# 國立交通大學 光電工程研究所

# 碩士論文

氮化鎵二維面射型光子晶體分散回饋式雷射之研究



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# Study of GaN-based Two-Dimensional Surface-Emitting Photonic Crystal Distributed-Feedback Laser

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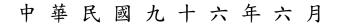
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## 摘要

本論文主要是探討氮化鎵二維面射型光子晶體分散回饋式雷射之製做與研究。在模擬方面,我們是利用平面波展開法來計算元件的光能帶圖。在製作方面,我們利用電子 束微影技術,製作了不同晶格常數的元件(晶格常數從190到300奈米)。在量測方面, 我們利用光激發系統在室溫下進行元件的特性測量,我們觀測到不同的元件(不同的晶 格常數)都會有雷射的發光現象,其臨界激發光能量密度大約為3.5mJ/cm<sup>2</sup>,雷射波長從 397至425 奈米,半高寬約為1.1Å。除此之外,我們對於其它雷射的特性也做了相關量 測,例如,極化程度(53%)、發散角(<10°)、雷射發光情形等…。其中,在光學顯微 鏡的觀測下,我們發現幾乎整個光子晶體的區域都會有雷射發光現象,並且由雷射的發 光頻譜可以得知,此雷射在單一波長下操作。最後,我們也比較了實驗量測及理論模擬 的正規化頻率。由實驗數據可發現其正規化頻率可分為幾個群組,這些群組都可以對應 到相對的理論模擬結果,而這些對應的點則都是位於布里淵區的邊界,這是因為在這些 布里淵區的邊界會滿足布拉格繞射條件。由以上的敘述,說明了我們可以獲得大面積單 模態的氮化鎵藍光面射型雷射。

# Study of GaN-based Two-Dimensional Surface-Emitting Photonic Crystal Distributed-Feedback Laser

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## <u>Abstract</u>

In this thesis, we study the fabrication and characteristics of GaN-based two-dimensional surface-emitting photonic crystal distributed-feedback (2D SEPC DFB) laser. We also simulated the band diagram of the PC structure to realize the lasing mechanism by using plane-wave expansion (PWE) method. We fabricated these devices with different lattice constant (from 190nm to 300nm) by using electron-beam lithography (EBL). The laser action of photonic crystal devices was achieved under the optical pumping at room temperature. The clear threshold characteristic was observed at different devices (a=190-300nm). All these devices show a similar threshold pumping energy densities to be about 3.5mJ/cm<sup>2</sup>. The GaN-based 2D SEPC DFB laser emits violet wavelength (from 397nm to 425nm) with a linewidth of about 1.1Å. In addition, the degree of polarization (53%) · divergence angel (<10 ) and emission image of the laser was also measured. In emission image of the laser, we obtain a stimulated emission of GaN-based 2D SEPC DFB laser over a large area. All emission light normal to the sample surface is collected into a spectrometer/CCD, and the lasing spectrum shows just one lasing mode in the whole lasing area. So, it is clear, the single mode GaN-based 2D SEPC DFB laser with large lasing area was demonstrated. Finally, we compare experiment results with simulation results. We are able to classify the normalized frequency into few groups. Different groups of the normalized frequency occur at different points of Brillouin-zone boundary,  $\Gamma \cdot M \cdot K$  points. All points of normalized frequency can exactly correspond to points of Brillouin-zone boundary because the Bragg condition only satisfies at these points.

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# **Chapter 1**

# Overview

### **1.1 Introduction**

Nitride-based materials have attracted a great attention in the early 1990s due to the large direct band gap and the promising potential for the optoelectronic devices, such as light emitter diodes (LEDs) and laser diodes (LDs) [1-7]. In the early 1970s, the crystal growth, basic properties and the fabrication of the prototype of GaN-based light emitting diodes have been studied by Maruska and Tietjen [8], Pankove et al. [9], and Maruska et al. [10]. In 1993 the first prototype high brightness (> 100 rimes greater than previous alternatives, about 1 candela) GaN-based blue LEDs were developed by Nakamura's group, and then they reported room temperature pulsed [11] and continuous wave (CW) lasing operation [12] of GaN-based blue LD with an emission wavelength of around 400nm in 1996. Recently, Nichia Corporation succeeded in developing high power blue-violet semiconductor laser diodes corresponding to a double-layer disc at more than 10 X record speed/ a quad-layer disc at more than 2 X record speed applied for the next generation DVD recorders and they confirmed that estimated life time exceeded 10,000 hours and stable operation was achieved for 1000 hours with the condition of 320mW pulsed operation at 80°C [13].

Today, blue LEDs are widely used in many applications such as mobile electronics, flat panel displays, Competing storage technologies, automobiles, traffic signals, back light of liquid crystal display, general lighting, large outdoor displays and illumination. The blue LD can serve as the light source of high density data storage in high definition digital versatile disk (HD-DVD). The big market of HD-DVD has shown up the importance of blue LDs. Besides, the blue and violet LDs may have many other possible markets, such as high brightness projector, high speed printer, medical field and others.

### **1.2 Developments of Two-Dimensional Photonic crystal Lasers**

Semiconductor 2D PC laser provide mode confinement at a characteristic length comparable to an optical wavelength and have emerged as a versatile building block to construct photonic circuitry. Such structures can act not only as a passive waveguide or resonator to direct the wave propagation but also as an active medium to control light emission [14]. They are some structures to forming the 2D PC laser such as (i) 2D PC nano-cavity laser, (ii) 2D PC band edge laser.

### **2D PC Nano-Cavity Lasers**

In 1994, P. R. Berman *et al.* first presented that photonic crystal (PC) can be a reflected mirror around the cavity of laser [15]. In 1999, 2D optically pumped PC cavity laser was demonstrated by O. Painter [16]. The optical cavity consists of a half-wavelength thick waveguide for vertical confinement and a 2D PC mirror for lateral localization. A defect in the 2D PC is introduced to trap photons inside a volume of 2.5 cubic half-wavelength, approximately 0.03 cubic micrometers. The laser is fabricated in the InGaAs material system, and the peak emission wavelength is 1.55 micrometers. The figure 1.1 is the structure of PC laser. The spectrum of the laser with linewidth about 0.2nm is shown in Fig. 1.2 and the light-output and light-in power (L-L) curve is shown in Fig. 1.3.

In 2004, electrically driven single-cell 2D PC laser ( $\lambda$ =1519.7nm) was demonstrated by Hong-Gyu Park *et al.* [17]. A sub-micrometer-sized semiconductor post is placed at the center of the single-cell photonic crystal resonator and the thickness of the semiconductor slab is 282.5 nm as shown in Fig. 1.4. Electrons are

supplied laterally from the top electrode, whereas holes are injected directly through the bottom post. The light-current (L-I) curve of the laser is shown in Fig. 1.5.

In 2005, GaN-based blue (about 488nm) photonic crystal membrane nano-cavity with Q factor about 800 was reported by Y. S. Choi *et al.* [18].The membrane layer consists of a 44 nm unintentionally (uid) doped GaN top cladding, five InGaN quantum wells (QWs), a 14 nm uid GaN bottom cladding, and a 30 nm Al0.15Ga0.85N insulating layer. The total membrane thickness was designed to be 140 nm as shown in Fig. 1.6. Some resonance modes from the nano-cavities with lattice constant 180nm are shown in Fig. 1.7.

#### **2D PC Band Edge Lasers**

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In 1999, the 2D PC band edge laser with semiconductor QW under pulsed condition was reported by Noda *et al.* [19]. The PC has a triangular-lattice structure composed of InP and air holes, which is integrated with an InGaAsP/InP multiple-quantum-well active layer by a wafer fusion technique. The sample structure and SEM image of triangular lattice PC structure is shown in Fig. 1.8. The L-I curve and lasing spectrum are shown in Figs. 1.9 and 1.10, respectively. In 2004, they successfully reported the 2D PC band edge laser under room temperature continuous wave (RT-CW) operation [20]. The device structure, lasing spectrum and light output power-current characteristic are shown in Figs. 1.11, 1.12 and 1.13, respectively.

However, the GaN-based 2D PC laser on both structures has not been demonstrated; and the 2D PC band edge laser has been repeatedly considered as potential candidates for perfect single-mode emission over a large area, high output power, and surface emission with a very narrow divergence angle. Therefore, my group makes effort on GaN-based 2D PC laser and makes it.

## **1.3 Objective of the Thesis**

In this thesis, we report the fabrication of GaN-based two-dimensional (2D) photonic crystal (PC) distributed-feedback surface-emitting (DFBSE) laser using the AlN/GaN DBRs as the bottom mirror and periodical nano-holes which to form a PC, and demonstration of the laser operation under optical pumping at room temperature.

We also present the characteristics of optical pumping GaN-based 2D PC DFBSE laser such as excitation energy – emission intensity characteristic (L-I), emission image of laser, polarization, divergence angle. In addition, the simulation of band diagram of triangular lattice PC was calculated by R-Soft. Finally, we discuss the experiment results and compare them with the simulated band diagram.

## **1.4 Outline of the Thesis**

This thesis is organized in the following manner. In chapter 2, the formation, operation mechanism and applications of 2D PC DFB SE laser and simulation method are briefly introduced. In chapter 3, the fabrication of GaN-based 2D PC DFB SE with (EBL) is presented. In chapter 4, we discuss the characteristics of GaN-based 2D PC DFB SE laser. Finally, chapter 5 is the conclusion and future work.

# **Chapter 2**

# **Fundamentals of Laser**

## 2.1 The Theory of DBRs

The DBRs are a simplest kind of periodic structure, which is made up of a number of quarter-wave layers with alternately high- and low- index materials. Therefore, it's necessary to know the theory of quarter-wave layer before discussing the DBRs.

#### **Quarter-wave layer** [21-22]

Consider the simple case of a transparent plate of dielectric material having a thickness d and refractive index  $n_f$ , as shown in Fig 2.1. Suppose that the film is nonabsorbing and that the amplitude-reflection coefficients at the interfaces are so low that only the first two reflected beams (both having undergone only one reflection) need be considered. The reflected rays are parallel on leaving the film and will interference at image plane.

The optical path difference (P) for the first two reflected beam is given by

$$P = n_{l}[(\overline{AB}) + (\overline{BC})] - n_{l}(\overline{AD})$$
(2.1)

and since

$$(\overline{AB}) = (\overline{BC}) = d/\cos\theta_t \tag{2.2}$$

$$P = \frac{2n_t d}{\cos \theta_t} - n_1(\overline{AD})$$
(2.3)

also

Using Snell's Law

$$\overline{AD}) = (\overline{AC})\sin\theta_i \tag{2.4}$$

$$(\overline{AD}) = (\overline{AC})\frac{n_f}{n_i}\sin\theta_i$$
(2.5)

$$(\overline{AC}) = 2d \tan \theta_t \tag{2.6}$$

The expression for P now becomes 
$$P = \frac{2n_t d}{\cos \theta_t} (1 - \sin^2 \theta_t)$$
(2.7)

or finally 
$$P = 2n_d \cos\theta$$
 (2.8)

The corresponding phase difference ( $\delta$ ) associated with the optical path length difference is then just the product of the free-space propagation number and P, that is, K<sub>o</sub>P. If the film is immersed in a single medium, the index of refraction can simply be written as n<sub>1</sub>=n<sub>2</sub>=n. It is noted that no matter n<sub>f</sub> is greater or smaller than n, there will be a relative phase shift  $\pi$  radians.

