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# Extraction of solar cell series resistance without presumed current-voltage functional form

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#### ABSTRACT

A new method which does not require presumed current-voltage functional form is proposed for the determination of the series resistance, the shunt resistance, the photocurrent, and the intrinsic current-voltage characteristics of solar cells. This method was applied to analyze a bulk heterojunction organic solar cell. It was found that the extracted intrinsic current-voltage characteristic clearly exhibits a linear hopping current component and a quadratic space-charge limited current component. Furthermore, the reconstructed dark current-voltage curve is found to differ significantly from the measured dark current-voltage curve, revealing the importance of electric field in the operation of bulk heterojunction organic solar cells.

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# 1. Introduction

Solar cells are promising devices for clean electric generation and have attracted intensive research. Like all other electrical power generators, solar cells possess internal series resistance which affects significantly their power conversion efficiency (PCE). Moreover, the simulation and design of solar cell systems also require an accurate knowledge of the series resistance and other related device parameters to describe their nonlinear electrical behavior. Extracting the series resistance as well as other device parameters for solar cells is therefore of vital importance.

Over the years, various methods have been proposed for extracting the series resistance and related device parameters of solar cells [1–13]. These methods either involve current–voltage (I-V) measurements with different illumination levels [1–3,8], or apply curve fitting method to some presumed functional relationship [5–7,9–12], or employ integration procedures based on the computation of the area under the *I–V* curves [4], or use linear regression [13].

However, all these previously proposed methods are based on the assumption that the intrinsic I-V relationship of the solar cell follows a specific functional form, which is usually taken to be one or combination of the Shockley-type single exponential I-Vcharacteristic with ideality factor. While the exponential I-Vassumption may produce convenient equivalent-circuit model for use in conventional simulation tools, its validity, and hence its

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usefulness in understanding the underlying physics, is generally not guaranteed. This is especially the case for non p–n junction type devices such as organic solar cell (OSC) or dye-sensitized solar cell. For example, one would expect polynomial type intrinsic I-V characteristics for OSC if the charge transport is dominantly space-charge-limited (SCL). It is therefore advantageous to be able to extract the series resistance and device parameters without presumed I-V functional form. Such a series resistance extraction method without presumed I-V functional form is proposed in this paper. We found that with certain physically plausible assumptions such a scheme will lead to unique determination of all the device parameters as well as the intrinsic I-V characteristics. This method was applied to OSC and first-order hopping current and second-order SCL current components were observed in the intrinsic I-V characteristics.

# 2. Theory

The solar cell is characterized using the equivalent circuit model as shown in Fig. 1 and the relation between the measured current  $I_m$  and the measured voltage  $V_m$  is given by

$$I_m = \frac{V_D}{R_{sh}} + f(V_D) - I_{ph} \tag{1}$$

$$V_m = V_D + \left[\frac{V_D}{R_{sh}} + f(V_D) - I_{ph}\right] \cdot R_s$$
<sup>(2)</sup>

where  $V_D$ ,  $f(V_D)$ ,  $I_{ph}$ ,  $R_s$  and  $R_{sh}$ , are the voltage across the diode, the intrinsic I-V characteristics of the diode, the photocurrent, the

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Fig. 1. The circuit model for solar cells.

series resistance and the shunt resistance, respectively. Note from Fig. 1 that since both  $f(V_D)$  and  $R_{sh}$  are to be determined and are in parallel connection, any combination of  $f(V_D)$  and  $R_{sh}$  that preserves the value  $V_D/R_{sh} + f(V_D)$  will leave the measured I-V characteristics,  $I_m$  and  $V_m$ , unchanged. One therefore needs more assumptions to allow for unique determination of these device parameters. The following for assumptions are taken in our fitting scheme:

- 1. *R*<sub>s</sub>, *R*<sub>sh</sub>, *I*<sub>ph</sub> remain constant during the measurements;
- 2. f(0) = 0, that is, the power generation is all attributed to  $I_{ph}$ ;
- 3.  $f(V_D) \rightarrow -f_0$  as  $V_D \ll 0$ ; that is, the leakage current is attributed to  $R_{sh}$ ;
- 4.  $f(V_D)$  is a monotonic function of  $V_D$ ;

5.  $f(V_D)$  is nonlinear for  $V_D > 0$ ;

6. *I*<sub>ph</sub> changes monotonically with illumination level.

