

# High-index sensitivity of surface mode in photonic crystal hetero-slab-edge microcavity

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Received January 15, 2010; revised March 24, 2010; accepted March 25, 2010;  
posted April 1, 2010 (Doc. ID 122763); published April 30, 2010

We introduce a photonic crystal hetero-slab-edge microcavity design with surface mode, which is beneficial for optical index sensing. The simulated index sensitivity ( $R_n$ ) as high as 675 nm per refractive index unit (nm/RIU) variation is obtained with slab thickness of 180 nm. In experiments, single surface mode lasing action from a real device is observed. Based on the surface mode in this microcavity, high experimental  $R_n$  value of 625 nm/RIU is achieved by detecting index variation in a CO<sub>2</sub> chamber with different gas pressures. © 2010 Optical Society of America  
OCIS codes: 140.5960, 230.5298, 230.5750.

Optical index sensing via resonances in different photonic structures [1,2] has long been a practical tool in various research fields. Especially in biological researches, this approach provides a fast and precise way to detect very small variation of analytes. In recent years, various resonance structures have been reported for highly sensitive optical index sensors, including surface plasmon resonance [3], long-period grating fiber [4], silica ring and sphere resonators [5–7], etc., where the resonance wavelength shift is usually used to estimate the analyte variation. However, considering their device sizes, most of them may not be compact enough when we want to realize a versatile optical sensing integrated chip with very compact size. Fortunately, a photonic crystal (PhC), an artificial material with periodic dielectric variation, hosts the advantage of well-controlling photon flow in wavelength scale owing to the photonic band gap (PBG) effect. Various PhC micro- and nanocavities have been proposed (see [8–13] for the most recent works) to serve as optical sensors with advantages of high sensitivity and very compact size. The ultrasmall mode volume in PhC cavities also permits optical sensing with very low analyte consumption (typically, less than 1 fL) [9,12], which is beneficial for certain analyte with very limited amount.

In our previous work [14], we have proposed and demonstrated a PhC hetero-slab-edge (HSE) microcavity laser. In this design, the defect mode is confined in surface wave form at the PhC slab edge owing to PBG and total internal reflection effects. Compared with most defect modes confined inside PhC micro- and nanocavities [8–11], the surface mode energy field extends more into the environment, which is very beneficial for optical index sensing because of the strong interaction between surface mode and environmental analytes. Based on this PhC HSE microcavity design, in this Letter, we reduce the microcavity slab thickness to obtain high index sensitivity ( $R_n$ , defined as wavelength shift per refractive index unit variation, nm/RIU) for serving as an optical index sensor. In experiments, we demonstrate the surface mode lasing in a PhC HSE

microcavity and its highly sensitive optical index sensing functionality by detecting CO<sub>2</sub> with different pressures.

In a 2D truncated PhC slab, shown in Fig. 1(a), the surface wave will form and propagate along the interface between the dielectric PhC slab and air, as shown by the simulated electric field distribution in the inset of Fig. 1(a). Different truncated PhC slab