Therefore,

$$d\cos\theta_t = (2m+1)\frac{\lambda_f}{4} \tag{2.9}$$

(2.10)

or

The interference maximum of reflected light is established when  $\delta=2m\pi$ , in other words, an even multiple of  $\pi$ . In that case Eq. (2.9) can be rearranged to yield

 $\delta = \frac{4\pi n_f}{\lambda_0} (n_f^2 - n^2 \sin^2 \theta_l)^2 \pm \pi$ 

[maxima] 
$$d \cos \theta = (2m+1)\frac{\lambda_0}{4n_f}$$
 (m = 0, 1, 2,...) (2.11)  
The interference maximum of reflected light is established when  $\delta = (2m\pm1)\pi$ , in other words, an odd multiple of  $\pi$ . In that case Eq. (2.9) can be rearranged to yield  
[minima]  $d \cos \theta = 2m\frac{\lambda_0}{4\pi}$  (m = 0, 1, 2,...) (2.12)

 $4n_f$ 

Therefore, for an normal incident light into thin film, the interference maximum of reflected light is established when  $d = \lambda_0/4n_f$  (at m=0). Based on the theory, a periodic structure of alternately high- and low- index quarter-wave layer is useful to be a good reflecting mirror. This periodic structure is also called Distributed Bragg Reflectors (DBRs).

#### Distributed Bragg Reflectors (DBRs) [23- 28]

DBRs serve as high reflecting mirror in numerous optoelectronic and photonic devices such as VCSEL. There are many methods to analyze and design DBRs, and the matrix method is one of the popular one. The calculations of DBRs are entirely described in many optics books, and the derivation is a little too long to write in this thesis. Hence, we put it in simple to understand DBRs. Consider a distributed Bragg

reflector consisting of m pairs of two dielectric, lossless materials with high- and lowrefractive index  $n_H$  and  $n_L$ , as shown in Fig 2.2. The thickness of the two layers is assumed to be a quarter wave, that is,  $L_1 = \lambda_B/4n_H$  and  $L_2 = \lambda_B/4n_L$ , where the  $\lambda_B$  is the Bragg wavelength.

Multiple reflections at the interface of the DBR and constructive interference of the multiple reflected waves increase the reflectivity with increasing number of pairs. The reflectivity has a maximum at the Bragg wavelength  $\lambda_B$ . The reflectivity of a DBR with m quarter wave pairs at the Bragg wavelength is given by

$$R = \left(\frac{1 - \frac{n_s}{n_o} (\frac{n_L}{n_H})^{2p}}{1 + \frac{n_s}{n_o} (\frac{n_L}{n_H})^{2p}}\right)$$
(2.13)

where the  $n_o$  and  $n_s$  are the refractive index of incident medium and substrate. The high-reflectivity or stop band of a DBR depends on the difference in refractive index of the two constituent materials,  $\triangle n$  ( $n_{H}$ - $n_{L}$ ). The spectral width of the stop band is given by

where  $n_{eff}$  is the effective refractive index of the mirror. It can be calculated by requiring the same optical path length normal to the layers for the DBR and the effective medium. The effective refractive index is then given by

$$n_{eff} = 2\left(\frac{1}{n_{H}} + \frac{1}{n_{L}}\right)^{-1}$$
(2.15)

(2.14)

The length of a cavity consisting of two metal mirrors is the physical distance between the two mirrors. For DBRs, the optical wave penetrates into the reflector by one or several quarter-wave pairs. Only a finite number out of the total number of quarter-wave pairs are effective in reflecting the optical wave. The effective number of pairs seen by the wave electric field is given by

$$m_{eff} \approx \frac{1}{2} \frac{n_{H} + n_{L}}{n_{H} - n_{L}} \tanh(2m \frac{n_{H} - n_{L}}{n_{H} + n_{L}})$$
 (2.16)

For very thick DBRs  $(m \rightarrow \infty)$  the tanh function approaches unity and one obtains

$$m_{eff} \approx \frac{1}{2} \frac{n_{H} + n_{L}}{n_{H} - n_{L}}$$
(2.17)

Also, the penetration depth is given by

$$L_{pen} = \frac{L_1 + L_2}{4r} \tanh(2mr)$$
 (2.18)

where  $r = (n_1-n_2)/(n_1+n_2)$  is the amplitude reflection coefficient. For a large number of pairs  $(m \rightarrow \infty)$ , the penetration depth is given by

$$L_{pen} \approx \frac{L_1 + L_2}{4r} = \frac{L_1 + L_2}{4} \frac{n_H + n_L}{n_H - n_L}$$
(2.19)

Comparison of Eqs. (2.17) and (2.19) yields that

$$L_{pen} = \frac{1}{2} m_{eff} (L_1 + L_2)$$
(2.20)

The factor of (1/2) in Eq. (2.20) is due to the fact that  $m_{eff}$  applies to effective number of periods seen by the electric field whereas Lpen applies to the optical power. The optical power is equal to the square of the electric field and hence it penetrates half as far into the mirror. The effective length of a cavity consisting of two DBRs is thus given by the sum of the thickness of the center region plus the two penetration depths into the DBRs.

## 2.2 Bragg Diffraction In 2D Triangular-Lattice Structure[29][<sup>30</sup>]

In there, we consider the sample structure has three layers. The 2D triangular-lattice structure is in the middle layer. The real lattice and reciprocal lattice of 2D triangular-lattice structure is shown in Fig. 2.3 and 2.4, respectively.  $K_1$  and  $K_2$  are the Bragg vectors with magnitude  $|\mathbf{K}|=2\pi/a$ , where a is lattice constant. We consider the TE mode in the 2D PC structure. The incident lightwave and diffracted lightwave must be satisfied the relationship,

$$k_d = k_i + q_1 K_1 + q_2 K_2,$$
 q1,2=0, ±1, ±2, ... (2.21)

$$\omega_d = \omega_i \tag{2.22}$$

where  $k_d$  is xy-component wave vector of diffracted lightwave,  $k_i$  is xy-component wave vector of incident lightwave,  $q_{12}$  is order of coupling. In Eq. (2.22),  $\omega_d$  is the frequency of diffracted lightwave and  $\omega_i$  is the frequency of incident lightwave. The Eq. (2.21) and Eq. (2.22) represent the phase-matching condition and constant-freqency condition.

First, we consider the lattice point  $\Gamma$  in first Brillouin zones of the structure as shown in Fig. 2.5. Figure 2.5 shows that lightwaves are diffracted in five different  $\Gamma$ - $\Gamma$ directions such as  $k_d = k_i + K_1$ ,  $k_d = k_i + K_1 + K_2$ ,  $k_d = k_i + 2K_2$ ,  $k_d = k_i - K_1 + 2K_2$ ,  $k_d = k_i - K_1 + K_2$ , in addition,  $k_d = k_i + K_1$  also satisfy the Bragg condition as shown in Fig. 2.6. So, in this case, the incident lightwave can couple with lightwave of the five different directions in in-plane which like a cavity and the coupling light also can emit normal to the sample surface due to the first Bragg diffraction.

Second, we consider the M point in first Brillouin zones of the structure as shown in Fig. 2.7. The diffraction condition is expressed as  $k_d = k_i + K_1$  and  $k_d = k_i - K_1$ . Here, the  $k_d$ ,  $k_i + K_1$  and  $k_d = k_i - K_1$  must be parallel to the  $\Gamma$ -M direction to satisfy the diffraction condition. In this case, the incident lightwave only coupled two waves that propagate in the forward and backward directions and the cavity can exist in each of the three different directions. This is similar to the 1D DFB laser.

Third, the K point in first Brillouin zones of the structure must be considered as shown in Fig. 2.8. In this case, the diffraction condition is expressed as,  $k_d = k_i + K_1$ ,  $k_d = k_i + K_2$ , and the diffraction waves are not parallel to the  $\Gamma$ -K direction. It is different from the others. There are six directions in  $\Gamma$ -K direction and we can know that two different cavities exist simultaneously in the different  $\Gamma$ -K direction from Fig. 2.8. The lasing mode is not clear due to the couple waves are emitted in the three different directions.

Finally, the lattice points of higher Brillouin zones of the structure are not described in here because those are similar to the lattice points of first Brillouin zones of the structure.

## 2.3 Spontaneous and Stimulated Transition [31]

In here, we can consider only a single level in both the conduction and valence bands in semiconductor. In Fig. 2.9, there are four basic mechanism of electron generation/recombination must be considered: (i) spontaneous emission, (ii) stimulated absorption, (iii) stimulated emission, (iv) nonradiative recombination. The solid circles represent electrons and the open circles represent holes.

The first case  $(R_{sp})$  represents the electron in conduction band recombining with a hole in valence band spontaneously to generate a photon. If a lager number of photon is generated, the emission time and direction would be random, and the emission is not coherent radiation light. This is the primary mechanism of LED, in which photon feedback is not provided.

The second case  $(R_{12})$  represents the electron in valence band absorbs the energy of pumping source to generate the electron in conduction band while leaving a hole in the valence band.

The third case  $(R_{21})$  is the same as the second, only the sign of the interaction is reversed. An incident photon gets into the system, stimulate the electron and hole to recombine, and generate a new photon. This is an important mechanism because it is necessary for lasers.

The fourth case represents several nonradiative ways, a conduction band electron can recombine with a valence band hold without generating any photons such as nonradiative recombination centers and Auger recombination.

### 2.4 Operation Mechanism of Laser[29-30][31-35]

The operation of a semiconductor lasers, can be understood by observing the flow of carriers into its active region, the generation of photons due to the recombination of some of these carriers, and the transmission of some of these photons out of the optical cavity. These dynamics can be described by a set of rate equations, one for the carriers and one for the photons in each of the optical modes.

#### **Carrier density rate equation**

The carrier density in the active region is governed by a dynamic process. In fact, we can compare the process of establishing a certain steady-state carrier density in the active region to that of establishing a certain water level in a reservoir which is being simultaneously filled and drained. This is shown schematically in Fig. 2.10. As we

proceed, the various filling (generation) and drain (recombination) terms illustrated will be defined. The current leakage illustrated in Fig. 2.8 contributes to reducing  $\eta_i$  and is created by possible shunt paths around the active region. The carrier leakage, R<sub>1</sub>, is due to carriers "splashing" out of the active region (by thermionic emission or lateral diffusion if no lateral confinement exists) before recombining. Thus, this leakage contributes to a loss of carriers in the active region that could otherwise be used to generate light.