From assumption 4 and (2),  $V_m$  is also a monotonic function of  $V_D$ , and  $V_m \ll 0$  when  $V_D \ll 0$ . From assumption 3 for  $V_m \ll 0$ , one can eliminate  $V_D$  from both (1) and (2) and obtain

$$I_m = \frac{1}{(R_{sh} + R_s)} \cdot V_m - \frac{R_{sh}}{(R_{sh} + R_s)} \cdot (f_0 + I_{ph})$$
(3)

The total resistance  $R_t = R_{sh} + R_s$  can therefore be obtained from the slope  $dI_m/dV_m$  at  $V_m \ll 0$ .

From (1) and (2) one can obtain

$$V_D = V_m - R_s \cdot I_m \tag{4}$$

$$f(V_D) = \frac{R_t}{(R_t - R_s)} \cdot I_m - \frac{V_m}{(R_t - R_s)} + I_{ph}$$
(5)

Considering also assumption 2, one also has

$$I_{ph} = -I_m (V_m @V_D = 0)$$
(6)

It is clear from (3), (4) and (5) that since  $R_t$  can be extracted from the measured *I*–*V* characteristics, once  $R_s$  is determined, all other device parameters, namely  $R_{sh}$ ,  $I_{ph}$  and the intrinsic *I*–*V* characteristics  $f(V_D)$  can all be extracted. We now need a scheme to determine  $R_s$ .

In order to devise a scheme for the unique determination of  $R_s$ , we construct the following test quantities for arbitrary R:

$$V_{DR} = V_m - R \cdot I_m \tag{7}$$

$$I_{phR} = -I_m (V_m @V_{DR} = 0)$$
(8)

$$f_R = \frac{R_t}{(R_t - R)} \cdot I_m - \frac{V_m}{(R_t - R)} + I_{phR}$$
(9)

Denote as  $V_{D0}$  the voltage across the diode when  $V_{DR}$  = 0. It is clear that if  $R=R_s$ , then  $V_{DR}$ ,  $f_R$  and  $I_{phR}$  reduce to  $V_D$ , f and  $I_{ph}$ , respectively, and  $V_{D0}$  =0.

For  $R \neq R_s$ , as derived in appendix, we have the following three equalities:

$$f(V_{D0}) = \frac{(R_t - R)}{R_{sh} \cdot (R - R_s)} \cdot V_{D0} + I_{ph}$$
(10)

$$f_R = \frac{R_{sh}}{(R_t - R)} \cdot (f(V_D) - f(V_{D0}))$$
(11)

$$f_R = \frac{R_{sh}}{(R_t - R) \cdot (R_s - R)} \cdot V_{DR} + \frac{1}{(R - R_s)} \cdot (V_D - V_{D0})$$
(12)

It is obvious from (10) that  $V_{D0}$  depends on both  $I_{ph}$  and R.

For a given  $f(V_D)$ , one can expand it into Taylor series around  $V_{D0}$ ,

$$f(V_D) = f(V_{D0}) + f'(V_{D0}) \cdot (V_D - V_{D0}) + \frac{1}{2!} f''(V_{D0}) \cdot (V_D - V_{D0})^2 + \cdots$$
(13)

Combining (11)–(13), we have

$$\frac{R_{sh}}{(R_t - R)(R_s - R)} V_{DR} + \frac{1}{(R - R_s)} (V_D - V_{D0})$$
  
=  $\frac{R_{sh}}{(R_t - R)} \left[ f'(V_{D0})(V_D - V_{D0}) + \frac{1}{2!} f''(V_{D0})(V_D - V_{D0})^2 + \cdots \right]$  (14)

For a given  $f(V_D)$ , one can solve  $(V_D-V_{D0})$  from (14) and substitute the result into (12) to obtain the functional relationship between  $f_R$  and  $V_{DR}$ . Since, from 5,  $f(V_D)$  is nonlinear in  $V_D$ , the coefficients in the expansion (13) cannot be all constant and must depend on  $V_{D0}$ . Therefore,  $(V_D-V_{D0})$  and hence  $f_R$  must also depend on  $V_{D0}$ .

