.956280		
runtime $(s)$	184.77		434.68		256.30		184.87		200.11		159.98		
2D cost		5.457680											
Determined	$\mathfrak{Z}$		$\mathfrak{Z}$		$\mathfrak{Z}$		$\mathfrak{Z}$		$\mathfrak{Z}$				
$\boldsymbol{k}$										$\mathfrak{Z}$			
					$(f)$ Bench 6								
LI			LD		QE		<b>BS</b>		RR		<b>FRR</b>		
$\cal K$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven		
	cost		cost		cost		cost		cost		cost		
$\overline{2}$	7.874910	$\overline{2}$	7.874910	$\overline{2}$	7.874910	$\overline{2}$	7.874910	$\overline{2}$	7.874910	10	8.332970		
$\mathbf{3}$	7.470410	10	8.332970	10	8.332970	$\overline{4}$	7.681660	10	8.332970	$\overline{\mathbf{4}}$	7.681660		
4	7.681660	9	8.302630	5	7.697060	7	7.765870	$\overline{\mathbf{4}}$	7.681660				
		$\,8\,$	8.291130	$\overline{4}$	7.681660	$\mathbf{3}$	7.470410						
		$\overline{7}$	7.765870	$\mathbf{3}$	7.470410								
		6	7.960550										
Cost-driven cost	7.470410		7.765550		7.470410		7.470410		7.680890		7.680890		
runtime $(s)$	395.99		908.37		641.21		522.36		459.89		337.59		
2D cost						8.901710							
Determined $\boldsymbol{k}$	$\mathfrak{Z}$		$\tau$		$\mathfrak{Z}$		3		$\overline{4}$		$\overline{4}$		

Table 4.5. Cost comparison for different approaches of *k* definition (cost unit: USD/chip) cont.

					$(g)$ Bench 7									
LI			LD		QE		<b>BS</b>		RR		<b>FRR</b>			
$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven			
	cost		cost		cost		cost		cost		cost			
$\overline{2}$	5.437360	$\overline{2}$	5.437360	$\overline{2}$	5.437360	$\overline{2}$	5.437360	$\overline{2}$	5.437360	18	5.712760			
$\mathfrak{Z}$	4.717470	17	5.509800	17	5.509800	4	4.471670	17	5.509800	6	4.386440			
$\overline{4}$	4.471670	16	5.365000	9	4.616470	10	4.685620	6	4.386440					
5	4.445660	15	5.143090	8	4.519830	3	4.717470							
6	4.386440	14	5.228030	$\tau$	4.461220	$\tau$	4.462200							
$\tau$	4.461220			6	4.386440	5	4.445660							
				5	4.445660	6	4.386440							
Cost-driven cost	4.386210		5.141280		4.386210		4.386210		4.386210		4.386210			
runtime $(s)$	477.40		438.73		584.40		555.83		273.63		213.53			
2D cost						8.635300								
Determined $\boldsymbol{k}$	6		15	6 $\sqrt{6}$ 6							$\sqrt{6}$			
					$(h)$ Bench $8$									
	LI		${\rm LD}$		QE		$\mathbf{B}\mathbf{S}$		RR		<b>FRR</b>			
$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost	$\boldsymbol{k}$	TSV-driven cost			
$\overline{2}$	4.469450	$\overline{2}$	4.469450	$\overline{2}$	4.469450	$\overline{2}$	4.469450	$\overline{2}$	4.469450	8	5.320420			
$\mathbf{3}$	4.283170	8	5.320420	$\,8\,$	5.320420	$\overline{4}$	4.646120	8	5.320420	$\mathbf{3}$	4.283170			
$\overline{4}$	4.646120	7	5.275320	$\mathbf{3}$	4.283170	$\mathbf{3}$	4.283170	3	4.283170					
		6	4.888180	$\overline{4}$	4.646120									
		5	4.874380											
		$\overline{4}$	4.646120											
		$\mathbf{3}$	4.283170											
Cost-driven cost	4.282900		4.282900		4.282900		4.282900		4.282900		4.282900			
runtime $(s)$	216.51		523.00		293.42		216.60		223.77		180.55			
2D cost						4.716000								
Determined $\boldsymbol{k}$	$\mathfrak{Z}$		$\mathfrak{Z}$		$\mathfrak{Z}$		3		$\mathfrak{Z}$		$\mathfrak{Z}$			

Table 4.5. Cost comparison for different approaches of *k* definition (cost unit: USD/chip) cont.