For the DH active region, the injected current provides a generation term, and various radiative and nonradiative recombination process as well as carrier leakage provide recombination terms. Thus, we can write the carrier density rate equation,

$$\frac{dN}{dt} = G_{gen} - R_{rec} \tag{2.23}$$

where N is the carrier density (electron density),  $G_{gen}$  is the rate of injected electrons and  $R_{rec}$  is the ratio of recombining electrons per init volume in the active region. Since there  $are\eta_i I/q$  electrons per second being injected into the active region,  $G_{gen} = \frac{\eta_i I}{qV}$ , where V is the volume of the active region. The recombination process is complicated and several mechanisms must be considered. Such as, spontaneous recombination rate,  $R_{sp} \sim BN^2$ , nonradiative recombination rate,  $R_{nr}$ , carrier leakage rate,  $R_l$ ,  $(R_{nr} + R_l = AN+CN^3)$ , and stimulated recombination rate,  $R_{st}$ . Thus we can write  $R_{rec} = R_{sp} + R_{nr} + R_l + R_{st}$ . Besides,  $N/\tau \equiv R_{sp} + R_{nr} + R_l$ , where  $\tau$  is the carrier lifetime. Therefore, the carrier density rate equation could be expressed as

$$\begin{pmatrix} \text{carrier density} \\ \text{rate equation} \end{pmatrix} \qquad \qquad \frac{dN}{dt} = \frac{\eta_i I}{qV} - \frac{N}{\tau} - R_{st}$$
(2.24)

#### **Photon density rate equation**

Now, we describe a rate equation for the *photon density*,  $N_p$ , which includes the photon generation and loss terms. The photon generation process includes spontaneous recombination ( $R_{sp}$ ) and stimulated recombination ( $R_{st}$ ), and the main photon generation term of laser above threshold is  $R_{st}$ . Every time an electron-hole pairs is stimulated to recombine, another photon is generated. Since, the cavity volume occupied by photons,  $V_p$ , is usually larger than the active region volume

occupied by electrons, V, the photon density generation rate will be  $[V/V_p]R_{st}$  not just  $R_{st}$ . This electron-photon overlap factor,  $V/V_p$ , is generally referred to as the *confinement factor*,  $\Gamma$ . Sometimes it is convenient to introduce an effective thickness  $(d_{eff})$ , width  $(w_{eff})$ , and length  $(L_{eff})$  that contains the photons. That is,  $V_p=d_{eff}w_{eff}L_{eff}$ . Then, if the active region has dimensions, d, w, and  $L_a$ , the confinement factor can be expressed as,  $\Gamma=\Gamma_x\Gamma_y\Gamma_z$ , where  $\Gamma_x = d/d_{eff}$ ,  $\Gamma_y = w/w_{eff}$ ,  $\Gamma_z = L_a/L_{eff}$ . Photon loss occurs within the cavity due to optical absorption and scatting out of the mode, and it also occurs at the output coupling mirror where a portion of the resonant mode is usually couple to some output medium. These net losses can be characterized by a *photon (or cavity) lifetime*,  $\tau_p$ . Hence, the photon density rate equation takes the form

$$\begin{pmatrix} \text{photon density} \\ \text{rate equation} \end{pmatrix} \qquad \frac{dN_p}{dt} = \Gamma R_{st} + \Gamma \beta_{sp} R_{sp} - \frac{N_p}{\tau_p}$$
(2.25)

where  $\beta_{sp}$  is the *spontaneous emission factor*. As to  $R_{st}$ , it represents the photon-stimulated net electron-hole recombination which generates more photons. This is a gain process for photons. It is given by

$$\left(\frac{dN_p}{dt}\right)_{gen} = R_{st} = \frac{\Delta N_p}{\Delta t} = v_g g N_p$$
(2.26)

where  $v_g$  is the group velocity and g is the gain per unit length. Now, we rewrite the carrier and photon density rate equations

$$\begin{pmatrix} \text{carrier density} \\ \text{rate equation} \end{pmatrix} \qquad \qquad \frac{dN}{dt} = \frac{\eta_i I}{qV} - \frac{N}{\tau} - v_g g N_p \qquad (2.27)$$

$$\begin{pmatrix} \text{photon density} \\ \text{rate equation} \end{pmatrix} \qquad \frac{dN_p}{dt} = \Gamma v_g g N_p + \Gamma \beta_{sp} R_{sp} - \frac{N_p}{\tau_p}$$
(2.28)

#### **Output power versus driving current**

The characteristic of output power versus driving current (L-I characteristic) in a laser diode can be realized by using the rate equation Eq. (2.29) and (2.30). Consider the below threshold (almost threshold) steady-state (dN/dt = 0) carrier rate equation, the Eq. (2.29) is given by  $\frac{\eta_i I_{th}}{qV} = (R_{sp} + R_{nr} + R_l)_{th} = \frac{N_{th}}{\tau}$ . While the driving current

is above the threshold  $(I > I_{th})$ , the carrier rate equation will be

$$\begin{pmatrix} \text{above threshold} \\ \text{carrier density} \\ \text{rate equation} \end{pmatrix} \qquad \qquad \frac{dN}{dt} = \eta_i \frac{(I - I_{th})}{qV} - v_g g N_p \tag{2.29}$$

From Eq. (2.31), the steady-state photon density above threshold where  $g = g_{th}$  can be calculated as

$$\begin{pmatrix} \text{steady state} \\ \text{photon density} \end{pmatrix} \qquad \qquad N_p = \frac{\eta_i (I - I_{th})}{q v_g \mathbf{g}_{th} V}$$
(2.30)

The optical energy stored in the cavity,  $E_{os}$ , is constructed by multiplying the photon density, N<sub>p</sub>, by the energy per photon, hv, and the cavity volume, V<sub>p</sub>. That is  $E_{os} = N_p hvV_p$ . Then, we multiple this by the energy loss rate through the mirrors,  $v_g \alpha_m = 1/\tau_m$ , to get the optical power output from the mirrors,  $P_0 = v_g \alpha_m N_p hvV_p$ . By using Eq. (2.30) and (2.32), and  $\Gamma=V/V_p$ , we can write the output power as the following equation

$$P_{o} = \eta_{i} \left( \frac{\alpha_{m}}{\alpha_{i} + \alpha_{m}} \right) \frac{h\nu}{q} (I - I_{th})$$
(2.31)

Now, by defining  $\eta_d = \frac{\eta_i \alpha_m}{\alpha_i \alpha_m}$ , the Eq. (2.33) can be simplified as

Thus, the 
$$\eta_d$$
 can be expressed as  $P_O = \eta_d \frac{h\nu}{q} (I - I_{th})$  (I > I<sub>th</sub>) (2.32)

(differential quantum efficiency) 
$$\eta_d = \left[\frac{q}{hv}\right] \frac{dP_o}{dI}$$
 (I > I<sub>th</sub>) (2.33)

In fact,  $\eta_d$  is the *differential quantum efficiency*, defined as number of photons out per electron. Besides, dP<sub>o</sub>/dI is defined as the *slope efficiency*, S<sub>d</sub>, equal to the ratio of output power and injection current. Figure 2.11 shows the illustration of output power vs. current for a diode laser. Below threshold only spontaneous emission is important; above threshold the stimulated emission power increase linearly with the injection current, while the spontaneous emission is clamped at its threshold value.

# Chapter 3

# Fabrication of GaN-based 2D SEPC DFB Laser

### **3.1 Electron-Beam System** [36][37]

The technique of EBL is using electron beam to generate patterns on a surface and the De broglie relationship ( $\lambda < 0.1$ nm for 10-50keV electrons) to avoid the diffraction limit. So the primary advantage of this technique is that it can beat the diffraction limit of light and create a pattern which only has few nanometers line-width without any mask. The first EBL machines, based on the scanning electron microscope (SEM), were developed in the 1960s.

The EBL system usually consists of electron gun, beam blanker for controlling the state of beam, electron lenses for focus the electrons beam, stage and computer control system as shown in Fig. 3.1.

#### **Electron Sources**

Electrons can be emitted from a conductor either by heating the conductor with a sharp point where the electrons obtain sufficient energy from the thermal source to overcome the work function of the conductor (thermal emission sources) or by applying a strong electric field where the electrons can tunnel through the work function (field emission sources). There are three key parameters of the electrons source such as virtual source size, brightness, and the energy spread of the emitted electrons.

The virtual source size determines the number of the lenses in order to form a small spot size at the target. Brightness is similar to the intensity of light optical, so the brighter the electron source has a higher current in the electron beam. The electrons beam with the wide energy spread is similar to white light which has one more wavelength while a beam with a narrow energy spread can be comparable to monochromatic light.

Table 3.1 shows the properties of common electrons sources. For many years the normal thermal emission source for lithography optics was formed by using loop of tungsten wire heated white hot by passing a current. Tungsten was chosen for it did not melt or evaporate at high temperature. Unfortunately, this source had a large energy spread caused by the very high operating temperature (2700K) and it was not very bright. Recently, lanthanum hexaboride has become the cathode because it has a very low work function and a high brightness. The electrons beam current for thermal emission source is dependent on operating temperature. Higher temperature can deliver greater electrons beam current (high bright) but the tradeoff is an

exponentially decreasing lifetime due to thermal evaporation of the cathode material.

Field emission source usually consist of a tungsten needle with a sharper point and the radius less than  $1\mu m$ . This tip has sufficient electric field to pull electrons out of the metal. Although cold field emission source has been widely used in electron microscopes but it has some problem for EBL due to their instability with regard to short term noise as well as long term drift.

Although the field emission sources have some disadvantages for EBL, but now a technology is available to EBL is the thermal field emission source. It combines a field emission source with sharp tungsten and the heating of the thermal source. Because the tip operates at 1800K, it is less sensitive to gases in the environment and can achieve stable operation for months at a time.

#### Electron Lenses

The electrostatic forces or magnetic forces can focus the electrons beam. Although the electron lenses is similar to optical lenses in principle but there are some differences. Besides in some special cases, electron lenses just can be made to converge, not diverge. In addition, the quality of electron lenses in term of aberrations is poor compares with optical lenses. The field size and convergence angle that can be used is limited by the poor quality of electron lenses. The two types of aberrations critical to EBL are spherical aberrations and chromatic aberrations. The spherical aberrations mean the out zones of the lens focus more strongly than the inner zones. The chromatic aberrations means electrons of slightly different energies get focused at different image planes. Both types of aberrations can be limited by reducing the convergence angle of the system, so the electron beam is confined to the center of the lenses.

#### <u>Beam Blanker</u>

The beam blanker can bank or turn the beam on or off. It usually consists of a pair of plates set up as a simple electrostatic deflector. One or both plates are linked to a blanking amplifier with a fast response time. A voltage is applied across the plates to turn the beam off. This is necessary when the electrons beam must move from one part of the sample to another.