From the aforementioned discussion, we know that unless  $R = R_s$ , at which  $V_{D0}$  vanishes identically,  $f_R(V_{DR})$  must depend on  $V_{D0}$  and hence on  $I_{ph}$  and illumination level (6). At a specific R, we may therefore use the root-mean-square error (RMSE) between  $f_R(V_{DR})$  at different illumination levels to determine if R coincides with  $R_s$ . Alternatively one may use the extracted  $f_R(V_{DR})$  from the I-V measurement at one illumination level to reconstruct the measured I-V at another illumination and calculate the RMSE. It is noteworthy that to avoid the temperature difference due to different illumination levels, which might lead to significant extraction error [12,14], it is suggested that close illumination levels are used. In practice close illumination levels also ensure the constancy of R<sub>s</sub>, R<sub>sh</sub> required in assumption 1 and ascertain that identical  $R_t$  from both I-V characteristics can be obtained. Since  $R_s$  and  $R_{sh}$  are sensitive to cell temperature and illumination level, the constancy of  $R_t$  is an important indicator that assumption 1 is met. Note also that our extraction algorithm does not require the precise ratio in the illumination levels.

Our  $R_s$  extracting scheme is summarized as follows:

- 1. measure I-V characteristics  $I_{m1}(V_m)$  and  $I_{m2}(V_m)$  at two different illumination levels;
- 2. extract  $R_t$  from both  $I_{m1}(V_m)$  and  $I_{m2}(V_m)$  according to (3);
- 3. for a given *R* construct *V*<sub>*DR*1</sub>, *f*<sub>*R*1</sub> and *I*<sub>*phR*1</sub> according to (7)–(9) from *I*<sub>*m*1</sub>(*V*<sub>*m*</sub>);
- 4. extract  $I_{phR2}$  according to (7) and (8) from  $I_{m2}(V_m)$ ;
- 5. reconstruct  $I_{reconstruct2}(V_m)$  from  $V_{DR1}$ ,  $f_{R1}$  and  $I_{phR2}$ ;
- 6. calculate the RMSE between  $I_{m2}(V_m)$  and  $I_{reconstruct2}(V_m)$ ;
- 7. repeat 3–5 for another *R* and search for minimum of RMSE.

Although too straightforward to be included in this paper, we have checked the validity of this fitting scheme (steps 3–7) with numerically generated data. It was found that the discrepancy in the fitting result was set by the error in the estimated  $R_t$ . It is therefore advisable to estimate  $R_t$  at sufficiently negative bias.

Since our  $R_s$  extracting scheme does not require specific I-V functional form, it can be applied to various kinds of solar cells as long as the assumptions are met. In particular it is interesting to apply this method to non p–n junction type photovoltaic devices to see if new insights may be obtained. In this paper a bulk heterojunction (BHJ) OSC was employed.

Organic photovoltaic devices have attracted much attention due to their promising properties such as mechanical flexibility, light weight and environmental benignity. In addition, because of their low-temperature and solution-based processability, they can be fabricated on flexible substrate, which can be adapted to high throughput continuous roll-to-roll manufacturing and leads to greatly reduced production cost. Due to strong Coulomb interaction in organic materials, photo-excited charged carriers quickly form excitons, with which charge separation by electric field typically used in p-n junction type solar cells is ineffective. Donor-acceptor type-II heterojunctions such as BHJ were demonstrated to be effective for exciton dissociation. With various structure, material and process advancements, the PCE of OSCs has been significantly improved and a record high PCE of 7.6% was recently reported [15]. All-solution roll-to-roll manufacturing processes for OSCs have also been designed and studied [16,17].

## 3. Experiment

In this study the BHJ OSC is made of a blend of poly (3-hexylthiophene) (P3HT) and 6,6-phenyl-C61-butyric acid methyl ester (PCBM) in a 1:1 weight ratio. The blend is sandwiched in between an indium tin oxide (ITO) coated-glass (sheet resistance  $10\Omega/\Box$ )/poly(3,4 ethylenedioxythiophene): poly(styrenesulfonate) (PEDOT:PSS), and an evaporated calcium (50 nm)/silver (80 nm) top electrode. The thickness of the active layer is 220 nm and the area of the OSC is 4 mm<sup>2</sup>. The fabrication procedure is standard and follows that in Ref. [18]. After fabrication the *I*-*V* characteristics was measured with a calibrated solar simulator at AM1.5G (100 mW/cm<sup>2</sup>). To obtain the *I*-*V* curve at a different light intensity, a microscope cover glass was placed on top of the OSC, leading to a light attenuation of about 8%. The RSME is calculated for the range from  $V_D = 0$  to open-circuit voltage (Voc) in the measured *I*-*V* characteristic with less light illumination.