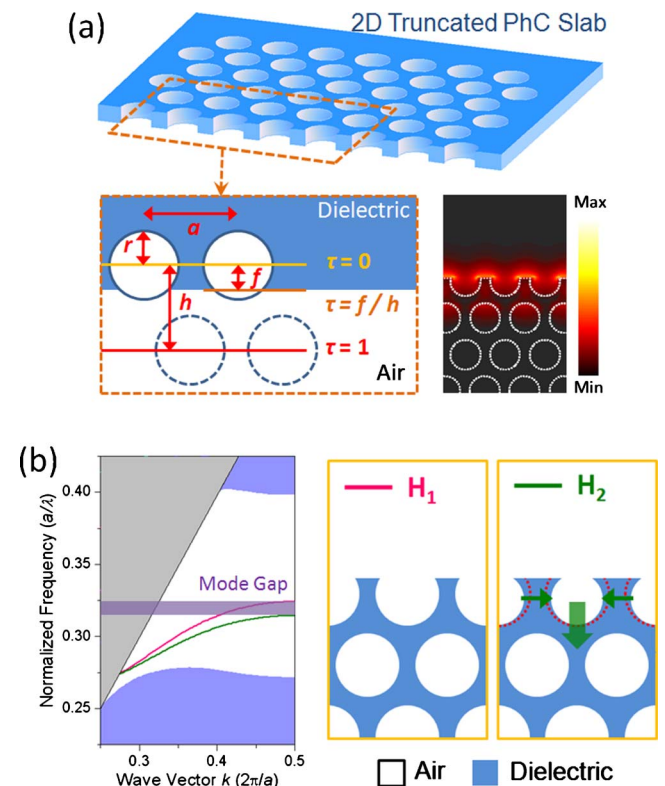


Fig. 1. (Color online) (a) Scheme of 2D truncated PhC slab surrounded by air and the definition of slab-edge termination parameter  $\tau$ . The simulated surface mode in electric field propagating along the slab edge with  $\tau=0.25$  is also shown in the inset. (b) Calculated dispersion curves of surface modes propagating along the PhC slab edges  $H_1$  and  $H_2$ . The dark gray (purple online) shadow represents the mode gap formed by  $H_1$  and  $H_2$ .

terminations with  $\tau$  defined in Fig. 1(a) will lead to different surface wave properties [15]. For two different slab edges,  $H_1$  and  $H_2$ , shown in Fig. 1(b), where the  $H_2$  slab edge is obtained by shrinking and shifting the air holes at the slab edge of  $H_1$ , the allowed surface mode frequency in  $H_2$  will shift to be lower than that in  $H_1$ , as shown in the band diagram of Fig. 1(b). The mode gap, denoted by a shadow region in Fig. 1(b), will form owing to the surface mode frequency difference between  $H_1$  and  $H_2$ ; that is, the surface mode in  $H_1$  with frequency inside the mode gap cannot propagate in  $H_2$ . Thus, the hetero-interface  $H_1/H_2$  can serve as a mirror.

By applying double hetero-interfaces mentioned above, we can obtain a PhC HSE microcavity with high quality ( $Q$ ) factor surface mode, as shown by the scanning electron microscope picture in Fig. 2. The surface mode in microcavity region with slab edge  $H_1$  will be confined by mode gap effect provided by the gradually varying and outer barriers with slab edges  $H_G$  and  $H_2$ . For gradually varying barrier  $H_G$ , the radii and positions of air holes at the slab edge are shrunk and shifted gradually and linearly. The air-hole radius ( $r$ ) over lattice constant ( $a$ ) ( $r/a$ ) ratios of the remaining outer barrier  $H_2$  are kept invariant, and the  $r/a$  ratio difference between  $H_1$  and  $H_2$  is denoted as  $\Delta r/a$ . In 3D finite-difference time-domain (FDTD) simulations, we optimize the  $Q$  factor by tuning  $\Delta r/a$  and the length of  $H_G$  at fixed  $\tau$ . High  $Q$  value of  $6.6 \times 10^5$  is obtained when the gradually varying barrier length of  $H_G$ , cavity length with  $H_1$ , slab thickness,  $\Delta r/a$ , and  $\tau$  are  $5a$ ,  $10a$ ,  $220$  nm,  $0.04$ , and  $0.25$ , respectively.

To obtain high  $R_n$  value of the confined surface mode, in simulations, the slab thickness is reduced from  $220$  nm to be  $150$  nm, which is thinner than typical half-wavelength design ( $\lambda/2n$ ,  $\sim 220$  nm for  $\lambda = 1500$  nm and  $n = 3.4$ ). This leads to more extension of mode field outside the cavity and increases the interactions between light and environmental index variation. In Table 1, the simulated  $R_n$  value increases from  $625$  nm/RIU to  $720$  nm/RIU with the slab thickness reduced from  $220$  to  $150$  nm, where  $R_n$  value is estimated by the resonance wavelength shift under

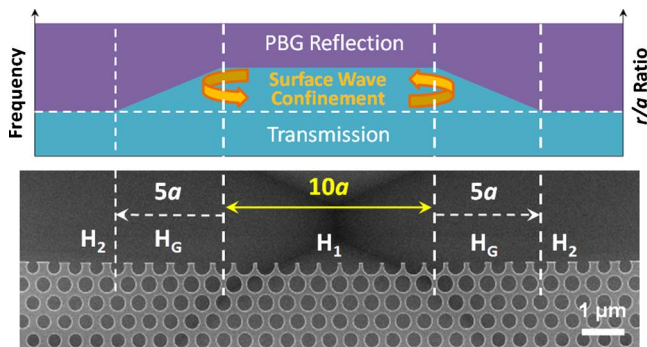


Fig. 2. (Color online) Scheme of PhC HSE microcavity with cavity ( $H_1$ ), gradually varying barrier ( $H_G$ ), and outer barrier ( $H_2$ ) layers. The  $r/a$  ratio distribution and the formed mode gap in frequency by these three regions are also illustrated. The  $r/a$  ratio of  $H_1$  and  $a$  of the fabricated microcavity are  $0.38$  and  $540$  nm, respectively.