#### Stage & Computer Control System

The stage can control the sample smoothly motion at high magnifications. It is important for EBL because the sample must move from one location to another seamlessly. The computer control system can control the stage moving to the position which is you want and can control the beam blanker to turn on or off. Also, the compute control system can design any pattern by using GDS software.

## **3.2 Wafer Preparation**

#### MOCVD grown structure and its reflectivity spectrum

The nitride heterostructure of GaN-based MCLED was grown by metal-organic chemical vapor deposition (MOCVD) system (EMCORE D-75) on the polished optical-grade c-face (0001) 2" diameter sapphire substrate, as shown in Fig. 3.2. Trimethylindium (TMIn), Trimethylgallium (TMGa), Trimethylaluminum (TMAl), and ammonia (NH<sub>3</sub>) were used as the In, Ga, Al, and N sources, respectively. Initially, a thermal cleaning process was carried out at 1080°C for 10 minutes in a stream of hydrogen ambient before the growth of epitaxial layers. The 30nm thick GaN nucleation layer was first grown on the sapphire substrate at 530°C, then 2µm thick undoped GaN buffer layer was grown on it at 1040°C. After that, a 35 pairs of quarter-wave GaN/AlN structure was grown at 1040°C under the fixed chamber pressure of 100Torr and used as the high reflectivity bottom DBR. Finally, the  $5\lambda$ active pn-junction region was grown atop the GaN/AIN DBR, composed typically of ten  $In_{0.2}Ga_{0.8}N$  quantum wells (L<sub>W</sub>=2.5 nm) with GaN barriers (L<sub>B</sub>=7.5 nm), and surrounded by 560nm thick Si-doped n-type GaN and 200nm thick Mg-doped p-type GaN layers. The reflectivity spectrum of the half structure with 35 pairs of GaN/AIN DBR structure was measured by the n&k ultraviolet-visible spectrometer with normal incident at room temperature, as shown in Fig. 3.3. The reflectivity spectrum centered at 430nm and stopband width of about 28nm.

## **3.3 Process Procedure**

#### Initial clean (I.C.)

During process of GaN-based nano-cavity laser, four basic skills will be frequently used. First is the initial clean (I.C.), second is plasma enhanced chemical vapour deposition (PECVD) technique, third is EBL technique and fourth is inductively coupled plasma - reactive ion etching (ICP-RIE) technique. The purpose of the I.C. is to remove the small particle, and organism on the sample surface. The steps of I.C. are described as below.

1. Degreasing by ultrasonic baths in acetone (ACE) 5min.

- 2. Dipping by ultrasonic baths in isopropyl alcohol (IPA) 5min for organism removed.
- 3. Rising in de-ionized water (D.I. water) 5min for surface clean.
- 4. Blowing with N<sub>2</sub> gas for surface drying.
- 5. Baking by hot plate 120°C, 5min, for wafer drying.

### PECVD (SAMCO PD220)

The purpose of PECVD technique is to form a SiN film for hard mask as shown in Fig. 3.4. The details of PECVD technique are described as below.

- 1. Initial clean
- 2. SiN film deposition :

SiHl<sub>4</sub>/Ar : 20sccm NH<sub>3</sub> : 10sccm N<sub>2</sub> : 490sccm Temperate :  $300^{\circ}$ C RF power : 35WPressure :100Pa Time : 20min for depositing SiN 200nm

### EBL

The purpose of the EBL is to define the pattern on the photoresist (PMMA) (soft mask) is shown in Fig. 3.5. In the process of EBL, a special positive photoresist PMMA (A3) was used. These EBL techniques are described as below.

- 1. Spin coating by photoresist : PMMA (A3).
  - a. first step : 1000 rpm for 10sec.
  - b. second step : 5000 rpm for 90sec.
- 2. Hard bake : hot plate 120°C, 1hr.
- 3. Exposure :

Beam voltage : 10KeV

Writefield size : 50µm

Dot dose : 0.08pAs

- 4. Development : dipping in IPA : MIBK(3 : 1) 50sec.
- 5. Fixing : rising in IPA 30sec.

- 6. Blowing with N<sub>2</sub> gas for drying.
- 7. Hard bake : hot plate 120°C, 4min.

#### **ICP-RIE (Oxford Plasmalab system 100)**

The soft mask was transfered to SiN film to form the hard mask by using ICP-RIE as shown in Fig. 3.6. These ICP-RIE techniques are described as below.

 SiN film etching: Ar/O<sub>2</sub>: 5sccm CHF<sub>3</sub>: 50sccm Forward power: 150W Pressure: 7.5\*10<sup>-9</sup>Torr Temperature: 20°C Time: 100 second for etching SiN film 200nm

2. Initial clean for remove soft mask

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## ICP-RIE (SAMCO RIE-101PH)

The purpse of the ICP-RIE techique is to form the PC layer on GaN. The hard mask was transferred to GaN by using ICP-RIE techique. Figure 3.7 are shown the SEM image of top view of 2D SE PC DFB laser, respectively. These ICP-RIE techniques are described as below.

- 1. P-GaN etching:
  - Ar : 30sccm
  - Cl<sub>2</sub>: 45sccm
  - ICP power : 400W
  - Bias power : 40W
  - Pressure : 0.66Pa

Time:120sec. for etching P-GaN 400nm

- 2. Dipping BOE 40sec. for remove hard mask
- 3. Polishing sapphire for optical pumping

## **3.4 Process flowchart**

Figure 3.8 show the schematic diagram of nitride structure grown by MOCVD. The nano-cavity laser was fabricated by few process steps. In the beginning, the hard mask SiN 200nm was deposited by PECVD as shown in Fig. 3.9. Then PMMA layer (150nm) was spun by spinner and exposed using E-beam writer to form soft mask as shown in Fig. 3.10. The pattern on soft mask was transferred to SiN film to form the hard mask by using ICP-RIE (Oxford Plasmalab system 100), and then the PMMA layer was removed by dipping ACE as shown in Fig. 3.11. The pattern on hard mask was transferred to GaN by using ICP-RIE (SAMCO RIE-101PH) to form the PC layer as shown in Fig. 3.12. Finally, the sample dips in BOE to remove the hard mask as shown in Fig. 3.13.

To completed describe the process flowchart, each process condition is entirely list in the table 3.2.



# Chapter 4

# **Optical pumping GaN-based 2D SEPC DFB Laser**

## 4.1 Design of GaN-based 2D SEPC DFB Laser

In this section, we introduce the method to design the GaN-based 2D SEPC DFB laser. For PC laser, the band diagram of PC is important because the normalized frequency, which is determined by the lasing wavelength and the lattice constant of PC, could be obtained from the band diagram. Therefore, we can obtain the lattice constant if the lasing wavelength is determined and this lasing wavelength must correspond to emission wavelength of the active layer. In additional, the Bragg condition is satisfied at Brillouin-zone boundary,  $\Gamma$ , K and M point. At these points, light waves can have opportunity to diffract normally to the surface which was described in section 2.2. Therefore, we can design a GaN-based 2D SEPC DFB laser operating at the designate lasing wavelength with the optimized lattice constant at Brillouin-zone boundary,  $\Gamma \times K$  and M point, which can be defined in the photonic band diagram.

In this research, we choose the lasing wavelength from micro-photoluminescence emission peak (~425nm) first. Here, we fix the r/a=0.28 for the calculation of the band diagram and the band diagram of PC obtained by using plan-wave expansion (PWE). In order to cover the most points satisfying Bragg condition, the optimized normalized frequency range was chosen from 0.45 to 0.7 which corresponds to the lattice constant range is from 190nm to 300nm for this lasing wavelength. The detail of calculation will be described below.

#### **4.1.1 Micro-Photoluminescence (µ-PL)**

The  $\mu$ -PL emission of the as-grown structure must be measured because the lasing wavelength must correspond to emission wavelength of the active layer.

The  $\mu$ -PL emission is excited by a 325nm He-Cd laser with a spot size of about 3 $\mu$ m diameter. This measurement setup is similar to optical pumping system expects excitation (laser) source as shown in Fig. 4.1. By using the microscopy system, the emission light can be collected into a spectrometer/CCD with a spectral resolution of about 0.1nm for spectral output measurement. The Fig. 4.2 shows the  $\mu$ -PL emission of the as-grown structure. The  $\mu$ -PL emission range is from 395nm to 440nm and the peak wavelength is 425nm.

### 4.1.2 Calculation of Confinement Factor and Effective Refractive Index

We calculate the band diagram of the lasing modes by using the method of the 2D

plan-wave expansion (PWE). But the 2D PWE assumes an infinite length in the 3D structure. In fact, our device is 3D structure, and the depths of nano-holds are not infinite. This means we should do some modification to parameters describing our structure and then bring them into the method of 2D PWE to match real condition. Therefore, we further consider some parameters such as confinement factor ( $\Gamma_g$ ) and effective refractive index ( $n_{eff}$ ). We can use the  $\Gamma_g$  and  $n_{eff}$  to calculate the dielectric constant for nano-hole ( $\epsilon_a$ ) and the background ( $\epsilon_b$ ) for 2D PWE calculation [29]

The  $\Gamma_g$  means the ratio of light confined within the 2D PC structure to light confined within the entire device. The n<sub>eff</sub> means the refractive index of the entire device which concludes PC. These two parameters can be obtained by solving the distribution of the electric field in the direction normal to the device surface using the software of Lastip. The result is shown in Fig. 4.3. From the result, we can estimate the  $\Gamma_g$  and n<sub>eff</sub> values that are 0.613 and 2.2, respectively.

#### 4.1.3 Calculation of dielectric constant ( $\varepsilon_a$ and $\varepsilon_b$ )

We obtain the parameter  $\Gamma_g$  and  $n_{eff}$  in section 4.1.2. Then, we determine  $\varepsilon_a$  and  $\varepsilon_b$  using two conditions: [29]

$$n_{eff}^{2} = f\varepsilon_{a} + (1 - f)\varepsilon_{b}$$

$$\Delta \varepsilon = \varepsilon_{b} - \varepsilon_{a} = \Gamma_{g}(\varepsilon_{mat} - \varepsilon_{air})$$

$$(4.1)$$

$$(4.2)$$

Where, the f is a filling factor. In our device, the f is equal to

$$f = \frac{2\pi r^2}{\sqrt{3}a^2}$$
(4.3)

The  $\varepsilon_{mat}$  and  $\varepsilon_{air}$  are dielectric constant of GaN (=2.5<sup>2</sup>) and air (=1<sup>2</sup>), respectively. Then, the value of  $\varepsilon_a$  (2.408) and  $\varepsilon_b$  (5.63) is obtained.

