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碩 士 論 文

應用於無線多輸入多輸出基頻處理器之 頻率相依的 IQ 不平衡效應之研究

The Study of All-Digital Compensation for I/Q Mismatch with Frequency Dependent Imbalance in MIMO-OFDM Baseband Designs

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摘要

直接降頻的接收器(DCR)架構目前在工業和學術界已經成為一個趨勢,因為它擁 有體積小,便宜和消耗更少動力的優勢。但是,這種架構會一起伴隨著一些射頻(RF) 的不完美效應,像是直流電(DC)偏移,頻率偏移,以及 I/Q 不平衡效應等等...在這篇 論文中,主要是研究頻率相依的 I/Q 不平衡效應。

為了使無線接收器上的類比 I/O 處理器得到令人滿意的效能, 實部和虛部的匹配 變得至關重要。 此論文提出一個新穎的基頻處理方法來估計和補償在 MIMO-OFDM 系統下,頻率相依的 I/Q 不平衡效應。 提出的方法只要使用一次的估算,就能夠估計 並且補償非理想效應,它可以容忍的範圍包含了震幅誤差 2dB, 相位誤差 20 度,以 及實部的低通濾波器是 [10.1], 虛部的低通濾波器是 [0.11] 的情況。

The Study of All-Digital Compensation for I/Q Mismatch with Frequency Dependent Imbalance in MIMO-OFDM Baseband Designs

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Abstract **AMARIA**

A direct-conversion receiver (DCR) architecture becomes a trend in industry and academic world nowadays because it is small, cheap and less power-consuming. This kind of architecture, however, accompanies with some radio frequency (RF) imperfections such as the direct current (DC) offset, frequency offset, inphase/quadrature (I/Q) imbalance, and etc. In this thesis, it focuses on the topic of the RF impairment of frequency dependent I/Q imbalance.

To achieve satisfactory performance in analog I/Q (inphase/quadrature) processing based wireless receivers, the matching of amplitudes and phases of the I and Q branches becomes vital. In this thesis, a novel baseband I/Q estimation and compensation technique is proposed to overcome the frequency dependent I/Q imbalance in MIMO-OFDM systems. The proposed method uses a one-shot algorithm which is able to estimate and compensate the non-ideal effect up to gain error 2 dB, phase error 20 degree, and the low pass filter of the real part is [1 0.1], the low pass filter of the image part is [0.1 1].

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> Wei-Chi Lai July 2006

Contents

Abbreviations

CHAPTER 1 INTRODUCTION

Orthogonal Frequency Division Multiplexing (OFDM) is a kind of spectrally efficient signaling technique for communications over frequency selective fading channels [1], [2]. MIMO-OFDM is one of the promising technologies satisfying the need for high throughput. Orthogonal frequency division multiplexing (OFDM) possesses the ability to resist multipath channel by simple frequency-domain equalizer; thus, it has been adopted by many transmission systems, e.g., IEEE802.11a/g based WLAN systems [3], [4], digital audio broadcasting (DAB) [5], and digital video broadcasting terrestrial TV (DVB-T) [6]. Unfortunately, OFDM systems are sensitive to imperfect synchronization and non-ideal front-end effects, causing serious system performance degradation. One of the key effects coming from non-ideal RF circuit is I/Q imbalance, which is due to the gain and phase mismatch between in-phase (I) and quadrature-phase (Q) paths. More specifically, it occurs when the difference of the phase in I and O channels from local oscillator is not exactly 90 degree and the gain is not the same. In this thesis, we propose a novel one-shot frequency domain technique for calibrate frequency dependent I/Q imbalance in MIMO-OFDM systems.

Multiple-input multiple-output (MIMO) makes use of multiple transmitter and multiple receiver antennas to transmit independent data streams simultaneously for increasing diversity and spectral efficiency. Consequently, the combination of MIMO and OFDM is widely discussed in recent years and has been used by some wireless broadband systems such as IEEE 802.11n [7] and IEEE.802.16a.