	Bench 1		Bench 2		Bench 4		Bench 5		Bench 6		Bench 7		Bench 8	
$k_{\min}$	$\overline{c}$		$\sqrt{2}$		$\overline{c}$			$\boldsymbol{2}$		$\overline{c}$	$\overline{2}$		$\boldsymbol{2}$	
$k_{\rm max}$	6		5		9		8		10		17		8	
$\boldsymbol{k}$	Rent's	Real	Rent's	Real	Rent's	Real		Real	Rent's	Real	Rent's	Real	Rent's	Real
$\overline{c}$	25	25	261	261	1,146	1,146	1,066	1,066	339	339	1,079	1,079	1,265	1,265
$\overline{3}$	47	55	475	496	1,964	2,265	1,866	2,138	821	408	1,837	2,006	2,113	1,469
$\overline{4}$	74	82	728	750	3,071	3,419	2,776	3,207	1,539	3,582	2,681	3,018	3,042	3,527
5	105	106	1,013	1,013	4,345	4,552	3,779	3,773	2,506	4,687	3,594	4,404	4,035	4,887
$\boldsymbol{6}$	141	141			5,768	5,665	4,861	4,842	3,732	7,461	4,567	5,110	5,083	5,099
$\tau$					7,333	9,941	6,014	7,589	5,225	6,180	5,592	6,479	6,178	7,071
8					9,020	7,973	7,233	7,233	6,994	10,899	6,664	7,509	7,317	7,317
9					10,833	10,833			9,045	11,110	7,778	8,759		
10									11,385	11,385	8,933	9,726		
11											10,124	11,299		
12											11,350	11,572		
13											12,608	12,912		
14											13,897	15,093		
15											15,215	14,656		
16											16,561	16,604		
17											17,934	17,934		

Table 4.6. TSV usage: Rent's rule vs. real value

Table 4.7. TSV usage in each layer while *k* is 10 in each benchmark

layer	Bench 1	Bench 2	Bench 3	Bench 4	Bench 5	Bench 6	Bench 7	Bench 8
$\overline{2}$	30	241	1,587	1,922	343	1,269	982	164
3	26	257	1,678	1,133	585	1,327	976	1,424
$\overline{4}$	32	266	1,663	1,180	1,144	1,261	950	1,432
5	27	248	1,666	1,144	1,308	329	1,299	1,378
6	27	261	1,648	1,148	1,177	1,430	1,169	1,297
7	26	245	1,587	1,179	1,375	1,449	1,118	1,297
8	26	239	1,763	1,145	1,119	198	1,105	846
9	27	263	439	1,134	1,215	2,078	1,074	930
10	24	253	459	1,137	1,068	2,044	1,053	935

				ours		014		037		046		063		064	
Benchmark	2D	<b>Best</b>	$\boldsymbol{k}$	3D		3D cost	$\boldsymbol{k}$	3D	k	3D	$\boldsymbol{k}$	3D	k	3D	
	cost	$\boldsymbol{k}$		cost	k			cost		cost		cost		cost	
Bench 3	3.1953	$\overline{2}$	2	3.3182		3.1721	C	3.3235	C	3.3209	2	3.1763	2	3.3138	
Bench 4	2.0755	$\overline{2}$	C	2.0127		2.0279	$\overline{2}$	2.0116		2.0130	$\overline{2}$	2.0120	2	2.0234	
Bench 5	5.4577	3	3	4.9563		4.7939	3	4.9570	$\mathcal{E}$	4.9612	$\overline{2}$	5.0855	3	4.9819	
Bench 6	8.9017	4	4	7.6809	4	7.6833	$- -$	--	$\overline{4}$	7.4365	$\sim$ $\sim$	$-$	3	7.4752	
Bench 7	8.6353	6	6	4.3862		4.7174	5	4.6417	5	4.4242	$\overline{2}$	5.4569	4	4.5754	

Table 4.8. Cost comparison for other participants' results (cost unit: USD/chip) (--: absence data information) [20]

Table 4.9. Simulated real case by Rent's rule approach (cost unit: USD/chip)

	via-first	via-last							
Bench 6			Bench 7		Bench 6		Bench 7		
$\boldsymbol{k}$	TSV-driven		TSV-driven	$\boldsymbol{k}$	TSV-driven	$\boldsymbol{k}$	TSV-driven		
	cost	$\boldsymbol{k}$	cost		cost		cost		
$\overline{2}$	0.688674	2	0.325869	2	0.691711	2	0.336091		
Cost-driven	0.688674	0.325869		0.691711		0.336087			
cost									
2D cost	0.655562		0.324582		0.655562	0.325482			
Determined $k$									

## **Chapter 5**

## **Conclusions**

According to [7], they utilize the multi-way partitioning to handle the multi-layer partitioning, while we proposed the two-way partitioning to do that. Furthermore, we propose a cost evaluation and partitioning framework for 3D IC. It can automatically determine the number of layers with the minimum cost. Moreover, we verified the effectiveness of determining the number of layers by six approaches. Especially, TSV usage can be estimated by the reformulated Rent's rule. We also propose a fast approach. Our approach can handle large *k* and make good estimation of *k* in not gate-level but system-level circuits. Our *k* is the same as *k* determined by the best cost.



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