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*(Hierarchical Feature)* 

新的特徵元素*—* 圓柱場*(Cylinder field) –*

許多領域都利用形態變化*(Morphing)*的技

#### **Abstract**

*Morphing techniques have been broadly applied in many fields to create astounding visual effects. In this project, a hierarchical feature-based volume morphing algorithm is presented, which leverages the idea of feature-element hierarchy to improve morphing effects significantly. A new type of feature element, the cylinder field, is also given to facilitate the task of feature specification and correspondence.*

*Keyword: feature-based volume morphing, distance field interpolation, cylinder fields, feature-element hierarchy*

#### **1** (Introduction)

Morphing is a group of techniques that create a series of transformation from one object to another object, and it is broadly used in many applications.

In the past, there have been many researches on image morphing [1][7][11][12]. Image morphing produces a series of intermediate images, which represents a gradual transformation from a source image to a destination image. However, if the source and destination in image morphing are rendered from 3D models, image morphing may reveal a few disadvantages. To overcome the disadvantages of image morphing, 3D morphing can be employed instead.

3D models used in 3D morphing can be either geometric primitives (*geometric morphing*) [4][5][13] or volumetric data (*volume morphing*) [2][3][8]. With the rapid development of volume graphics [6], researches on volume morphing attract more and more attention in recent years.

The primary goal of this project is to enhance one popular method of volume morphing – feature-based volume morphing. We reduce artifacts in feature-based volume morphing by organizing feature elements into hierarchies. A new kind of feature element, the *cylinder field*, is also proposed to simplify the process of feature specification and correspondence.

#### **2** 實施方法概論 **(Method Overview)**

This section presents an overview of our feature-based volume morphing algorithm, which integrates cylinder fields, *Distance Field Inteprolation* (DFI) [3][9], and hierarchical feature elements.

Beier and Neely [1] proposed feature-based image metamorphosis, and Lerios et al. [8] extended their method to three-dimension. Our algorithm is based on the two approaches.The entire morphing process of our algorithm is divided into a *preprocessing* stage and a *morphing* stage. The flow charts of the two stages are shown in Figure 1 and Figure 2.

Given the source *S* and destination *<sup>D</sup>* volumes, there are two tasks in the preprocessing stage. The first task is to construct the distance field volumes *S-DF* and *D-DF* of *S* and *D*, respectively. We employ the method proposed by Cohen-or [3] to construct distance field volumes. The second task is to specify the corresponding features of *S* and *D* by cylinder fields, and then organize the cylinder fields into hierarchies  $E<sub>S</sub>$  and  $E<sub>T</sub>$ , respectively. We shall describe the ideas of cylinder fields and feature-element hierarchies separately in Section 3 and Section 4.

After the preprocessing stage, the morphing stage performs hierarchical feature-based warping (described in Section 3 and Section 4) and DFI [3] to produce intermediate volumes. To render the intermediate volumes, we can either extract the isosurfaces by marching cubes [10] or use direct volume rendering approaches [14].

#### **3** 實施方法 **--** 圓柱場 **(Cylinder Field)**

In feature-based volume morphing, source *<sup>S</sup>* and destination *<sup>D</sup>* volumes are associated with pairs of feature elements, which specify the correspondence of key features between *<sup>S</sup> <sup>a</sup>*nd *D*. The warping process to generate intermediate volumes is also controlled and influenced by feature elements.

Many kinds of feature elements are proposed in the literature [1][2][3][8], including points, rectangles, box, and disks. Instead of using these feature elements proposed in the literature, we develop a new kind of feature element in this project–*cylinder fields*.