In fact, there are tons of literatures focusing on the problem of I/Q imbalance and the compensation scheme; see [9]-[24] and references therein. However, most of them put emphasis on frequency-independent I/Q imbalance, and only a few of them [9], [12]-[17] provide compensation schemes for frequency-dependent I/Q imbalance, which is much more complicated. Based on the assumption that desired signal and image interference are statistically independent, some methods make use of the blind source separation techniques to extract the desired signal [9][12][18][19]. However, the finite training sequences used to estimate the coefficients for compensation do not always satisfy the assumption. Therefore, decision-directed methods are usually needed for these algorithms to adaptively converge the desired solutions. Some other adaptive compensation methods, such as [20], also encounter the same difficulty. Then, [16] deriving an adaptive MMSE solution and I/Q mismatch cancellation in frequency domain for MIMO-OFDM systems. It independently calculates the coefficients of detection and compensation for each subcarrier, but the coefficients of neighboring subcarriers are highly correlated. Accordingly, we should take account of this property to improve speed of convergence.

On the other hand, some researchers develop the compensation algorithms by means of the training symbols known by the receiver in advance, like [21]-[24]. Reference [21] analyzes the frequency-dependent I/Q imbalance in the presence of frequency-offset. Still, some restrictions on the training sequence exist and a finite impulse response (FIR) filter is adopted to correct the frequency-dependent I/Q mismatch. Truly, a FIR filter is not suitable for OFDM systems because it increases the effective channel length experienced by transmitted signal. If the effective channel length is larger than the guard interval (GI), we have to show the great concern about the inter-symbol interference (ISI) which is a troublesome issue in OFDM systems. Then, speaking of Reference [22], it only discusses frequency-independent I/Q imbalance problem on the basis of channel smoothness criterion. Moreover, both [21] and [22] ignore the noise contribution when they analyze these RF imperfections, and it doesn't conform to the real case. Different from [21] and [22], assuming the noise at receiver is an additive white Gaussian noise (AWGN), references [23] [24] propose techniques that jointly estimates the I/Q imbalance and other RF impairments based on the maximum likelihood (ML) criterion. However, the joint estimators of [23][24] are only for the frequency-independent I/Q mismatch and can not be directly applied to MIMO-OFDM systems.

In order to maintain and realize system with imperfect RF distortions, we major focus on "how to calibrate the frequency dependent I/Q imbalance accuracy". **[Table 1-1](#page-12-1)** shows the state of the art of the I/Q-M problem in OFDM system. And in this thesis, the proposed algorithm using the long training field preamble in MIMO-OFDM packet format is developed to overcome frequency dependent I/Q-M. From simulation results, it is shown that the proposed scheme make a high performance receiver possible in the condition of frequency dependent I/Q-M.

Ref.	<i>Description</i>	Note
[13]	Pilot-based nonlinear least squares (NLS) frequency estimator	Complexity of FIR $($ tap: $5~-7$ $)$ is high
[16]	Adaptive MMSE solution	Need more data symbol to training IQ parameter, and tolerance less gain error and phase error
[17]	Least-Squares Equalization $&$ Adaptive Equalization	It must design a specially patterned pilot sequence or special training symbol, NOT compatible with standard

Table 1-1 The State of The Art

The remainder of this thesis is organized as follows. Chapter 2 describes the MIMO-OFDM system model. Chapter 3 describes the general I/Q Imbalance Model. Then a novel algorithm for compensating for frequency dependent I/Q-M is developed in Chapter 4. The simulation results are shown in Chapter 5. Proposed hardware architecture is in Chapter 6. Finally, this thesis is concluded in Chapter 7 And reference is in the last part of this thesis.