#### 4.1.4 Simulation of Band Diagram

In section 4.1.2-3, we have obtained the  $\varepsilon_a$  and  $\varepsilon_b$ . Then, we use the result to calculate the band diagram of the 2D triangular-lattice structure with r/a=0.28 using RSoft. Figure 4.4 shows the calculated band diagram of the 2D triangular-lattice structure for transverse-electric (TE) mode. It can be expected that the lasing occurs at special points such as Brillouin-zone boundary because the Bragg condition is satisfied and the mode density is high at these points. At these lasing points, wave can propagate in different directions and couple each other. For example, at  $\Gamma_1$  point, the wave can propagate in six different directions and couple in all six different directions to form a cavity. Then the light will emit in the direction perpendicular to the PC surface (down and up) because the Bragg condition is also satisfied in these

directions.

Therefore, to cover the most points satisfying Bragg condition, we choose the normalized frequency range from 0.45 to 0.7 which corresponds to the lattice constant range from 190nm to 300nm for a fixed lasing wavelength.

## **4.2 Optical Pumping Experiment**

The optical pumping of the sample was performed using a frequency-tripled Nd:YVO<sub>4</sub> 355nm pulsed laser with a pulse width of  $\sim 0.5$ ns at a repetition rate of 1kHz. The pumping laser beam with a spot size of 50µm was incident normal to the 2D SEPC DFB laser sample surface. By using the microscopy system, the light emission from the 2D SEPC DFB laser sample was collected by 15X objective lens through the fiber with 600µm core into a spectrometer/CCD (Jobin-Yvon Triax 320 Spectrometer) with a spectral resolution of  $\sim 0.1$ nm for spectral output measurement. The light emission from the 2D SEPC DFB laser sample was also collected by 20X objective lens into a CCD simultaneously for capturing the emission images. Figure 4.5 shows the measurement setup of optical pumping system.

# 4.3 Characteristics of GaN-based 2D SEPC DFB Laser with DBR

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In this section, we present the characteristics of optical pumping GaN-based 2D SEPC DFB laser such as excitation energy – emission intensity curve, emission images of laser, threshold carrier density ( $N_{th}$ ), degree of polarization.

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### 4.3.1 Stimulated emission (lasing)

The simulated emission of GaN-based 2D SEPC DFB laser was demonstrated and measured using the optical pumping system mentioned above. The lasing characteristics in different devices (different lattice constant a=190-300nm) with different lasing wavelength were measured, and we conclude the related normalized frequency of these laser as shown in Fig.4.6. Taking one of them (a=290nm) as example, the laser emission intensity from the 2D SEPC DFB laser as a function of the exciting energy is shown in Fig. 4.7. The clear threshold characteristic was observed at the threshold pumping energy density (E<sub>th</sub>) of about 3.5mJ/cm<sup>2</sup>. Then the laser output increases linearly with the excitation energy density beyond the threshold. Figure 4.8 shows the lasing spectrum with large wavelength range at 1.17E<sub>th</sub>. The wavelength range of spontaneous emission is from 370nm to 440nm and the lasing wavelength locates 424.33nm which corresponds to the peak wavelength of  $\mu$ -PL emission and the FWHM of the laser is 0.11nm. The similar lasing characteristics also can be observed as we measure other devices.

Figure 4.9 shows the excitation energy density dependent emission spectrum. The

red and green line show the spontaneous emission spectrum at 0.33 and  $0.66E_{th}$ , respectively and the blue, dark yellow and magenta line show the stimulated emission spectrum at 1, 1.17 and  $1.33E_{th}$ , respectively. It evidently expresses the behavior from spontaneous emission to stimulated emission.

#### 4.3.2 Emission images of GaN-based 2D SEPC DFB laser

The stimulated emission image of GaN-based 2D SEPC DFB laser is very different to conventional VCSEL structure. Typical lasing area of conventional GaN VCSELs reported show just a bright spot or few bright spots with a diameter of just few micrometers in the area of pumping source [38]. In our case, the lasing area of GaN-based 2D SEPC DFB laser is very large which is almost whole area of PC and it emits only one lasing mode in this lasing area.

Figure 4.10(a) shows the spontaneous emission image at  $0.92E_{th}$  with 50µm spot size of pumping source. Figure 4.10(b) shows the image of stimulated emission at 1.47E<sub>th</sub>. The lasing area brightly appears as the excitation energy increased above the threshold excitation energy, as shown in Fig. 4.10(b). The lasing area is almost whole area of PC. Theoretically, the stimulated emission in such device should happen at whole PC region, but in Fig. 4.10(b), the lasing area is not full of the area with PC. It may be due to the disorder of PC or un-uniform pumping beam or inhomogeneous gain material. In addition, all collected emission light normal to the sample surface shows just one lasing mode in the whole lasing area. So, it is clear, the single mode GaN-based 2D SEPC DFB laser with large lasing area was demonstrated.

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#### 4.3.3 Polarization

The degree of polarization (DOP) expresses the polarized property of the laser emission. It is defined as DOP =  $(I_{max}-I_{min})/(I_{max}+I_{min})$ . Figure 4.11 shows the measurement setup for DOP. The laser emission from the PC surface is collected by objective lens. Then, the light is through the polarizer into the spectrometer/CCD. Figure 4.12 shows the intensity of laser emission as a function of the angle of the polarizer. The contrast of laser emission intensity between two orthogonal polarizations was measured. The result showed the laser beam has a degree of polarization of about 53%. In ref. [35], the electric-field vectors in triangular lattice PC was calculated and calculation results suggest that this kind of the laser has weightless polarization property of the laser emission and it agrees with our result.

#### **4.3.4 Divergence Angle**

The divergence angle expresses the laser beam divergent extent. Figure 4.13 shows the measurement setup for divergence angle. The laser emits from the PC

surface and then into the fiber. The fiber is mounted on a stage which can rotate from  $-90^{\circ}$  (parallel with device) to  $90^{\circ}$  (parallel with device). We measure the divergence angle every  $10^{\circ}$  from  $-90^{\circ}$  to  $90^{\circ}$ . Figure 4.14 shows the intensity of laser emission as a function of the angle of the fiber position. The result shows the FWHM of laser divergence angle is smaller than  $10^{\circ}$  which is limited by measurement setup. This indicates that the laser emission is normal to the PC surface.

## 4.4 Comparison between Experiment and Simulation Results

Figure 4.6 shows normalized frequency as a function of the lasing wavelength. We find that the normalized frequency has some groups that are marked by pink area. We are able to classify the normalized frequency into few groups. The reason why the normalized frequency of our laser was classified into few groups and what causes this kind of phenomenon can be explained by the band diagram and Bragg diffraction.

In section 4.1, the band diagram of PC was calculated as shown in Fig. 4.4. To compare the results of experiment and simulation, we put Fig.4.4 and Fig 4.6 on the same place with same scale as shown is Fig.4.15. It can be seen that different groups of the normalized frequency occur at different points of Brillouin-zone boundary such as  $\Gamma \cdot M \cdot K$  points. All points of normalized frequency can exactly correspond to points of Brillouin-zone boundary. In the other word, the stimulated emission only occurs at  $\Gamma$  or M or K point because the Bragg condition only satisfy at these points.



# Chapter 5

# Conclusion

The fabrication and characteristics of GaN-based 2D surface-emitting photonic crystal distributed-feedback (SEPC DFB) laser were investigated in this thesis. We also simulated the band diagram of the PC structure to realize the lasing mechanism by using plane-wave expansion method. The laser action of photonic crystal devices was achieved under the optical pumping at room temperature. The lasing characteristics in the devices with different lattice constants (a=190-300nm) emitting different lasing wavelengths were measured and realized using the format of normalized frequency as a function of the lasing wavelengths. All these devices show a similar threshold pumping energy densities to be about 3.5mJ/cm<sup>2</sup>. The GaN-based 2D SEPC DFB laser emits violet wavelength (from 395nm to 425nm) with a linewidth of about 1.1Å. The degree of polarization and divergence angle of the laser emission is measured to be about 53% and smaller than  $10^{\circ}$ . The emission images of the laser indicate that the stimulated emission occurs over a large area, and the lasing spectrum shows the laser is a single mode laser. Finally, we compare experiment results with simulation results. We find that normalized frequency of each laser emission from photonic crystal devices can exactly correspond to the points of Brillouin-zone boundary,  $\Gamma \cdot M \cdot K$  points. That is because the Bragg conditions only satisfy at these points. This also further confirms the laser action in our devices comes from the band edge of photonic crystal band we designed. All the experiment results provide a strong evidence that SEPC DFB laser could have highly potential in the application of large area and single-mode vertical emitting lasers.

source type	source size	je j	vacuum requirement (Torr)
tungsten thermionic	25 um	~10 <sup>5</sup>	10 <sup>-6</sup>
thermal (Schottky) field emitter	20 nm	~10 <sup>8</sup>	10 <sup>-9</sup>
cold field emitter	5 nm	~109	10 <sup>-10</sup>

 Table 3.1 Properties of the electron sources

	AN AREA PARTY AND A REAL PARTY AND A REA			
Step	Process	Conditions		
1	Soft mask	<ol> <li>I.C.</li> <li>Deposition of 200nm SiN by PECVD.</li> <li>Spinning of 150nm PMMA by spinner</li> <li>Definition of pattern of nano-cavity laser by EBL.</li> <li>Development.</li> <li>Hard bake</li> </ol>		
2	Hard mask	<ol> <li>I.C.</li> <li>Dry etching by ICP-RIE (Oxford Plasmalab system 100) to form the hard mask.</li> <li>Remove PMMA by ACE.</li> <li>Hard bake.</li> </ol>		
3	Nano-cavity laser(1) I.C. (2) Dry etching by ICP-RIE ((SAMCO RIE-101PH) to transfer the hard mask to GaN. (3) Remove hard mask by BOE. 			