## 4. Results and discussion

Fig. 2 shows the measured  $I_{m1}(V_m)$  and  $I_{m2}(V_m)$  as well as dark *I*–*V*. The comparison of  $I_{m2}(V_m)$  with the reconstructed *I*–*V*, as described in step 5, in the extraction scheme, is shown in Fig. 3, showing very good agreement between the measurement and the fitting curve. The fitting result is summarized in Table 1.

Fig. 4(a) and (b) show the extracted intrinsic device I-V characteristics in log–log and semi-log scale, respectively. A linear and a quadratic component can be clearly resolved in Fig. 4(a). The linear component is tentatively attributed to the hopping conduction, which dominates the carrier transport in disordered organic materials and can be linearized at low field [19]. The quadratic component is attributed to the SCL current transport frequently observed in organic materials. For comparison, the dark I-V, along with lines with the required slope, was also plotted in the insets of Fig. 4(a) and (b). It was found that the linear and quadratic current components can be resolved only after the removal of series and shunt resistance. It is also interesting to see from Fig. 4(b) that there is a 120 mV/dec exponential component in the extract intrinsic I-V, which may result from trap-assisted photo-carrier recombination. However,



**Fig. 2.** Measured *I*–*V* characteristics at two illumination levels  $(I_{m1}, I_{m2})$  and dark *I*–*V*  $(I_d)$  of the OSC.



**Fig. 3.** The comparison of the measured illuminated  $I-V(I_{m2})$  and the reconstructed  $I-V(I_{m2f})$  as described in step 5 of the extraction scheme.

**Table 1** The fitting parameters including  $R_s$ ,  $R_{sh}$ ,  $J_{ph1}$  and  $J_{ph2}$  for organic solar cell.

	$R_{s}~(\Omega{\rm cm^2})$	$R_{sh}\;(\Omega{\rm cm}^2)$	$J_{ph1}~({\rm mA/cm^2})$	$J_{ph2}~(mA/cm^2)$
Organic solar cell	5.24	3060	11.3	10.5

the origin of this exponential component remains unclear and further investigation is required.

Fig. 5 shows the comparison of the measured and the reconstructed dark I-V characteristics. The latter was calculated as in step 5 yet with photocurrent set to zero. It was found that dramatic difference exists between these two I-V curves. It is well known that the dominant charge transport mechanisms in disordered organic materials are either hopping or SCL transport and depend strongly on the field distribution within the device. Since the carrier concentration, and therefore the field distribution, in the device changes significantly with light illumination, the reconstructed I-V characteristics from device parameters extracted from illuminated device will be different from the measured dark I-V. This result also corroborates the



**Fig. 4.** The extracted intrinsic *I*–*V* in (a) log–log scale, showing clearly a linear and a quadratic current component; (b) in semi-log scale; note that an exponential component with a slope of 120 mV/dec was clear seen. The measured dark *I*–*V* was also plotted in the insets for comparison.



**Fig. 5.** The comparison of the measured dark  $I-V(I_d)$  and the reconstructed dark  $I-V(I_{df})$  as described in step 5 of the extraction scheme, albeit with  $I_{ph}$  set to zero.

needs for close illumination levels previously proposed in our extraction scheme.

For comparison we have also applied our  $R_s$  extraction scheme to a multi-crystal Si solar cell as well as an amorphous Si solar cell. These two solar cells were obtained from the Photovoltaics Technology Center at Industrial Technology Research Institute, Taiwan. The size for the multi-crystal (amorphous) Si solar cell is 2.13 (1.68) cm<sup>2</sup>. The fitting results are summarized in Table 2. Fig. 6(a) and (b) show the comparison of the measured and the reconstructed dark I-V characteristics for multi-crystal and amorphous Si solar cell, respectively. From Fig. 6, it was found that, while very good agreement between the measured and the reconstructed dark I-V characteristics was obtained for the multicrystal solar cell, there is dramatic difference in the case of amorphous Si solar cell. These results are not surprising since they simply reflect the difference between diffusion controlled carrier transport in bulk Si solar cell and drift current controlled, and hence electric field dependent, carrier transport in amorphous Si solar cell. Though disorder related traps in amorphous Si may also contribute additionally to the difference between the measured and the reconstructed dark I-V characteristics, these results are consistent with our previous argument of electric field effect on dark I-V in OSC.