CHAPTER 2 SYSTEM MODEL OF MIMO-OFDM

The MIMO-OFDM system supports BPSK \cdot QPSK \cdot 16-QAM \cdot 64-QAM four kinds of modulation, FEC supports $1/2 \cdot 2/3 \cdot 3/4 \cdot 5/6$ four kinds of coding rate, and it can uses 2x2 or 4x4 antennas to transmit data. Before data transmitted, the data must go through Alamouti STBC (Space Time Block Code) encoding. After that, data go through OFDM modulation, and using IFFT to transfer frequency domain data to time domain signal. In each OFDM symbol, each symbol has 64 subcarriers , and 52 of them are data carrier, 4 of them are pilot carrier, others are null carrier. In receiver, first step, it uses FFT to transfer received signal to frequency domain data. Second step, equalizer will compensate channel effect then combine two stream data into original by Alamouti Decoder. The MIMO basic architecture is as **[Figure 2-1](#page-13-1)** and the Alamouti STBC (Space Time Block Code) is as **[Figure 2-2](#page-14-1)**.The basic MIMO-OFDM transmitter and receiver is as **[Figure 2-3](#page-14-2)** and **[Figure](#page-14-3) [2-4](#page-14-3)** [7]. And **[Figure 2-5](#page-15-1)** shows the used system channel model. In this thesis, we will focus on the I/Q mismatch, and the general I/Q model will be introduced in next section in detail.

Figure 2-1 MIMO Basic Architecture

Figure 2-2 Alamouti STBC (Space Time Block Code)

Figure 2-3 MIMO Basic Transmitter

Figure 2-4 MIMO Basic Receiver

Figure 2-5 System Channel Model

CHAPTER 3 GENERAL I/Q IMBALANCED MODEL

A generalized block-diagram of an I/Q signal processing based quadrature receiver [9] is presented in **[Figure 3-1](#page-17-1)**.The I/Q imbalance caused by the LO can be characterized by an amplitude mismatch $g = (1+\varepsilon)$ and a phase error θ . Following the LO are mixers, amplifiers, LPFs and A/D converters which in general cause the frequency dependent I/Q imbalance. And we represent the I/Q baseband signal paths by two mismatched LPFs (with frequency responses of $H_I(f)$ and $H_Q(f)$,respectively) [9]. The local oscillator signal $X_{L_Q}(t)$ of an imbalanced quadrature demodulator is here modeled as:

$$
X_{LO}(t) = I_{LO}(t) + jQ_{LO}(t)
$$

= cos(2 $\pi f_c t$) - jg sin(2 $\pi f_c t$ + θ)
= K₁e^{-j2 $\pi f_c t$} + K₂e^{j2 $\pi f_c t$}
= K₁z(t) + K₂z^{*}(t) (3-1)

Where $g = (1+\varepsilon)$ and θ represent the demodulator amplitude and phase imbalances, respectively (ideally $g = 1$ and $\theta = 0$). The mismatch coefficients K_1 and K_2 in (3-1) are given by

$$
K_1 = [1 + ge^{-j\theta}]/2 \tag{3-2a}
$$

$$
K_2 = [1 - g e^{j\theta}] / 2 \tag{3-2b}
$$

proof:

$$
\cos(2\pi f_c t) - j g \sin(2\pi f_c t + \theta) = \frac{1}{2} \left(e^{-j2\pi f_c t} + e^{j2\pi f_c t} \right) + \frac{1}{2} g \left(e^{-j(2\pi f_c t + \theta)} - e^{j(2\pi f_c t + \theta)} \right)
$$

$$
= \frac{1}{2} \left(1 + g e^{-j\theta} \right) e^{-j2\pi f_c t} + \frac{1}{2} \left(1 - g e^{j\theta} \right) e^{j2\pi f_c t}
$$

From [9], to analyze the effect of branch mismatches, the signal after through LPFs, and Fourier transforms, we can get

$$
R_{BB}(f) = I_{BB}(f) + jQ_{BB}(f)
$$

= $I_{LO}(f)H_I(f) + jQ_{LO}(f)H_Q(f)$ (3-3)

 $R_{BB}(f)$ represents the received data in the baseband as in Fig.3-1 .After some manipulations, the result of (3-3) can be written in a more convenient form as

$$
R_{BB}(f) = \alpha(f)Z(f) + \beta(f)Z^*(-f)
$$
\n
$$
R_{BB}(f) = \alpha(f)Z(f) + \beta(f)Z^*(-f)
$$
\n(3-4)
\n
$$
\alpha(f) = [H(f) + H(f)]\alpha e^{-j\theta}I/2
$$

where
$$
\alpha(f) = [H_1(f) + H_2(f)ge^{-j\theta}] / 2
$$
 (3-5a)

$$
\beta(f) = [H_1(f) - H_2(f)ge^{j\theta}] / 2
$$
\n(3-5b)

Figure 3-1 MIMO-OFDM I/Q System Model.