Table 3.2 Process flowchart

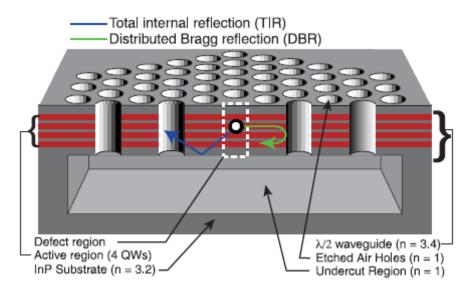


Figure 1.1 Schematic diagram of topical 2D PC

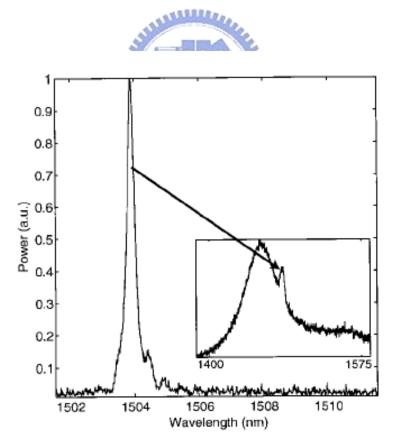


Figure 1.2 Spectrum of the laser. The spontaneous emission is shown in the

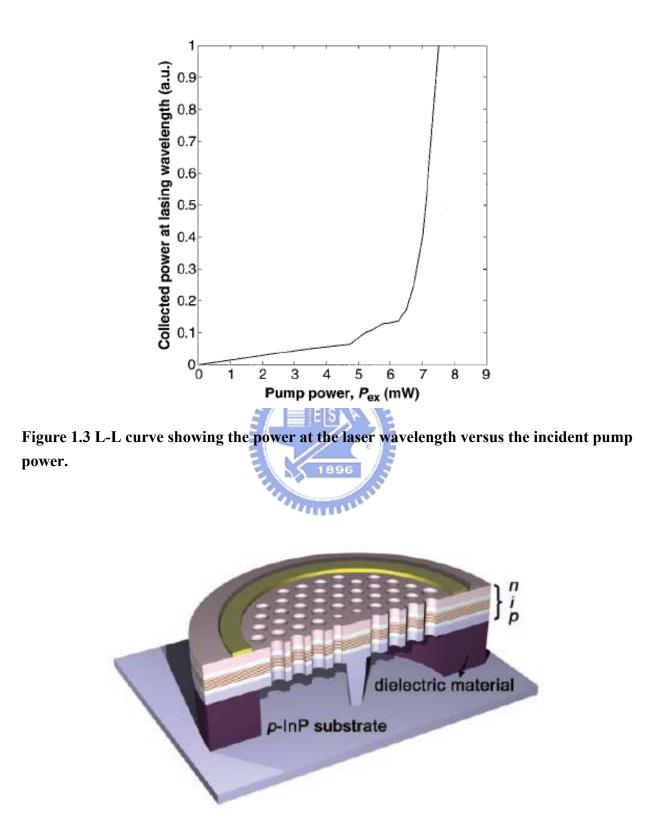
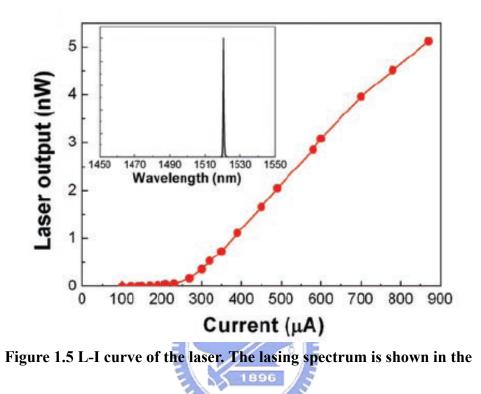


Figure 1.4 Schematic diagram of electrically driven single-cell photonic crystal



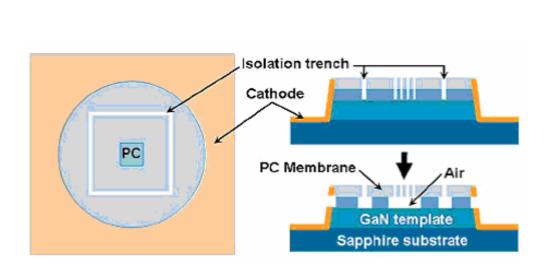


Figure 1.6 Schematic diagram of PC membrane nano-cavity

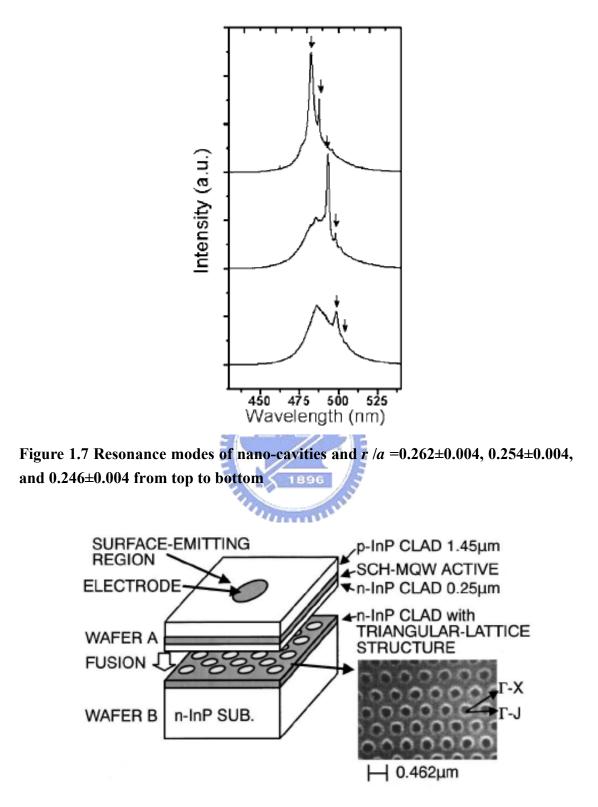


Figure 1.8 Schematic structure of une surface-emitting laser with 2D triangular-lattice structure. The inset shows the SEM photograph of the triangular-lattice structure.

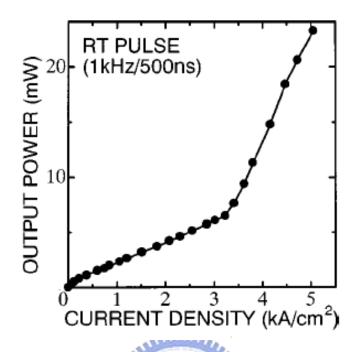


Figure 1.9 L-I characteristic of the 2D PC laser at RT under pulsed condition (repetition period: 1ms, pulse width: 500 ns).

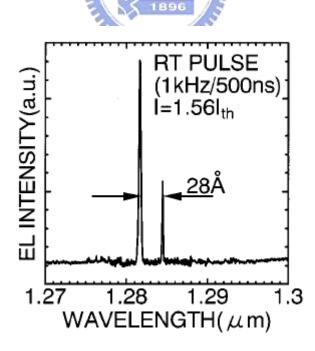


Figure 1.10 Lasing spectrum under pulsed condition and the injection current was  $J=1.56 \text{ J}_{\text{th}}$ .

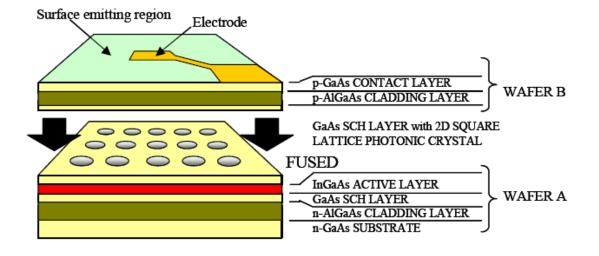


Figure 1.11 Schematic diagram of the device structure.

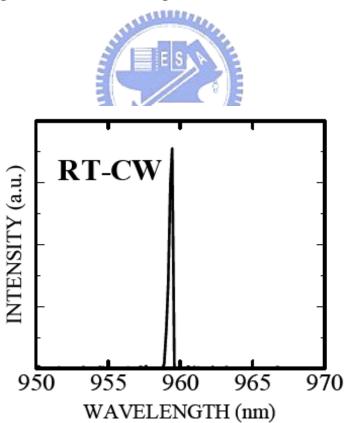


Figure 1.12 Lasing spectrum of the device under RT-CW condition.

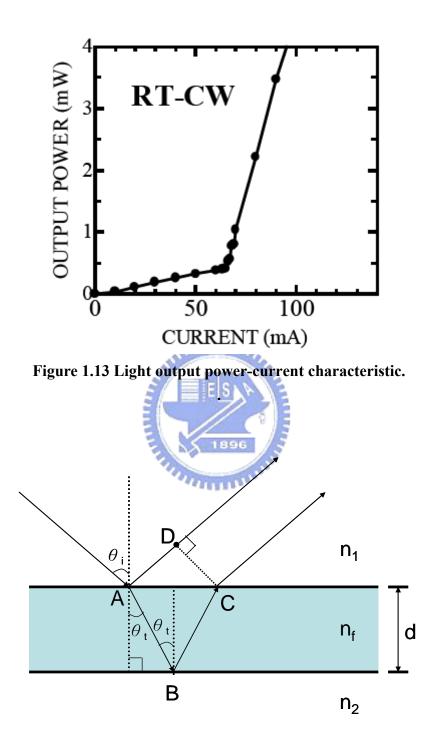


Figure 2.1 Schematic draw of the light reflected from the top and bottom of the thin film.

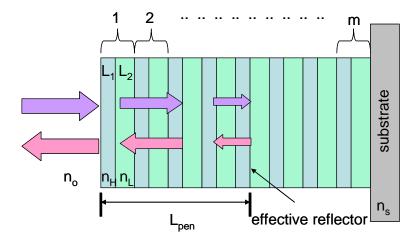


Figure 2.2 Schematic of DBRs.

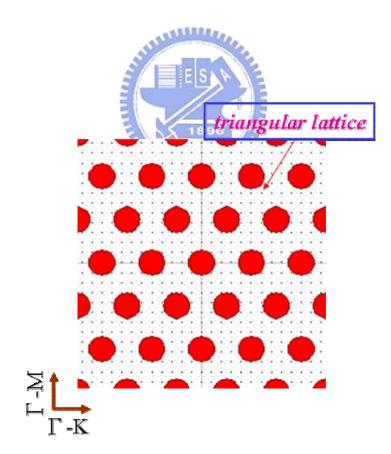


Figure 2.3 Structure of 2D triangular lattice in real space

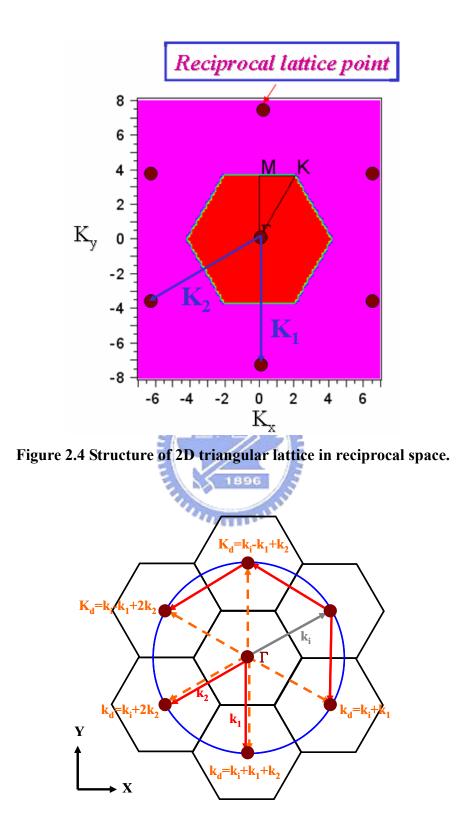


Figure 2.5 Triangular reciprocal lattice diagram of in-plane direction at  $\Gamma$  point.

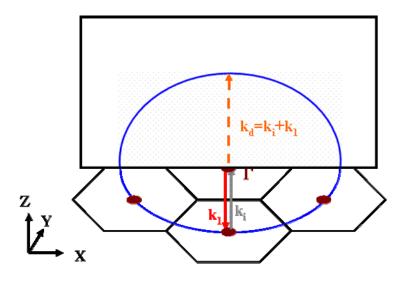


Figure 2.6 Triangular reciprocal lattice diagram of vertical direction at point.