#### **3.1 Spatial Configuration of a Cylinder Field**

The spatial configuration of a cylinder field is shown in Figure 3. A cylinder field can be easily specified by its radial vector  $\ddot{r}$ ,  $\lim_{n \to \infty} \frac{1}{n}$  specified by its radial vector  $\frac{1}{n}$ , normal vector  $\frac{1}{n}$ , and the world coordinate position  $c$ , which represents the center of the base circle. The length of the radial vector,  $\|\vec{r}\|$ , is the radius of the cylinder field, and the length of the normal vector,  $\begin{bmatrix} 0 \\ n \end{bmatrix}$ , is the height of the cylinder field. Let the normalized radial vector  $\left(\frac{r}{\sqrt{\pi}}\right)$ *r* ϖ ϖ ) be x-axis of the local coordinate system of a cylinder field, and the normalized normal vector  $\left(\frac{n}{\sqrt{n}}\right)$ *n* ϖ ϖ ) be zaxis. Then, the cross product of z-axis and xaxis is y-axis. In other words, the local coordinate system of a cylinder field can be constructed and represented as  $E(c, x, y, z)$ , where  $\overline{x} = \frac{1}{\|\overline{x}\|}$  $\frac{w}{x} = \frac{r}{\sqrt{w}}$  $\overline{w}$   $\overline{$  $\frac{n}{z} = \frac{n}{\ln n}$  $\overline{w}$   $\overline{$ general, it can be expressed by a 4 by 4 matrix  $M = \begin{bmatrix} 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 1 \end{bmatrix}$  $\frac{1}{2}$  $\cdot$ I L  $=$ 0 0 0 1  $M = \begin{vmatrix} x & y & z & c \\ 0 & 0 & z & c \\ 0 & 0 & 0 & z \end{vmatrix}$  $\stackrel{\ldots}{\omega}$   $\stackrel{\ldots}{\omega}$   $\stackrel{\ldots}{\omega}$ .

Transformations of the cylinder field can be computed by manipulating *M*. Through transformations, cylinder fields can be used to approximate other kinds of feature elements. For example, a cylinder can simulate a line segment by shrinking its xaxis and y-axis. Therefore, cylinder fields offer a single choice with many variations. In addition, the task of feature specification is just to use cylinder fields to enclose object features. It is easy, intuitive, and clear.

#### **3.2 Warping with a Single Pair of Cylinder Fields**

Given *S* and *D*, a pair of cylinder fields defines a mapping from one volume to the other. This pair of cylinder fields corresponds to features of *S* and *D*, and their coordinate systems are  $E(c, x, y, z)$  and  $E(c, x, y, z)$ , respectively. To warp *S* (or *D*), we first interpolate  $E(c, x, y, z)$  and  $E(c', x', y', z')$ , according to a parameter  $t$  in the range of  $[0..1]$ , to obtain  $E(c'', x'', y'', z'')$ .

 $E(c'', x'', y'', z'')$  represents a feature in an intermediate volume. Then we compute the value of each point in the intermediate volume form *S* (or *D*) by reverse mapping [1].

### **3.3 Warping with Multiple Pairs of Cylinder Fields**

Given two sets of cylinder fields :

$$
C_s = \{c_{s,1}, c_{s,2}, \dots, c_{s,m}\} \text{ and}
$$
  

$$
C_t = \{C_{t,1}, C_{t,2}, \dots, C_{t,m}\}
$$

associated with two volumes *S* and *T*, each point  $p$  in T can be mapped onto a set of points  $\{p_{s,1}, p_{s,2},..., p_{s,m}\}\$ in *S* by the reverse mapping. A point  $p<sub>s</sub>$  is then obtained as a weighted average of  $\{p_{s,1}, p_{s,2},..., p_{s,m}\}\$  and the value of  $p$  is equal to the value of  $p<sub>s</sub>$ . We modify the weighted function proposed by Beier and Neely [1], for calculating the weight of a cylinder field imposed on a point *p*.

# **4** 實施方法 **–** 階層式特徵元素

#### **(Hierarchical Feature Elements)**

Traditionally, feature elements in featurebased volume morphing are operated independently. From our study, we find independent feature elements may produce dissatisfactory morphing. In this section, we discuss this problem and propose a method, *hierarchical cylinder fields*, to conquer the problem. We demonstrate the problem by an example shown in Figure 4.

Figure 4 illustrates the intersection of feature elements during interpolation, caused by independently interpolating multiple pairs of cylinder fields. The source and destination objects are shown in Figure 4 (a) and (c). The cylinder fields of the source,  $(E_1, E_2)$ , and destination,  $(E_1, E_2')$ , are shown in (b) and (d), respectively. Figure 4 (e) is the interpolation process from  $(E_1, E_2)$  to  $(E'_1, E'_2)$ . It is obvious that we can rotate  $E_1$ 180° counterclockwise about z-axis to get  $E_1'$ , and move  $E_2$  to the right side of the

first cylinder field and then rotate  $180^\circ$ clockwise to get  $E_2'$ . Guided by the process shown in Figure 4 (e), a warping from the source to the destination is given in (f). From Figure 4 (e) and (f), We can see the object associated with  $E_2$  is intruded into the object associated with  $E_1$  during warping. But in fact, we can obtain the destination object simply by rotating the source object 180° counterclockwise about z-axis. To avoid the above problem and get better morphing results, we propose in this section the idea of *feature-element hierarchy* to organize cylinder fields.