In (3-4), the term relative to $Z^*(-f)$ is caused by the imbalances and represents the image aliasing effect. Notice that the basic imbalance model used in [10]-[11] is a special case of (3-4) for which $H_1(f) = H_0(f)$. And because the front-end processing cannot sufficiently attenuate the image band signal and some kind of compensation is needed.

Following figures show how the frequency independent I/Q-M and frequency dependent I/Q-M affect the channel frequency response in the condition of No Multipath, and No AWGN. In **[Figure 3-2](#page-18-1)** and **[Figure 3-3](#page-18-2)**, it shows the amplitude and phase of the channel frequency response under the condition of **frequency-independent I/Q-M** of gain error 1dB, phase error 20°.

Figure 3-2 Amplitude of C.F.R. of Gain Error 1dB, Phase Error 20°

Figure 3-3 Phase of C.F.R. of Gain Error 1dB, Phase Error 20°

In **[Figure 3-4](#page-19-1)** and **[Figure 3-5](#page-19-2)**, it shows the amplitude and phase of the channel frequency response under the condition of **frequency dependent I/Q-M** of gain error 1dB, phase error 20°, $h_l(t) = [1 \ 0.1], h_0(t) = [0.1 1].$

Figure 3-5 Phase of C.F.R. of $h_1(t) = [1 \ 0.1], h_2(t) = [0.1 \ 1],$

Gain Error 1dB, Phase Error 20°

CHAPTER 4 ESTIMATION FOR FREQUENCY DEPENDENT I/Q IMBALANCE

In MIMO-OFDM system, the packet format is as **[Figure 4-1](#page-20-1)**. The legacy long training OFDM symbol is identical to the 802.11a long training OFDM symbol [7]. And the L-LTF is the same in each antenna. The HT-LTFs are transmitted after the HT-STF. For any PPDU, there must be at least as many HT-LTFs as spatial streams in the HT Data portion of the PPDU. The first HT-LTF consists of two Long Training Symbols (LTS) as in 802.11a/g and a regular guard interval of 0.8 µs, giving a total length of 7.2µs. Following second and all subsequent HT-LTFs each consist of a single HT-LTS with a regular guard interval of 0.8 μ s, giving a total length of 4 μ s. And the HT-LTF is tone interleaved across antennas, the 56 tones are partitioned across the antenna array during each OFDM symbol. Tone partitioning into sets for 20MHz is shown in **[Table 4-1](#page-21-1)**. At each OFDM symbol interval, each set of tones maps to one transmit antenna. And over time, all sets get mapped to an antenna. An example of tone interleaving across 4 transmit antennas is shown in **[Figure 4-2](#page-21-2)** [7]. And **[Figure 4-3](#page-21-3)** shows the HT-LTF tone interleaving across 2 spatial streams.

Figure 4-1 MIMO-OFDM Packet Format

Nss	Set 0	Set 1	Set 2	Set 3
1	$[-28:1:-1] [1:1:+28]$			
2	$[-28:2:-2] [2:2:28]$	$[-27:2:-1] [1:2:27]$		
3	$[-28:3:-1] [2:3:26]$	$[-27:3:-3]$ [3:3:27]	$[-26:3:-2] [1:3:28]$	
$\overline{4}$	$[-28:4:-4] [1:4:25]$	$[-27:4:-3]$ [2:4:26]	$[-26:4:-2]$ [3:4:27]	$[[-25:4:-2] [4:4:28]$

Table 4-1 Tone partitioning into sets for 20MHz (56 tones)

time

Figure 4-2 HT-LTF tone interleaving across 4 spatial streams

Figure 4-3 HT-LTF tone interleaving across 2 spatial streams

From **[Figure 4-1](#page-20-1)** \sim **[Figure 4-3](#page-21-4)**, we can get the Set0 and Set1 in 2x2 system.