Fig. 7(a) and (b) show the extracted intrinsic device I-V characteristics plotted in semi-log scale for the multi-crystal and

**Table 2** The fitting parameters including  $R_s$ ,  $R_{sh}$ ,  $J_{ph1}$  and  $J_{ph2}$  for silicon solar cell.

	$R_s~(\Omega{\rm cm}^2)$	$R_{sh}\;(\Omega{\rm cm}^2)$	$J_{ph1}~(\rm mA/cm^2)$	$J_{ph2}~({\rm mA/cm^2})$
Multi-crystal silicon	3.5	489	40.7	38.8
Amorphous silicon	14.7	2619	12.6	11.8



**Fig. 6.** The comparison of the measured dark  $I-V(I_d)$  and the reconstructed dark  $I-V(I_{df})$  for (a) multi-crystal and (b) amorphous Si solar cell, respectively.



**Fig. 7.** The extracted intrinsic device *I–V* characteristics plotted in (a) semi-log scale for the multi-crystal and (b) log–log scale for amorphous Si solar cell, respectively.

log–log scale for amorphous Si solar cell, respectively. From Fig. 7(a) multi-crystal Si solar cell exhibits mostly single exponential I-V characteristic with ideality factor 2 as expected. On the other hand, it is clear from Fig. 7(b) that there is a quadratic current component at low voltage for amorphous Si

solar cell. This quadratic current component may also result from SCL transport; however, further investigation is required to clarify its nature.

## 5. Conclusion

In summary, a series resistance extraction scheme which requires no presumed I-V functional form was proposed. With I-Vmeasurement at two illumination levels, all device-level parameters, including series resistance, shunt resistance, photocurrent and intrinsic I-V characteristics can be determined. This method was applied to analyze a BHJ OSC. We found that, after the removal of the series resistance, a linear hopping current component as well as a quadratic SCL current component can be clearly identified in the extracted intrinsic I-V characteristics. Furthermore, the reconstructed dark I-V is found to differ from the measured dark I-V, revealing the important role of electric field in BHJ OSC.

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#### Appendix

Combine (1), (8) and (10), we get

$$I_{phR} = \frac{V_{D0}}{R_s - R} \tag{15}$$

Substitute (1), (2) into (7), we have

$$V_{DR} = \frac{(R_t - R)}{R_{sh}} \cdot V_D + (R_s - R) \cdot f(V_D) - (R_s - R) \cdot I_{ph}$$
(16)

Therefore, one gets

$$f(V_D) = \frac{V_{DR}}{(R_s - R)} - \frac{(R_t - R)}{R_{sh} \cdot (R_s - R)} \cdot V_D + I_{ph}$$
(17)

and

$$V_D = \frac{R_{sh}}{(R_t - R)} \cdot V_{DR} - \frac{R_{sh} \cdot (R_s - R)}{(R_t - R)} \cdot f(V_D) + \frac{R_{sh} \cdot (R_s - R)}{(R_t - R)} \cdot I_{ph}$$
(18)

Note also from (4) and (7)

$$I_m = \frac{V_{DR} - V_D}{R_s - R} \tag{19}$$

Solve  $V_m$  from (4) and substitute the result as well as (15), (18) and (19) into (9), we have

$$f_R = \frac{R_{sh}}{(R_t - R)} \cdot f(V_D) - \frac{R_{sh}}{(R_t - R)} \cdot I_{ph} + \frac{1}{(R_s - R)} \cdot V_{D0}$$
(20)

From (10)

$$I_{ph} = f(V_{D0}) - \frac{(R_t - R)}{R_{sh} \cdot (R - R_s)} \cdot V_{D0}$$
(21)

Substituting (21) into (20) leads to (11) and substituting (10) and (17) into (11) leads to (12).

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