We introduce the idea of hierarchical feature elements in the following. After adding corresponding feature elements in the source and destination volumes, we group these feature elements into a hierarchy. A hierarchy is represented by a tree structure, and the two trees of the source and destination volumes are isomorphic. Each node of a tree is associated with a feature element. A child node inherits the transformation effect of all its ancestors.

Now, we apply idea of feature-element hierarchy to Figure 4. The cylinder fields and their transformation of the source and destination objects are shown in Figure 5 (a) and (b), respectively. The tree representation of the feature-element hierarchy is shown in Figure 5 (c). Relative to the first cylinder fields, the transformation  $M_2$  in Figure 5 (a) is identical to  $M'_2$  in Figure 5 (b). During interpolation, we interpolate the father node pair first, i.e.  $M_1$  to  $M'_1$ , and then interpolate the child node pair, i.e.  $M_2$ to  $M'_2$ . As (e), the first cylinder field is rotated 180° counterclockwise about z-axis. The second cylinder field does not perform any interpolation. It is just guided by the interpolation of  $E_1$  and  $E_1'$  and circles around the first cylinder field. The interpolation process of the two pairs of cylinder fields with a hierarchical structure is shown in Figure 6 (a), and (b) is the warping result guided by (a). Comparing Figure 4 (f) and Figure 6 (b), the result in Figure 6 (b) is more nature.

# **5 h in (Implementation and Results)**

To implement our ideas proposed in this project, we exploit a popular modeling tool, 3D Studio Max, to specify and organize hierarchical cylinder primitives, and use the VRML file format to store cylinder fields. We also use 3D Studio Max to define keyframes of volume animation. Except the above tasks, all other procedures described in this report are implemented by the C++ language with OpenGL library in Visual C++ environment, and run on Pentium II 450MHz PC. After intermediate volumes are produced, we use marching cubes to reconstruct object shapes.

Figure 7 and Figure 8 illustrate morphing results from a teapot to a few geometric objects. In Figure 7, we operate cylinder fields independently, but in Figure 12 we organize cylinder fields into a hierarchy. The source and destination objects are shown in Figure 7 (a) and (c). In this case, we use 4 pairs of cylinder fields to specify key features, which are shown in Figure 7 (b) and (d), respectively. Figure 7 (e) shows the transitions of the cylinder fields without feature hierarchy. The handhold and beak of the source are corresponding to the cone and torus of the destination. In Figure 7 (e), we can see that the purple and blue features impenetrate the green feature and intersect each other. Figure 7 (f) shows the morphing result guided by (e).

Figure 8 uses the idea of feature hierarchy to guide morphing. Figure 8 (a) shows the feature hierarchy, and (b) shows the transition of the cylinder fields with feature hierarchy. We can see that the purple and the blue features just circle around the green feature. The morphing result is shown in Figure 8 (c), and it depicts a smooth transition from source to destination.

Comparing Figure 7 with Figure 8, it is evident that the idea of feature hierarchy improves feature-based volume morphing significantly.

# **6** 計畫成果自評 **(Conclusions)**

In this project, we propose an algorithm that integrates the ideas of distance field interpolation (DFI), feature-based warping, and feature-element hierarchy to accomplish volume morphing. For feature-based warping, we propose a new kind of feature element, the *cylinder field*. The cylinder field can enable users to intuitively define object features and thus achieve warping easily. In addition, the cylinder field can approximate other kinds of feature elements proposed in the literature. In this project, we also prove that grouping cylinder fields into hierarchies can solve the problem of unexpected intersection of features during feature-based warping, and thus can improve feature-based volume morphing significantly.

Partial achievement of this project has been presented in *1999 National Computer Symposium* (NCS'99) (one of the best papers). Full Achievement of this project has accepted by *Journal of Information Science and Engineering* (JISE).

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volumes to be produced.













intermediate volumes is four). (c) The morphing result.