Because the data of Set0 and Set1 intersects, we can get the channel frequency response by interpolating the received data. And because the HT-LTF is tone interleaved across antennas, channel frequency response for each channel can be estimated by using the **interpolating** the received HT-LTF. Taking 2x2 system for example, these channel frequency response $\hat{H}_{11}(f) \cdot \hat{H}_{12}(f) \cdot \hat{H}_{21}(f) \cdot \hat{H}_{22}(f)$ can be estimated.($\hat{H}_{RT}(f)$ means the estimating channel frequency response of T_{th} transmitter antenna to R_{th} receiver antenna).From equation (3-4), the data affected by I/Q imbalance will be attenuated by its mirror part. In HT-LTF and L-LTF, there exit some pairs in which the quotient of data and its mirror part data is **+1**, and in others positions, their quotients are **-1**. Taking 2x2 systems for example, we can find some pairs which their quotient in HT-LTF is **+1,** and in L-LTF, in the same pair's positions, their quotient is **-1**.

In HT-LTF, the quotient of some pairs is $+1$, we can estimate the channel frequency response $\hat{H}_{11}(f) \cdot \hat{H}_{12}(f) \cdot \hat{H}_{21}(f) \cdot \hat{H}_{22}(f)$ from these pairs position as following.

$$
\hat{H}_{11}(f) = \alpha_1(f)H_{11}(f) + \beta_1(f)H_{11}^*(-f)
$$
\n(4-1a)

$$
\hat{H}_{12}(f) = \alpha_1(f)H_{12}(f) + \beta_1(f)H_{12}^*(-f)
$$
\n(4-1b)

$$
\hat{H}_{21}(f) = \alpha_2(f)H_{21}(f) + \beta_2(f)H_{21}^*(-f)
$$
\n(4-1c)

$$
\hat{H}_{22}(f) = \alpha_2(f)H_{22}(f) + \beta_2(f)H_{22}^*(-f)
$$
\n(4-1d)

Where $\alpha_1(f)$ and $\beta_1(f)$ means the I/Q-M coefficients in receiver one; $\alpha_2(f)$ and $\beta_2(f)$ means the I/Q-M coefficients in receiver two. And $H_{11}(f) \cdot H_{12}(f)$. $H_{21}(f) \cdot H_{22}(f)$ represent the real channel frequency response.

In L-LTF, in the same pair's positions, their quotient is **-1**. The L-LTF part in receiver one is as following.

$$
R_1(f) = \alpha_1(f) \{ H_{11}(f) \text{L-LTF}(f) + H_{12}(f) \text{L-LTF}(f) \}
$$

+ $\beta_1(f) \{ H_{11}^*(-f) \text{L-LTF}^*(-f) + H_{12}^*(-f) \text{L-LTF}^*(-f) \}$ (4-2)

And because the L-LTF are all real number, $L-LTF^*(f) = L-LTF(f)$. After some rearrangement, equation (4-2) will become:

$$
R_{1}(f) = \alpha_{1}(f)H_{11}(f)L\text{-LTF}(f) + \beta_{1}(f)H_{11}^{*}(-f)L\text{-LTF}(-f)
$$

+ $\alpha_{1}(f)H_{12}(f)L\text{-LTF}(f) + \beta_{1}(f)H_{12}^{*}(-f)L\text{-LTF}(-f)$ (4-3)