**Table 1. FDTD Simulated  $R_n$ , Mode Volume, and  $Q$  Factor of PhC HSE Microcavities with Different Slab Thicknesses**

Slab Thickness	$R_n$	Mode Volume	$Q$
220 nm	625 nm/RIU	$2.25 (\lambda/n)^3$	$6.6 \times 10^5$
180 nm	675 nm/RIU	$2.14 (\lambda/n)^3$	$3.2 \times 10^5$
150 nm	720 nm/RIU	$2.03 (\lambda/n)^3$	$1.1 \times 10^5$

$0.02$  index variation in simulations. In addition, the surface mode volume also decreases with the reduced slab thickness. Owing to its small mode volume, as an optical index sensor, the analyte consumption would be about  $2$  fL. In the following experiments, the slab thickness is chosen as  $180$  nm according to our currently available epitaxial structure.

The PhC patterns are defined by electron-beam lithography and followed by a series of dry- and wet-etching processes based on the epitaxial structure consisting of four compressively strained InGaAsP multi-quantum-wells with total thickness of  $180$  nm. The fabricated PhC HSE microcavity is optically pumped by a diode laser with pump spot diameter, pulse width, and duty cycle of  $3.5 \mu\text{m}$ ,  $40$  ns, and  $0.2\%$ , respectively, to avoid thermal problems. The measured lasing spectrum, polarization, and the light-in-light-out ( $L-L$ ) curve of surface mode are shown in Figs. 3(a) and 3(b). The lasing wavelength, threshold, and polarized degree are estimated as  $1572.5$  nm,  $0.9$  mW, and  $0.81$ , respectively.

To demonstrate optical index sensing functionality by a PhC HSE microcavity, we set up a high vacuum chamber with a gas flow controlling gauge and a vacuum pump. The device is mounted on a stage inside the chamber and can be observed from a quartz optical window by microphotoluminescence system outside. In preparation, the chamber is vacuumed down to the pressure of  $10^{-2}$  Pascal (Pa) and then filled with  $\text{CO}_2$  by the gauge. This procedure is repeated for three times to ensure that the chamber is filled with  $\text{CO}_2$  only.  $\text{CO}_2$  is an important analytic target in chemical analysis, biomedics, environmental monitoring, and so on. Besides, the use of  $\text{CO}_2$  in our experiment provides very fine index variation

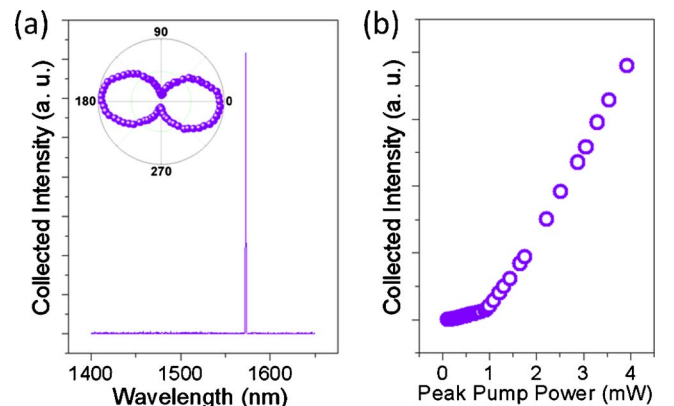


Fig. 3. (Color online) Typical (a) single-mode lasing spectrum, polarization, and (b)  $L-L$  curve of surface mode measured from PhC HSE microcavity laser.

and lower optical loss to the microcavity than in aqueous or organic solvent.