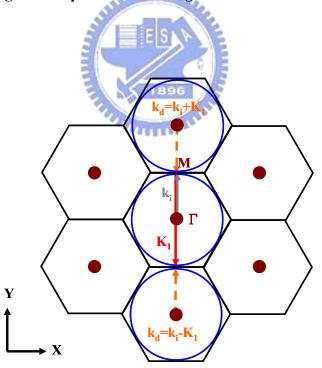


Figure 2.7 Triangular reciprocal lattice diagram of in-plane direction at M point.

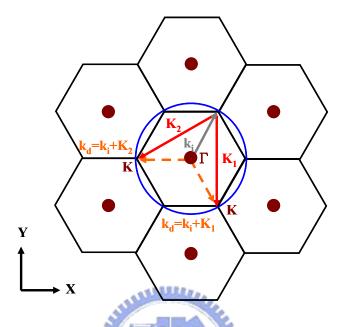


Figure 2.8 Triangular reciprocal lattice diagram of in-plane direction at K point.

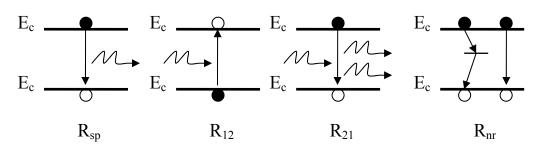


Figure 2.9 Electronic transitions between the conduction and valence bands

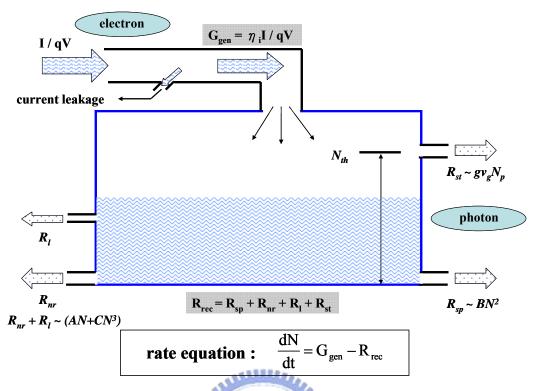


Figure 2.10 Reservoir with continuous supply and leakage as an analog to a DH active region with current injection for carrier generation and radiative and nonradiative recombination.

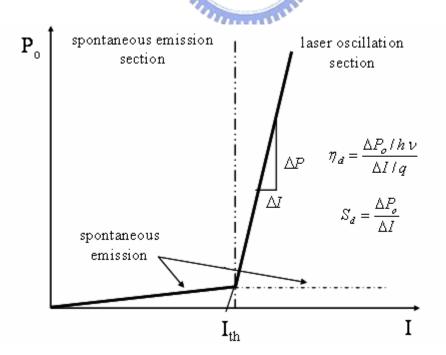


Figure 2.11 Illustration of output power versus current for a diode laser

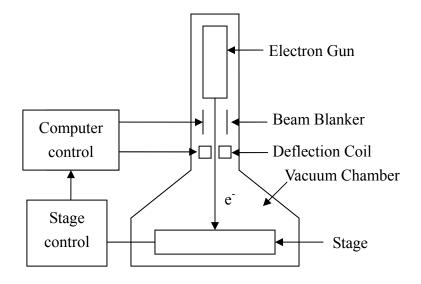


Figure 3.1 Cross-section of a typical electron beam block

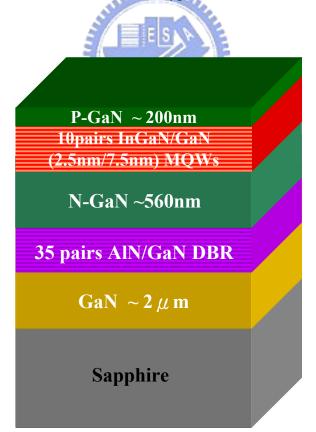


Figure 3.2 Schematic diagram of half-structure by MOCVD

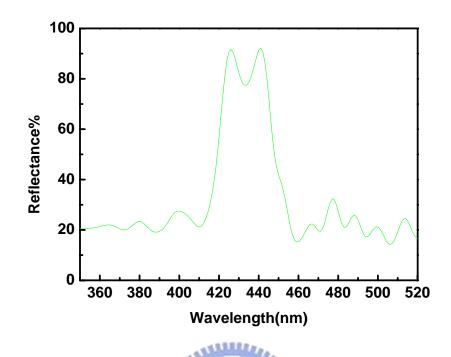


Figure 3.3 Reflectivity spectrum of the half structure with 35 pairs of GaN/AlN DBR structure measured by N&K ultraviolet-visible spectrometer with normal incident at room temperature.

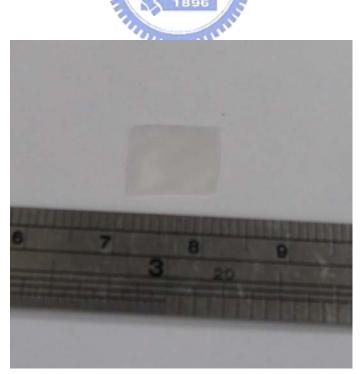


Figure 3.4 CCD image of GaN-based material with SiN film 200nm

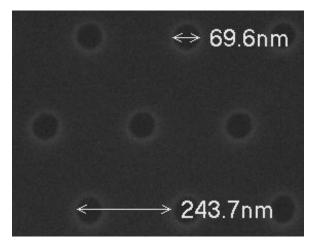


Figure 3.5 SEM image of soft mask pattern



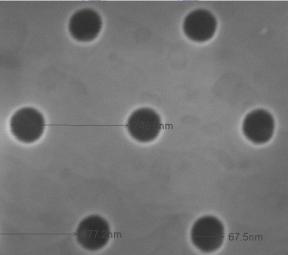


Figure 3.6 SEM image of hard mask pattern

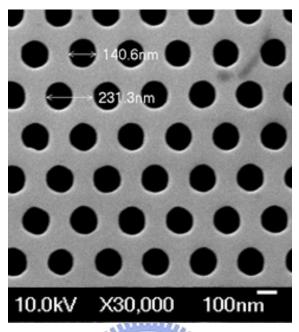


Figure 3.7 Top view SEM image of 2D SE PC DFB laser.