And because L-LTF($-f$) = $-1 \times$ L-LTF(f), equation (4-3) can be written as

$$
R_{1}(f) = \alpha_{1}(f)H_{11}(f)L\text{-LTF}(f) + \beta_{1}(f)H_{11}^{*}(-f)[L\text{-LTF}(f) - 2L\text{-LTF}(f)] + \alpha_{1}(f)H_{12}(f)L\text{-LTF}(f) + \beta_{1}(f)H_{12}^{*}(-f)[L\text{-LTF}(f) - 2L\text{-LTF}(f)] \tag{4-4}
$$

Substituting equation (4 -1a) and $\left(\frac{4-1}{10} \right)$ into equation ($4-4$), it will become... 1896

$$
R_{1}(f) = \text{L-LTF}(f)\hat{H}_{11}(f) + \text{L-LTF}(f)\hat{H}_{12}(f)
$$

-2 $\beta_{1}(f)$ L-LTF(f)[$H_{11}^{*}(-f) + H_{12}^{*}(-f)$] (4-5)

From equation (4-3), and knowing L-LTF $(f) = -1 \times L$ -LTF $(-f)$, getting the following..

$$
R_{1}(f) = \alpha_{1}(f)H_{11}(f)[\text{L-LTF}(-f) - 2\text{L-LTF}(-f)] + \beta_{1}(f)H_{11}^{*}(-f)\text{L-LTF}(-f) + \alpha_{1}(f)H_{12}(f)[\text{L-LTF}(-f) - 2\text{L-LTF}(-f)] + \beta_{1}(f)H_{12}^{*}(-f)\text{L-LTF}(-f)
$$
\n(4-6)

Substituting equation (4-1a) and (4-1b) into equation (4-6), it will become…

$$
R_1(f) = \text{L-LTF}(-f)\hat{H}_{11}(f) + \text{L-LTF}(-f)\hat{H}_{12}(f)
$$

-2 $\alpha_1(f)$ L-LTF(-f)[$H_{11}(f) + H_{12}(f)$] (4-7)

After some rearrangement and making whole equation conjugate, equation (4-7) becomes:

$$
R_1^*(-f) = \text{L-LTF}^*(f)\hat{H}_{11}^*(-f) + \text{L-LTF}^*(f)\hat{H}_{12}^*(-f) -2\alpha_1^*(-f)\text{L-LTF}^*(f)\Big[H_{11}^*(-f) + H_{12}^*(-f)\Big]
$$
(4-8)

From equation (4-5) and (4-8), and L-LTF^{*}(f) = L-LTF(f), we can get the following…

$$
\frac{\beta_1(f)}{\alpha_1^*(-f)} = \frac{R_1(f) - L \cdot \text{LTF}(f) \hat{H}_{11}(f) - L \cdot \text{LTF}(f) \hat{H}_{12}(f)}{R_1^*(-f) - L \cdot \text{LTF}(f) \hat{H}_{11}^*(-f) - L \cdot \text{LTF}(f) \hat{H}_{12}^*(-f)}
$$
(4-9)

And we can also find some pairs which their quotient in HT-LTF is **-1,** and in same pair's positions in L-LTF, their quotient is +**1**. Follow the same method, we can find the *<u>ALBERTA AVENUE AND ARTISTS</u>* equation below:

$$
\frac{\beta_1(f)}{\alpha_1^*(-f)} = \frac{R_1(f) - \text{L-LTF}(f)\hat{H}_{11}(f) - \text{L-LTF}(f)\hat{H}_{12}(f)}{R_1^*(-f) + \text{L-LTF}(-f)\hat{H}_{11}^*(-f) + \text{L-LTF}(-f)\hat{H}_{12}^*(-f)}
$$
(4-10)

From equation (4-9) and (4-10), there are 24 ratios of $\frac{\mu_1}{\sigma^*}$ 1 (f) $(-f)$ *f f* $\frac{\beta_1(f)}{\alpha_1^*(-f)}$ in the receiver one in

MIMO 2x2 systems of 20MHz. And by interpolating the 24 ratios, we can get the all ratios of 56 subcarriers of a symbol. After getting these 56 ratios, we can compensate the data of receiver one in frequency domain by the following equation.