In the experiment, first, a PhC HSE microcavity is pumped for 30 min to guarantee the stability of the microcavity laser, which can be observed from the invariant lasing wavelength. The pump power and pump position are strictly fixed during the measurements to avoid unwanted wavelength shift contributed by the temperature instability inside the microcavity. Then the CO<sub>2</sub> gas pressure (for reference, ~38.5 Pa in the atmosphere) in chamber is controlled and tuned from  $1.00 \times 10^4$  to  $1.15 \times 10^5$  Pa by the gas flow gauge and vacuum pump. The measured surface mode wavelength shift is shown in Fig. 4(a), which indicates a linear redshift when the CO<sub>2</sub> gas pressure increases, that is, when the environmental index increases. This agrees quite well with the FDTD simulation prediction also denoted in Fig. 4(a). The surface mode spectra under CO<sub>2</sub> pressures of  $1.00 \times 10^4$  and  $1.15 \times 10^5$  Pa are shown in Fig. 4(b). The wavelength shift is 0.3 nm, and the pressure variation leads to the refractive index change of  $4.8 \times 10^{-4}$ . Thus, we obtain a high  $R_n$  value of 625 nm/RIU in experiment, which agrees with the simulation result of 675 nm/RIU quite well. Considering the surface mode line width of 0.24 nm by Lorentzian fitting in Fig. 4(b), the experimental minimum detectable index variation  $\delta n_{\text{exp}}$  is about  $4 \times 10^{-4}$ . This value is similar to or better than those in [9–13]. Although presently  $\delta n_{\text{exp}}$  is not as small as the theoretical  $\delta n$  of  $7.2 \times 10^{-6}$  calculated from Table 1 because of the broadened line width arisen from carrier dynamics in active device, by using laser device as a sensor, we can discard highly efficient light input/output designs needed in most passive devices and obtain the optical signal easily. This simplifies the device design both in laboratory prototype and real applications. On the other hand, we perform thermal conduction analysis using a finite-element method to simulate the temperature fluctuation of the microcavity caused by the changed CO<sub>2</sub> thermal conductivity  $\rho_{\text{CO}_2}$  under different gas pressures. The  $\rho_{\text{CO}_2}$  variation is only  $1.8 \times 10^{-5}$  W/m.K when the gas pressure varies from  $1.15 \times 10^5$  to  $1.00 \times 10^4$  Pa, which corresponds to 0.15 K increase in temperature of the microcavity.

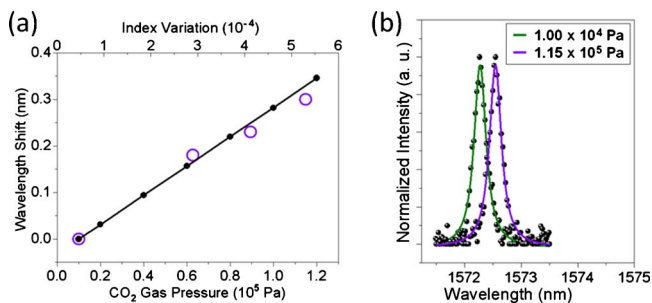


Fig. 4. (Color online) (a) Measured (open circles) and simulated (solid line with solid circles) wavelength shifts of surface mode under different CO<sub>2</sub> gas pressures and the corresponding index variations. (b) Surface mode lasing spectra under pressures of  $1.00 \times 10^4$  and  $1.15 \times 10^5$  Pa. The pump power is fixed at 1.5 mW.

This leads to the wavelength redshift smaller than 0.0075 nm in the InGaAsP-based microcavity [16], which is much smaller than above measured wavelength shift and can be ignored. Thus, we can conclude this wavelength shift is mainly contributed by the environmental index variation.

In summary, we have introduced and applied a PhC HSE microcavity with a highly index-sensitive surface mode for optical index sensing. To increase the  $R_n$  value of this microcavity, in 3D FDTD simulations, the slab thickness is reduced from typical half-wavelength design to be 150 nm, which leads to the increased  $R_n$  value from 625 to 720 nm/RIU. In experiments, single surface mode lasing action is observed from a PhC HSE microcavity with 180 nm slab thickness. Furthermore, we demonstrate the optical index sensing functionality by the surface mode wavelength shift under different CO<sub>2</sub> gas pressures in chamber. High experimental  $R_n$  value of 625 nm/RIU is achieved, which indicates the potential of the PhC HSE microcavity with the surface mode serving as a highly sensitive optical index sensor with a very compact size.

This work was supported by Taiwan's National Science Council (NSC) under contract numbers NSC-98-2120-M-009-002 and NSC-98-2221-E-009-015-MY2. The authors acknowledge the help from Center for Nano Science and Technology (CNST) of National Chiao Tung University, Taiwan.

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