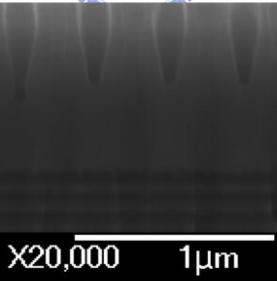


Figure 3.8 SEM image of Cross-section of 2D SE PC DFB laser

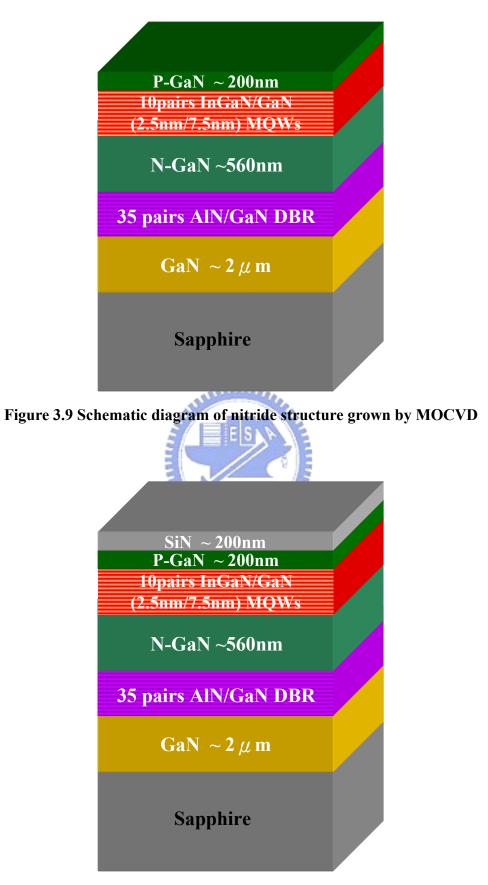


Figure 3.10 1st step of process: deposing SiN film

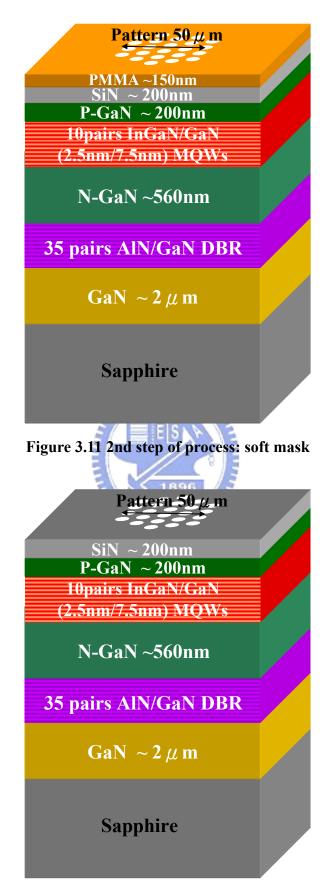


Figure 3.12 3rd step of process: hard mask

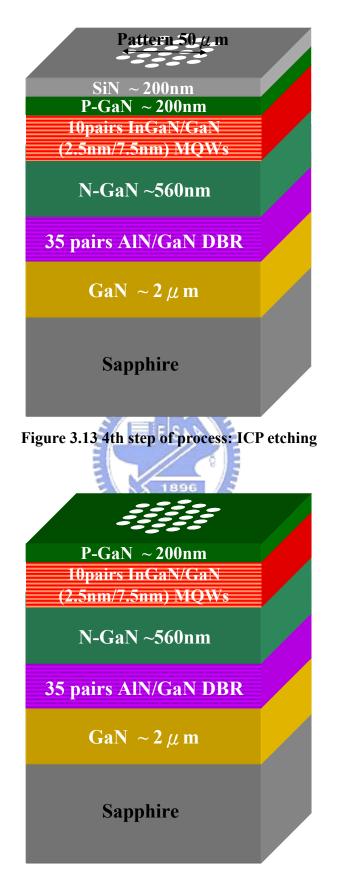


Figure 3.14 5th step of process: removing hard mask

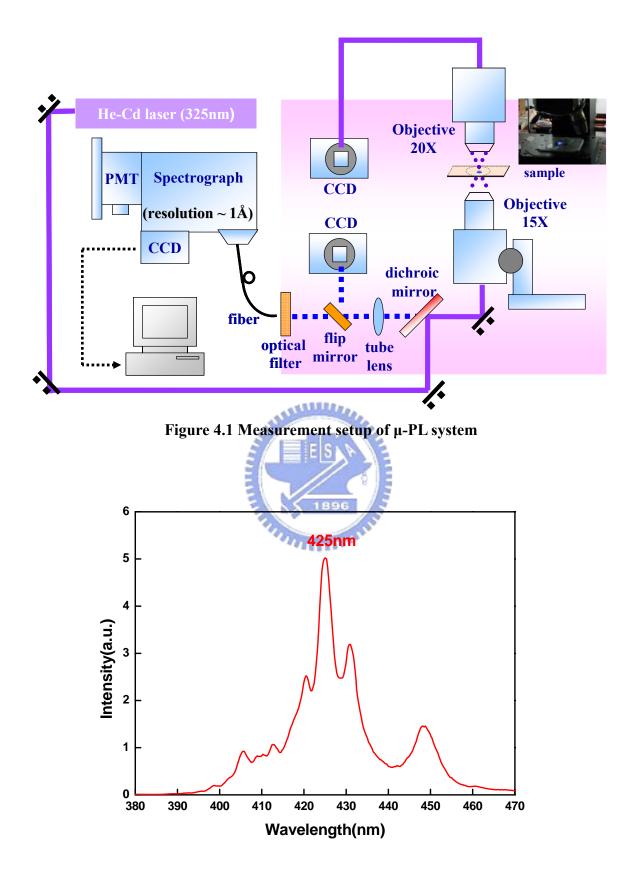


Figure 4.2 PL spectrum of as-grown structure

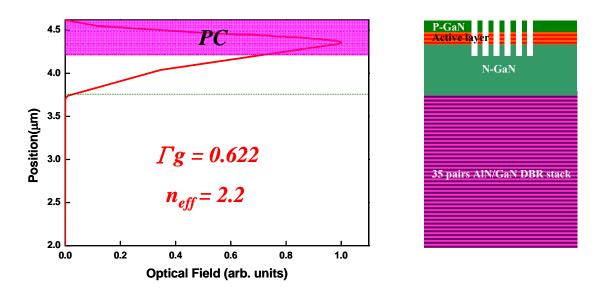


Figure 4.3 Distribution of electric field in the vertical direction of the device

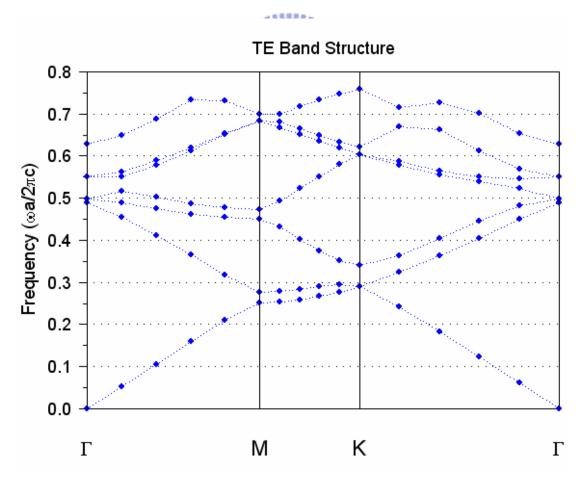


Figure 4.4 Calculated band diagram of the 2Dtriangular-lattice structure for transverse-electric (TE) mode

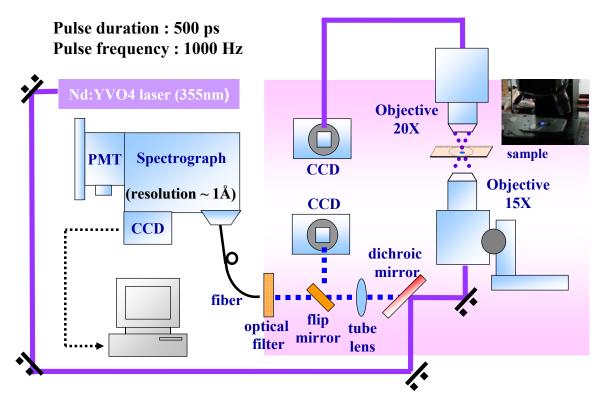


Figure 4.5 Measurement setup of optical pumping system

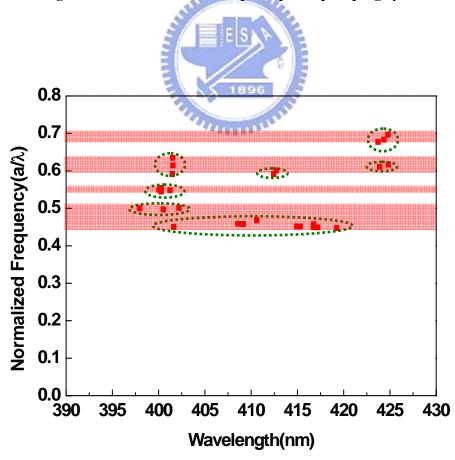


Figure 4.6 Normalized frequency as a function of the lasing wavelength

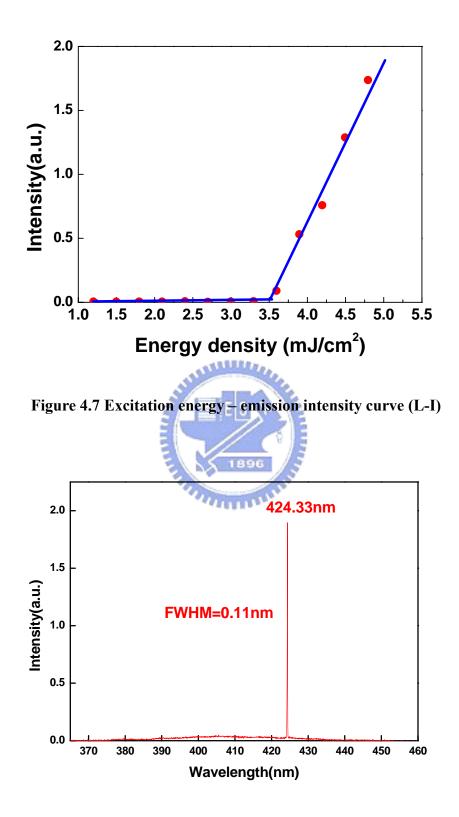


Figure 4.8 Spectrum of stimulated emission at room temperature

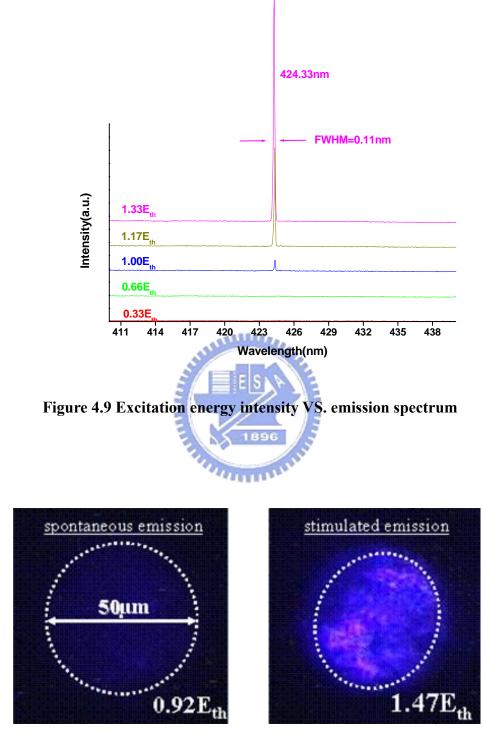


Figure 4.10 (a) Spontaneous emission image at  $0.92E_{th}\,,$  (b) stimulated emission image at  $1.47E_{th}$ 

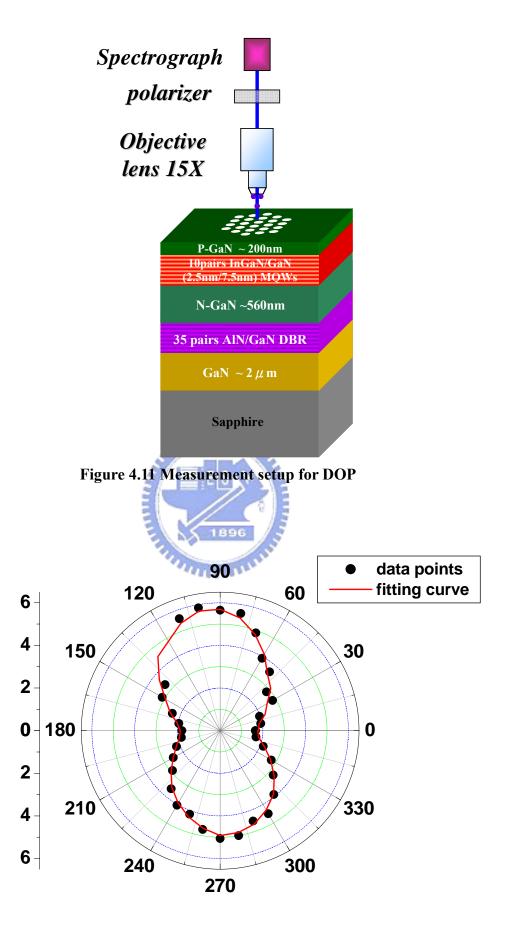


Figure 4.12 Intensity of laser emission as a function of the angle of the polarizer

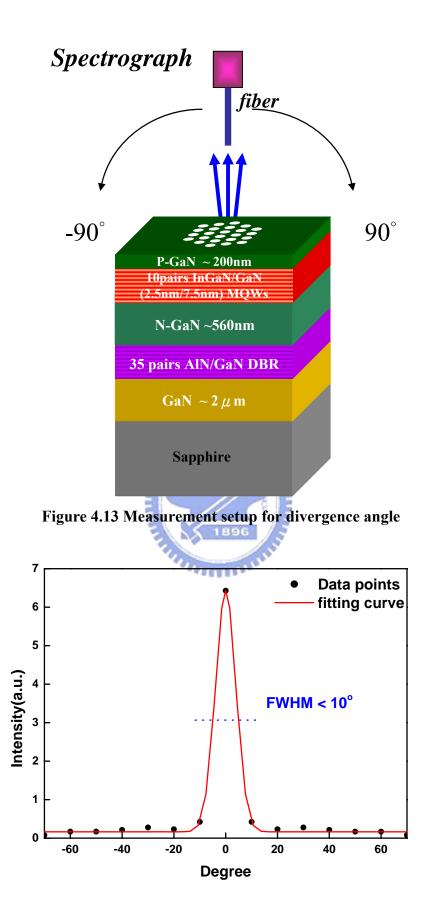


Figure 4.14 Intensity of laser emission as a function of the angle of the fiber position

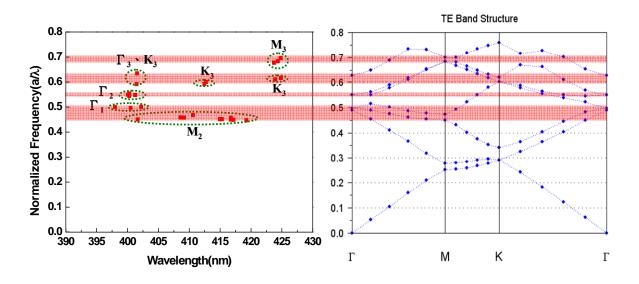


Fig.4.15 Experiment (left) and simulation results (right)



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