$$
Z_1(f) = \frac{\alpha_1^*(-f)R_1(f) - \beta_1(f)R_1^*(-f)}{\alpha_1(f)\alpha_1^*(-f) - \beta_1(f)\beta_1^*(-f)}
$$
\n(4-11)

In the Receiver two, we can also take the same methods to get the 56 ratios of $\frac{P_2}{\sigma^*}$ 2 (f) $(-f)$ *f f* β $\alpha_{2}^{*}(-$

to compensate for the frequency dependent I/Q-M in receiver two.

$$
Z_2(f) = \frac{\alpha_2^*(-f)R_2(f) - \beta_2(f)R_2^*(-f)}{\alpha_2(f)\alpha_2^*(-f) - \beta_2(f)\beta_2^*(-f)}
$$
\n(4-12)

Above equation from (4-1a) to (4-12) is the case of 2x2 MIMO-OFDM systems in 20 MHz, we can also apply these one-shot method to solve the frequency dependent I/Q-M in MIMO-OFDM 4x4 systems. And following **[Figure 4-4](#page-25-1)** is the flow chart of the proposed algorithm.

Figure 4-4 Flow Chart of Proposed Algorithm

CHAPTER 5 SIMULATION RESULT AND PERFORMANCE

To evaluate the proposed algorithm, a typical MIMO-OFDM system based on IEEE P802.11 Wireless LANs, TGn Sync Proposal Technical Specification is used as a reference-design platform. The parameters used in the simulation platform are *"The length of OFDM symbol is 64 and cyclic prefix is 16"*. A satisfactory accuracy can usually be reached if enough data samples are used to calculate the estimate from the long training symbols. As a result, the proposed method uses high throughput long training field symbols and legacy long training field symbols to measure the frequency dependent I/Q-M.

The simulation result below is based on following conditions:

- 2x2 MIMO-OFDM systems in 20MHhz.
- PSDU is 1024. bytes
- \bullet MCS is 13 (modulation is 640AM, coding rate is 2/3)
- z Decoder using **soft Viterbi decoder**
- Multipath Model: TGnD, TGnE, TGnF, and the relative rms delay and Tap number will be shown in **[Table 5-1](#page-27-1)** [25]

We set three kinds conditions of I/Q Mismatch:

High I/Q : gain error is 1dB, phase error is 20° in receiver 1; and

gain error is 2dB, phase error is 10° in receiver 2.

Low I/Q : gain error is 1dB, phase error is 10° in receiver 1; and

gain error is 0.7dB, phase error is 8° in receiver 2.

Worst FDI (**F**requency **D**ependent **I**mbalance):

The $h_i(t)$ represents the LPF in real part in time domain is [1 0.1]

The $h_0(t)$ represents the LPF in image part in time domain is [0.1 1]

Mode	rms delay spread	Tap numbers	
Α	0 _{ns}		
B	15 ns		
⌒	30 ns		
	50 ns		
E	100 ns	15	
	150 ns	22	

Table 5-1 TGn Multipath Specifications

Following **[Figure 5-1](#page-27-2)** and **[Figure 5-2](#page-27-3)**, it shows the amplitude and the phase of estimated channel frequency response \hat{H}_{11} under frequency dependent I/Q-M ($h_I(t) = [1 \ 0.1],$ $h_{\varrho}(t) = [0.1 \ 1]$, 1dB 20°), No AWGN, No Mutipath.

Figure 5-1 Amplitude of C.F.R. \hat{H}_{11} ($h_I(t) = [1 \ 0.1]$, $h_Q(t) = [0.1 \ 1]$, 1dB 20°)

Figure 5-2 Phase of C.F.R. \hat{H}_{11} ($h_1(t) = [1 \ 0.1], h_2(t) = [0.1 \ 1], 1 \text{ dB } 20^\circ$)

From the above two figures, it shows that the I/Q-M has been calibrated, and the channel frequency response left can be compensated by the Aloumouti equalizer easily.

Following **[Figure 5-3](#page-28-1)** and **[Figure 5-4](#page-28-2)** , it shows the amplitude and the phase of estimated channel frequency response \hat{H}_{11} under frequency dependent I/Q-M ($h_I(t) = [1 \ 0.1],$ $h_0(t) = [0.1 \ 1]$, 1dB 20°), **Mutipath: TGnE**, No AWGN.

Figure 5-3 Amplitude of Channel Frequency Response \hat{H}_{11} in TGnE

Figure 5-4 Phase of Channel Frequency Response \hat{H}_{11} in TgnE

Following figure will show the whole system performance (PER) improved by the proposed algorithms in all kinds of conditions. In **[Figure 5-5](#page-29-1)**~ **[Figure 5-13](#page-33-1)**, the multipath condition is TGnD or TGnE, or TGnF, Low I/Q or High I/Q, it shows that , the proposed algorithms can improve the system performance greatly when frequency dependent I/Q-M effect is serious.

Figure 5-5 Amplitude of Channel Frequency Response of TGnD

Figure 5-6 PER vs SNR, MCS 13, TGnD, 1dB 10° and 0.7dB 8°

Figure 5-7 PER vs SNR, MCS 13, TGnD, 1dB 20° and 2dB 10°

Figure 5-8 Amplitude of Channel Frequency Response of TGnE

Figure 5-10 PER vs SNR, MCS 13, TGnE, 1dB 20° and 2dB 10°

Figure 5-11 Amplitude of Channel Frequency Response of TGnF

Figure 5-12 PER vs SNR, MCS 13, TGnF, 1dB 10° and 0.7dB 8°

CHAPTER 6 PROPOSED HARDWARE ARCHITECTURE

Below **[Figure 6-1](#page-34-1)** shows the block diagram of the proposed I/Q estimator & compensation. And following **[Figure 6-2](#page-35-1)** and **[Figure 6-3](#page-35-2)** are the IQ-Estimation and IQ-Compensation block. And in **[Figure 6-4](#page-36-1)** and **[Figure 6-5](#page-37-1)**, it shows the block architecture.. In this design, the critical module is the **Complex Divider.**

Figure 6-1 Block Diagram of the proposed I/Q Estimator & Compensation

Figure 6-2 Block of IQ-Estimation

Figure 6-3 Block of IQ-Compensation

Figure 6-4 Block Structure of I/Q-Estimation.

Figure 6-5 Block Structure of I/Q-Compensation.

CHAPTER 7 CONCLUSION AND FUTURE WORK

This thesis has proposed a novel one-shot algorithm to estimate the frequency dependent I/Q-M in MIMO-OFDM receivers. The proposed algorithm can uses two kinds of long training symbols to estimate frequency dependent I/Q-M in multipath environments. From simulation results, the proposed algorithm can meet many system requirements to prevent obvious performance loss under different frequency dependent I/Q-M conditions. Following [Table 7-1](#page-38-1) shows the comparison result with other methods

	Ref [13]	Ref[16]	Ref [17]	Proposed work	
Method	Nonlinear Least Squares (NLS) Frequency Estimator	MMSE & RLS adaptive filter	Least-Squares Equalization & Adaptive Equalization	Using the preamble format different	
Packet Frame Used	Pilot-based	Pilot-based	Training symbol or Pilot	HT-LTF & L-LTF	
Consider Filter Imbalance?	Yes	N _o	Yes	Yes.	
Computational Effort	High	High	High	Low	
Compatible for IEEE. Standard?	Yes, compatible with IEEE. OFDM specification $($ for $1x1$ system)	Yes, compatible with IEEE. MIMO Standard specification	No, they have special design pilot or special training symbols	Yes, compatible with IEEE. MIMO Standard Specification	
Performance	Average SNR loss is less 1dB (Channel condition is not clear)	Improves within 2.5dB (Need about 30-35) symbols for training)	Average SNR loss is about 2~3dB (Need $10-40$ training symbols)	In TGnD, filter imbalance IO condition, the SNR loss is about 3dB	

Table 7-1 Comparison with other Methods

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